

Technical Note

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Design of Non-Tactical Deployable 20 Gwh (17.20841 Kilo Ton TNT) Fusion Device - Energy Basis

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Technical Note

Design of Non-Tactical Deployable 20 Gwh (17.20841 Kilo TonTNT) Fusion Device—Energy Basis

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Abstract: Fusion device and its structure may be designed by various means. Two of most popular are; weight basis (described in previous study by author) and energy basis. In present research, later method is explored and described. Energy basis is based on amount of energy released from device upon detonation followed by explosion. Its beneficial in a sense that device size can be kept as independent variable as compared to dependent in former case. Further, it shortens the design procedure. For example, heat transfer pattern in such approach directly helps in quantifying wall thickness which dictates material, fabrication, and manufacturing route. It may also eliminate anisotropy as wall thickness is direct function of amount of heat at which it will rupture and can be much thinner. Device geometry can also be flexibility controlled as it is no longer dependent on payload bay capacity. This allows more freedom in designing subsystems (compartments, their locations, focusing, switches, and mixers). Such devices can be more compact and simpler. Few such design configurations are proposed.

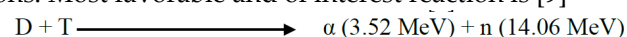
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1. Introduction

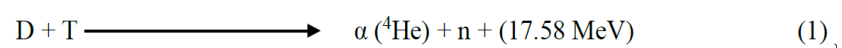
Fusion processes and their uses (reactors [1,2] and devices [3]) have gained popularity recently owing to their effectiveness in producing large amount of energy and radioactive particles [4]. They have evolved from their initial designs to more compact and robust devices with greatly enhanced coupling to targets, possibility to drive powerful shaped charge jets and forged fragments, enhanced prompt radiation effects, reduced collateral damage and residual radioactivity. However, underlying physics and engineering remain same [5]. Other applications have also been sought out from these devices such as space projectiles and probes [6,7] for deepspace missions and returns. However, these are less explored, reported or less widely published [8]. This study constitutes a systematic design of high output, throughput and yield fusion device designed on energy basis. Its design is based on energy released during fusion of two lighter nuclei of hydrogen which is used as basis and benchmark to calculate fuel required, device design, geometry, compartmentalization, and configuration. Mechanism to trigger ignition and use of shock waves, their types and focusing by certain medium (physical or chemical ignition) and in a certain medium (air, gas or vacuum) also play an important part in design and configuration to maximize output and yield. These are elaborately discussed.

2. Design

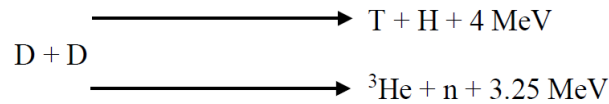
For energy basis design, amount of energy released in one thermonuclear reaction is determined from following calculations. Most favorable and of interest reaction is [9]



or



Total energy released in this reaction when one atom of Deuterium combines with one atom of Tritium is 17.58 MeV at ignition temperature of 5×10^7 K [5]. This by far accounts for most important thermonuclear reaction taken as benchmark both in fusion reactor and device design. Next most important reaction with relatively high energy release at various yields is the combination of Deuterium with another atom of Deuterium.



Either of this reaction may happen with same probability. Ignition temperature of this reaction is about 10 times higher than former i.e. 5×10^8 K.

From (1),

Total energy released is 17.58 MeV or 7.823961×10^{-16} Wh (1 MeV = 4.45049×10^{-17} Watt hour)

$$\text{Mass of H}_2 = 1.00784 \text{ amu} = 1.67356 \times 10^{-24} \text{ g}$$

$$\text{Mass of D}_2 = 2.014 \text{ amu} = 3.344325 \times 10^{-24} \text{ g} \quad (2)$$

$$\text{Mass of Tritium} = 3.016 \text{ amu} = 5.008185 \times 10^{-24} \text{ g} \quad (3)$$

Combining (2) and (3)

$$D_2 + T = 3.344325 \times 10^{-24} \text{ g} + 5.008185 \times 10^{-24} \text{ g} = 8.342185 \times 10^{-24} \text{ g}$$

Thus,

$$8.342185 \times 10^{-24} \text{ g produces } 7.823961 \times 10^{-16} \text{ Wh} = 7.823961 \times 10^{-22} \text{ MWh}$$

$$7.823961 \times 10^{-22} \text{ MWh is produced from } 8.342185 \times 10^{-24} \text{ g or}$$

$$7.823961 \times 10^{-25} \text{ GWh is produced from } 8.342185 \times 10^{-24} \text{ g}$$

$$7.823961 \times 10^{-25} \text{ GWh} = 8.342185 \times 10^{-24} \text{ g}$$

$$\begin{array}{l} 8.342185 \times 10^{-24} \\ 20 \text{ GWh} = \frac{8.342185 \times 10^{-24}}{7.823961 \times 10^{-25}} \times 20 \end{array}$$

$$20 \text{ GWh} = 20 \times 10.662355039857 \text{ g}$$

$$20 \text{ GWh} = 213.24710079714 \text{ g}$$

Now,

$$\begin{array}{l} T = \frac{5.008185 \times 10^{-24}}{3.344325 \times 10^{-24}} = 1.4976629 \\ T = 1.4976629 D \end{array}$$

If

$$T + D = 213.24710079714 \text{ g}$$

Substituting

$$1.4976629 D + D = 213.24710079714 \text{ g}$$

$$2.4976629 D = 213.24710079714 \text{ g}$$

$$D = \frac{213.24710079714}{2.4976629} \text{ g}$$

$$D = 85.3786557013518 \text{ g}$$

Substituting above

$$T = 1.4976629 \times 85.3786557013518 \text{ g}$$

$$T = 127.8684450957882 \text{ g}$$

Considering 30% loss

$$T + D = 277.221231036282 \text{ g}$$

$$T = 166.22897862452466 \text{ g}$$

$$D = 110.99225241175734 \text{ g}$$

This mass is required to produce 20 GWh energy. It is distributed in such a configuration (design and arrangement) that it (a) maximizes contact, (b) minimizes mixing, (c) decrease time of travel of shock wave and (d) increase its focus (described in later sections [10,11] and studies).

3. Construction, Making and Working

Construction and making of fusion devices involve precise design, control and mastery of techniques, practices, and procedures of materials, processes, and engineering of metals and

materials. Their working constitutes careful understanding of principles of fission triggering, explosion, scatter, and ignition followed by / or simultaneously with shock wave focusing [12,13], trigger and target placement, mode of detonation and geometrical configuration of assembly (fission and fusion sub assembly). These are briefly described here.

3.1. Temperature and Energy Flux in a Fission Device

In order to understand fusion device working and explosion, it is important to understand fission device working and explosion. Primarily temperature and energy flux in a fissile fission device are of utmost importance and plays an important role. These results in multitude of configurations but fundamentally they rely on ignition and its use in explosion.

3.2. Ignition Problem

3.2.1. Ignition Temperature

Ignition of a fusion device is dependent on achieving critical temperature for it known as ignition temperature. This temperature is a function of amount and extent to which a suitable source (e.g. fission explosion, laser or chemical explosion) may be converged to a point. This convergence is achieved in many ways described in following. In addition to this, neutron flux is another important factor in achieving this. A large neutron flux produces a large amount of heat (both by inelastic scattering and neutron induced nuclear reactions) which contributes towards achieving ignition temperature.

3.2.2. Lawson Criteria

In addition to thermonuclear reactions, another criterion, known as Lawson criteria, must be satisfied in order for fusion device to work. For a thermonuclear assembly heated to ignition temperature, Lawson criteria may be defined as

$$nt > g(T) \quad (4)$$

where

n = a number

t = time for thermonuclear reaction $g(T)$ = a known function of T a $T_{ff}(T)$

For DT reaction, $g(T)$ has minimum at $\sim 10^8 K$ with $nt \geq 10^{14} \text{ sec cm}^3$. At ignition temperature $\sim 5 \times 10^7 K$ with $nt = 10^{15} \text{ sec cm}^3$, For DD reaction, $nt = 10^{16} \text{ sec cm}^3$

For its derivation, it is important to understand that all thermonuclear reactions must occur at temperature that is above the temperature for complete ionization. At this temperature, thermonuclear material emits very little radiation and is virtually optically transparent. The energy to heat thermonuclear material, mainly goes into kinetic particle energy with energy density equal to

$$\epsilon_k = (3/2)(Z+1)nkT \quad (5)$$

also,

Energy represented as energy density (ϵ_l) produced by thermonuclear reactions in time t during which thermonuclear material is inertially confined is given by

$$\epsilon_l = n^2 f(T)t$$

For a thermonuclear device to work, i.e., if more energy is to be released (or required) than required to heat thermonuclear plasma above its ignition temperature (blast in a device or controlled reaction in a reactor), the inequality

$$\epsilon_l > \epsilon_k \quad \text{a} \quad (6)$$

must be satisfied. This is **another** form of Lawson criteria

A yet **third** form is

where

ρ = fuel density

r = radius

$$v = \sqrt{T}$$

$$\rho r \geq a \quad (7)$$

$$n \propto \rho$$

$$t \propto r/v$$

For DT reactions, $a \cong 0.1 \text{ g / cm}^2$.

3.3. Devices—Type and Configurations

3.3.1. Ordinary Device

Ordinary devices comprise of relatively simple configuration which is a compact mass in center surrounded by spherical shell which serves as housing. Critical mass of typical Pu^{239} device is about 11 Kg while radius of sphere is only 5 cm. In order to take maximum advantage of fission process and neutrons released, this core may be surrounded by another shell of material known as reflector. Typical material for this shell is Be or a combination (mixture) of Be and U^{235} . This re focuses neutrons generated back onto core thus reducing critical mass considerably. Typically, by doing this mass (Pu^{239}) required may be reduced to 4 Kg while radius of core is reduced to mere 3.6 cm. Typical upper limit of output from a fission device is 50 kT as it poses structural limitations at larger devices. In order to obtain higher output, a technique known as boosting is required.

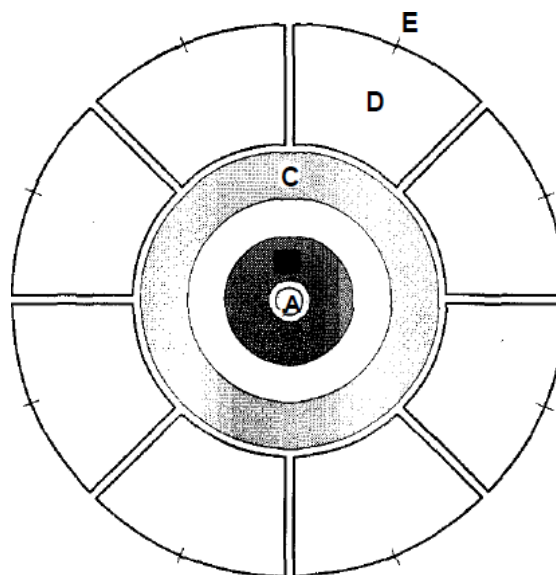


Figure 1. Schematic of ordinary (simple) spherical fission device. Configuration of components of a fission bomb. A - initiator (neutron source or generator), B - fissile core (plutonium and U^{235}), C - tamper core reflector ($\text{U} + \text{Be}$), D - high explosive lens (shaped plastic charge), E - detonator.

3.3.2. Booster Device

Booster devices [3] are relatively new addition to modifications to design of fission devices. They make use of principle of fusion. In some scenarios, it is called fusion device. On this type of device (Figure 2), a small amount of fusion material is injected or placed into or at the center of fissile Pu^{239} as it is exploding with the result that exploding power is boosted, typically tenfold. Neutrons produced in fusion are used to produce more fission in Pu^{239} . The advantage of this configuration is, it increases the inertial confinement time of the thermonuclear material, which is compressed by an ingoing spherical implosion wave. This compression effect is quite important because

$$\frac{dR}{dt} \propto \rho^2$$

where, R = thermonuclear reaction

A compression may be also indispensable for more exotic thermonuclear explosives [5]. Boosted devices are therefore more compact and sophisticated and efficient devices. Typically, 5 – 10 times more efficient. Their upper limit of output is 500 kT. For more output, fusion or thermonuclear devices are used in which an ordinary fission device may only serve the purpose of ignition (Figure 3).

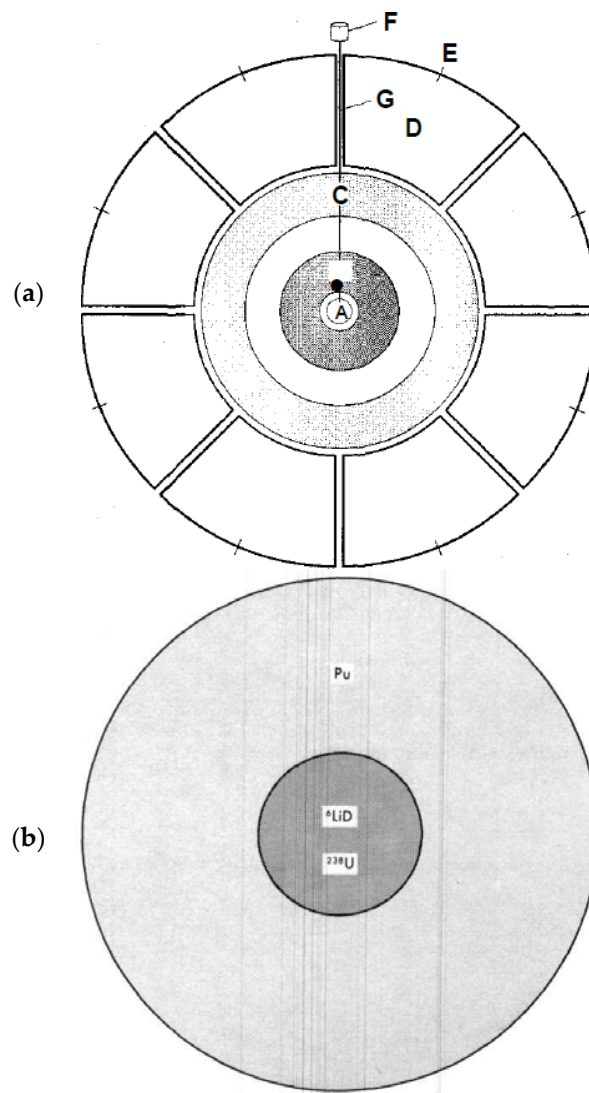


Figure 2. (a) Schematic of booster compact spherical fission device. A - initiator (neutron source or generator), B - fissile core (plutonium and U^{235}), C - tamper core reflector ($\text{U}^{235} + \text{Be}$), D - high explosive lens (shaped plastic charge), E - detonator, F - tritium container, G - tritium feed into core of device. (b) Another schematic.

3.3.3. Two Stage, Modified Teller—Ulm or Mike Ivy Configuration

This is elaborately discussed in earlier study [9]. Interested reader is referred to it. Typically, it is two stage devices with fission device detonating and exploding at one end and fusion at other (Figure 3). Typically, such device does not have theoretical upper limit as there is no critical mass. Former Soviet Union tested one such device 1962 in Arctic with explosive yield equivalent to about 60-million-ton TNT (60,000,000 ton TNT) [11].

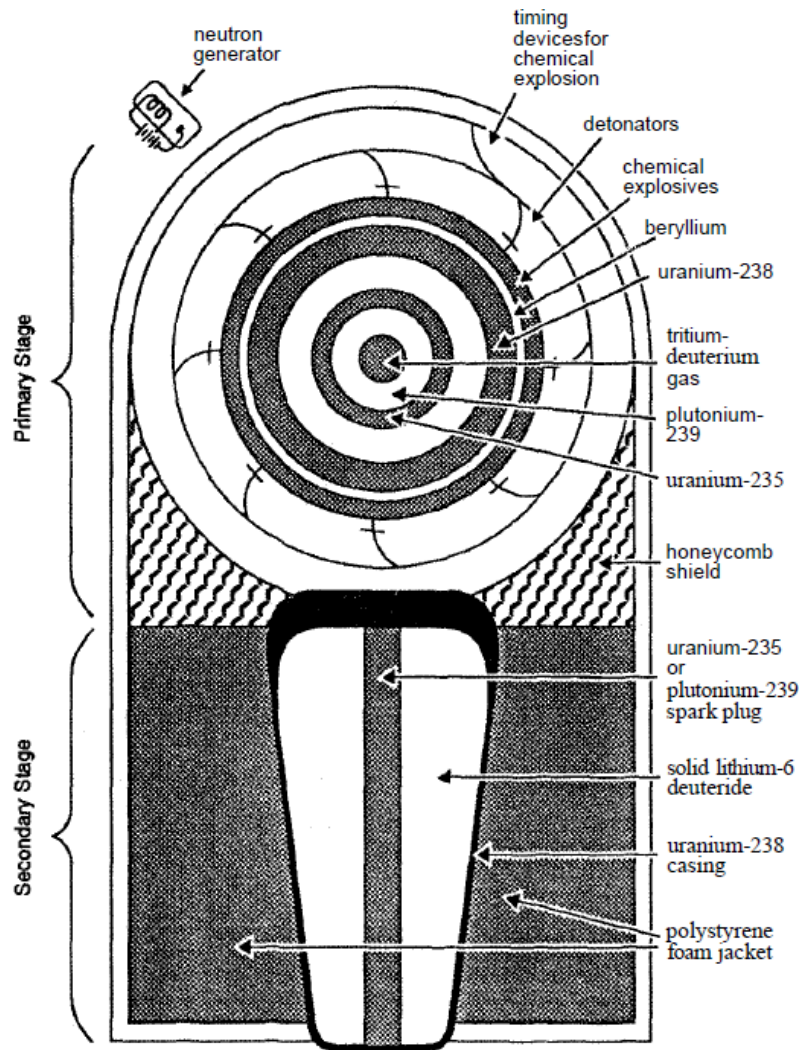


Figure 3. Schematic of two stage Modified Teller – Ulm or Mike Ivy fusion device [11].

3.3.4. Polyhedron Configuration

Polyhedron configuration consists of placing multiple fission devices in a fashion that upon detonation they produce a shock wave which become convergent [14–16], (e.g. cylindrical [17–19] in a medium (e.g. air [20–22], argon [23], gases [24], water [25], space)), is stabilized [26], and spherically symmetric in the limiting case of an infinite number of fission devices. They may be achieved by various means such as piston (spherical or cylindrical [27]) driven [28]. A spherical convergent wave is the aim which may be described by Gurderley's [29] self-similar solution [30]. It has various configurations (e.g. blast wave [31] from a charge [32] of various geometries [33]). Smallest possible devices is 04 placed at the corners of regular tetrahedron. In said configuration, six is more optimized value, otherwise divergence from spherical symmetry becomes too large (Figure 4).

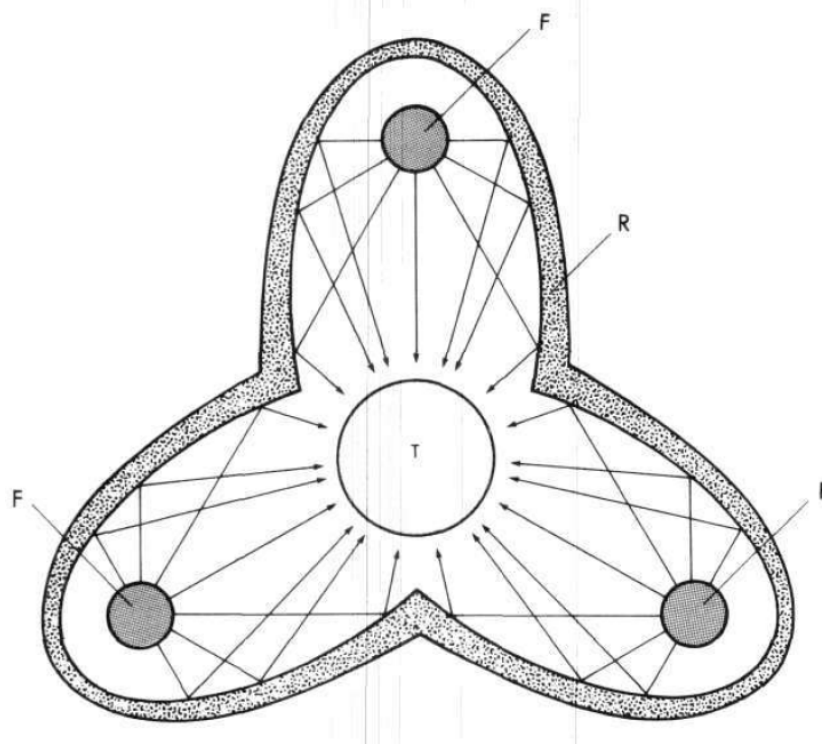


Figure 4. Schematic polyhedron configuration (fission devices are placed at fixed location around a central fusion device such a way the shock wave produced from them is focused on fusion device and is used in achieving ignition) [11]. F: fission device, R: wave reflector, T: thermonuclear explosive.

3.3.5. Ignition by Implosion (Prandtl-Meyer Configuration)

This is configuration in which ignition is achieved by microexplosions which is achieved by imploding a disk of relativistic electrons [34]. Its exact mathematical theory is described earlier in a work by Busemann. Here only salient features and simplified treatment is described. In Figure 5, lines 1 and 2 represent the rays of outgoing and incoming shock waves, respectively, within an oval cavity representing Prandtl-Meyer ellipsoid. By the intersection of the incoming wave at one particular point P with the wall of the Prandtl – Meyer a sample, or Riemann, wave is emitted from P under the Mach angle

$$\mu = \arcsin(1/M)$$

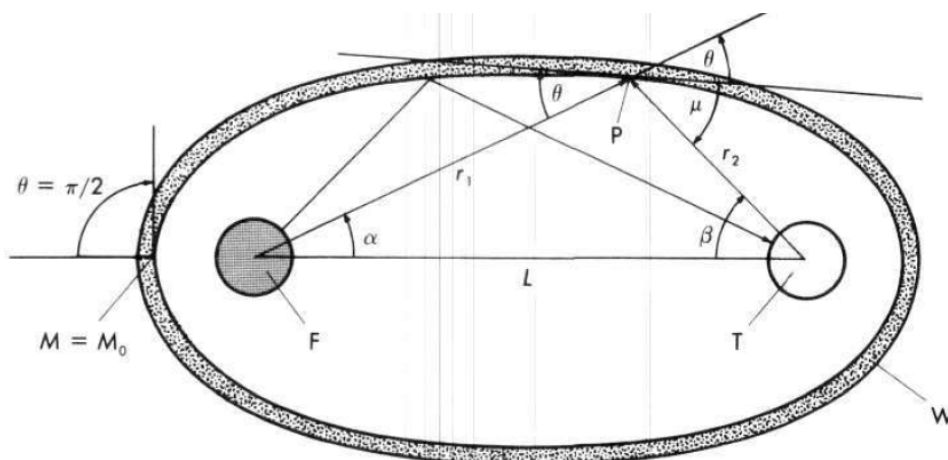


Figure 5. Schematic Prandtl – Meyer configuration (One fission device (F) is placed at one end of ellipse in such a way that shock wave generated from it is focused on fusion device on other end after reflecting from wall (W). Spherical implosion onto thermonuclear explosive (T) is responsible for

operation [11]. M is Mach. number of hypersonic flow of divergent detonation wave at point P , θ is angle between the wall slope and incoming ray; r_1 and r_2 are the rays of shock wave.

Case 1: In general case, a **stationary shock wave front** is formed if and when envelope is formed by intersection of Mach lines of reflected waves at different locations. **Case 2:** When all the Mach lines of reflected waves meet in just one point, **spherical convergent shock wave** is formed in the vicinity of this point. In a Prandtl – Meyer ellipsoid, geometrically two such points exist. First is the one from which outgoing detonation waves originate and second is the one into which all reflected waves converge. These two points are thus foci of Prandtl – Meyer ellipsoid. This ellipsoid becomes mathematical ellipsoid for small amplitude waves corresponding to acoustic approximation.

3.3.5.1. Determination of Wall Shape of Ellipsoid

Consider an incoming ray of a Mach number M strikes with inner wall shape of ellipsoid. This makes an angle θ with the wall slope and Mach number M . It is described by integrated Prandtl – Meyer expression for a supersonic flow along a curved wall.

$$\theta - \theta_0 = \nu(M) - \nu(M_0)$$

Where

$$\nu(M) \equiv \frac{1}{\gamma\gamma + 1} \arctan \frac{\gamma}{\gamma - 1} (M^2 - 1) - \arctan \frac{1}{\gamma(M^2 - 1)}$$

Where

γ = specific heat ratio ($\gamma = 3/4$ for a black body radiation dominated plasma)

$\theta_0 = \pi/2$ (if $M_0 = 1$ as shock waves forming fire ball from adjacent focus (point of placement of fission device) haven't yet expanded enough to become supersonic)

$$\theta \equiv \frac{5}{3} \arctan \frac{3}{5} (M^2 - 1) - \arctan \frac{1}{M^2 - 1} + \pi/2$$

Shape of Prandtl – Meyer ellipsoid is determined by the condition that outgoing shock waves from first focus must meet in the second focus. This condition can be best described by bipolar coordinates r_1 , r_2 and angles α and β , such as

$$\alpha + \beta = M(F) \quad (8)$$

with

$$M(F) \equiv \theta(M) + \mu(M)$$

The change in density along a variable Mach number flow is given by

$$\frac{\rho}{\rho_0} = \frac{(1 + \frac{1}{2}(\gamma - 1)M_0^2)^{1/2}}{(1 + \frac{1}{2}(\gamma - 1)M^2)^{1/2}}$$

Inserting, $M_0 = 1$ and $\gamma = 4/3$

$$\frac{\rho}{\rho_0} = [7/(6 + M^2)]^3 \quad (9)$$

Now, assume flow is completely isentropic, then, ρ is a symmetric function of r_1 and r_2 . With this, for a large-amplitude spherical expansion wave, ρ is a function of r_1 and r_2 and

$$\frac{\rho}{\rho_0} = \frac{r_1^2 + r_2^2}{r_1^2 + r_2^2}$$

Where, r_0 = distance between focus and adjacent vertex point of $M = 1$

Eliminating $\frac{\rho}{\rho_0}$ from (9) and (10)

$$\frac{7}{6+M^2} = r_1^2 \left\{ \frac{1}{1} + \frac{1}{2} \right\}$$

Assume, L = distance between two foci

$$r_1 \cos \alpha + r_2 \cos \beta = L \quad (12)$$

$$n_1 \sin \alpha = n_2 \sin \beta \quad (13)$$

These set of four equations, (8,11–13) with five unknowns r_1 , r_2 , α_1 , α_2 and M then reduces to one relation between two unknowns r_1 , r_2 giving the wall curve of Prandtl – Meyer ellipsoid in bipolar coordinates. In practical scenario, shape of cavity will be different since part of cavity will be ablated. This ablation effect will require an asymmetric cavity and correct form of cavity must be determined by complex computer calculations and multitude of nuclear explosive tests.

3.4. Shock Wave Focusing—Other Configurations

Shock waves may also be focused by alternative configurations in which they are contained in mirrors. These are explained below. A very common configuration is **lens**. In this (Figure 6), divergent shock waves are focused by converging them at a particular point by virtue of passing through rarer and denser mediums using mirror type focusing. From the theory of plane shock waves, it is inferred that for a given temperature T , behind the shock front

$$v = a \sqrt{\frac{1}{A}}$$

Where

A = Atomic weight of material for through which shock wave propagates

v = Velocity of propagation

Now, Relative refractive index (n) may be defined as follows

$$n = \sqrt{\frac{A_2}{A_1}}$$

If

A_1 = Atomic weight of first medium A_2 = Atomic weight of second medium

A_1 = Atomic weight of $H_2 = 1$, A_2 = Atomic weight of $D_2 = 4$, $n = 2$

Also, density ratio = ρ_2 / ρ_1

Both mediums must be chosen such as to avoid a pressure jump that requires $\rho_2 = \rho_1$

If $\rho_1 \gg \rho_2$, the second medium may be blown away or

If $\rho_1 \ll \rho_2$, most of incident shock wave energy is reflected.

Since $\rho = \frac{1}{v^2} \rho v^2$, condition $\rho_2 = \rho_1$

implies

$$\rho_2 \left\{ \frac{1}{\rho_1} \right\} = \frac{A_2}{A_1}$$

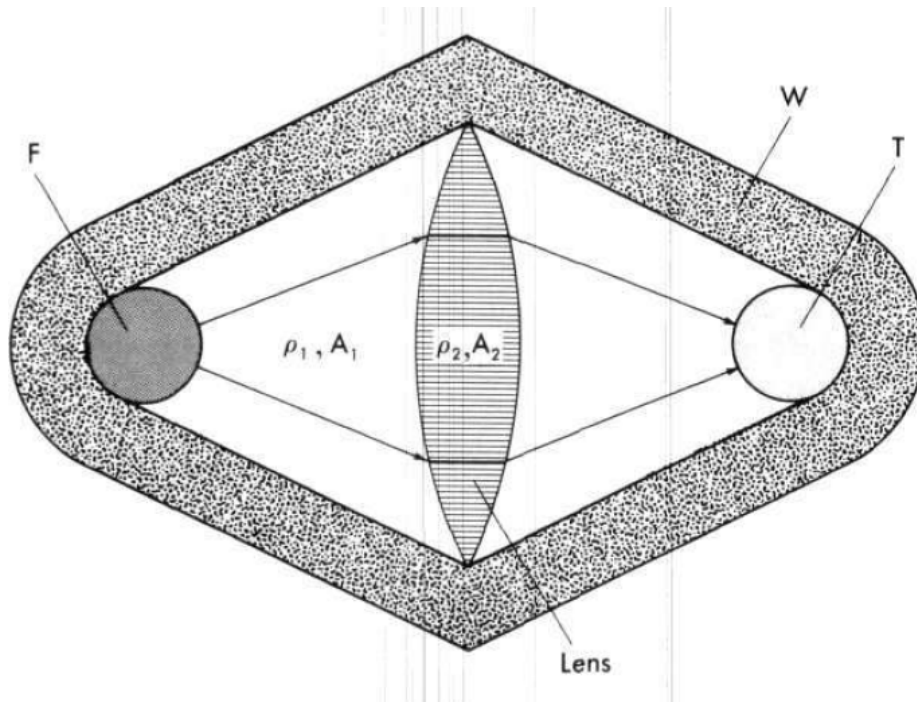


Figure 6. Lens configuration [11]. F: Fission source, W: wall, ρ : density of medium, A: Atomic weight, T: thermonuclear explosive.

Another common configuration is **cone**. This utilizes cylindrical implosion. In this cone or conical shape, geometry is tailored to make best use of spherical symmetry and convergence of shock wave. Supersonic Prandtl – Meyer flow generated from source (fission explosive (F)) is maneuvered in a cone around a central manifold and its walls (W) which is engineered to enable and facilitate their focusing by passing around contours and outer surface of cone (C) such as they generate cylindrical implosion by meeting at a predefined point (thermonuclear explosive (T)).

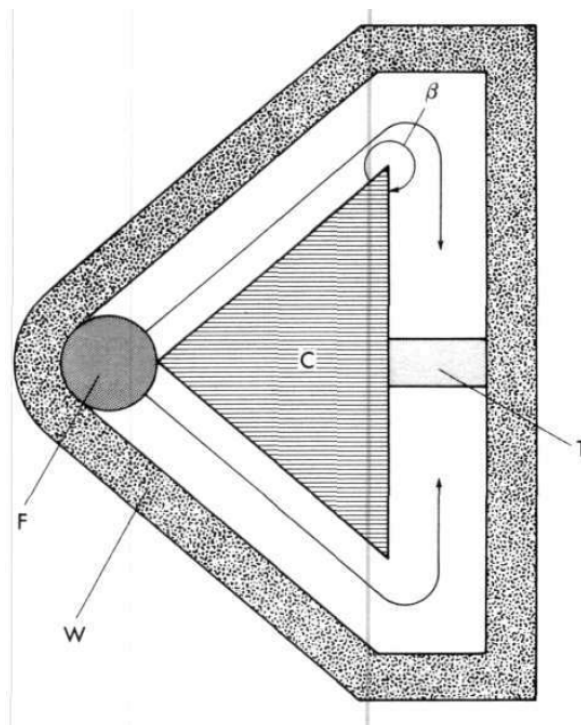


Figure 7. Cone configuration [11].

For larger yields further modified configurations are utilized. One such is **Multi module**. It consists of following main parts. (1) Ignition Module (I) containing fission trigger, (2) Conical transient module C enlarging the thermonuclear deflagration front and (3) the main Thermonuclear explosive module. All these are surrounded by a tamp.

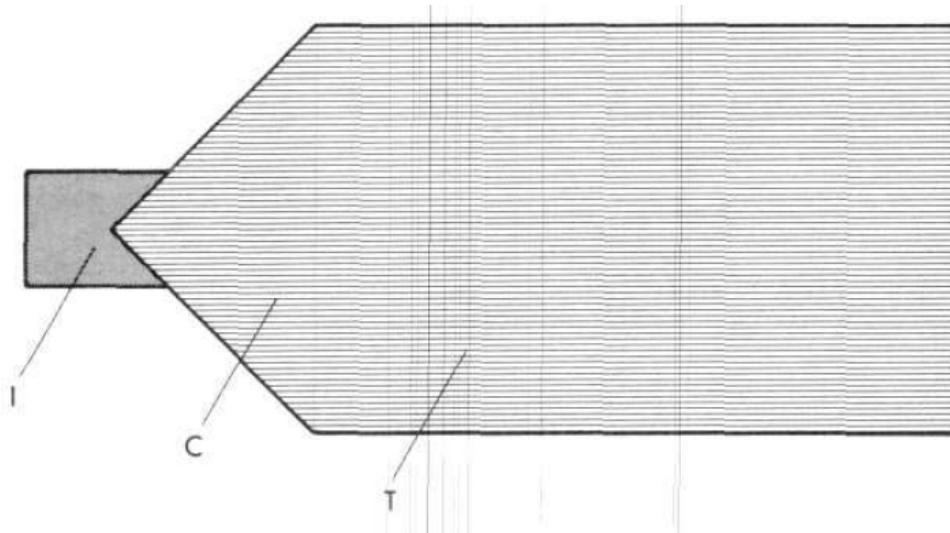


Figure 8. Multi module.

Another one is **Dry H device**. This is adopted for further larger yields. This is a variant of multimode configuration in such a way that spherical symmetry is achieved by Prandtl – Meyer ellipsoid in left portion (Ignition module) (Figure 9). Fuel and its encapsulation are also changed to ${}^6\text{LiD}$ and ${}^{238}\text{U}$ respectively.

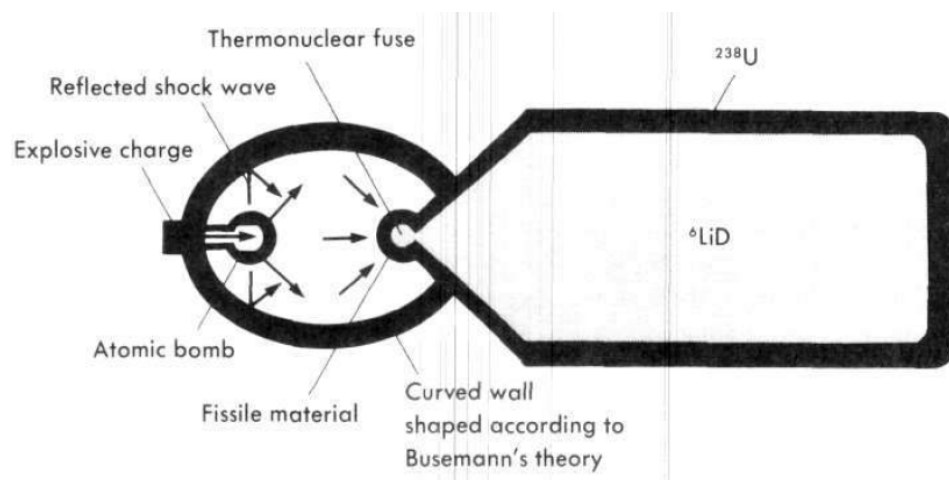


Figure 9. Dry H Configuration.

Another variant of multimode configuration which make use of tetrahedron at one end to achieve spherical symmetry and convergence of shock wave is called **tetrahedron** configuration (Figure 10).

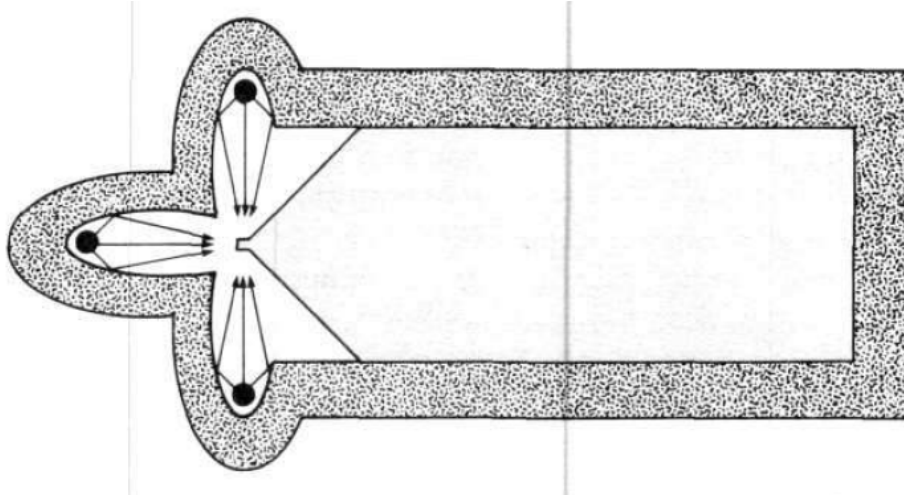


Figure 10. Tetrahedron configuration.

Similar shock wave focusing may be achieved in another configuration known as **multi shell** (Figure 11). It simplifies the geometry and make device more compact and size efficient.

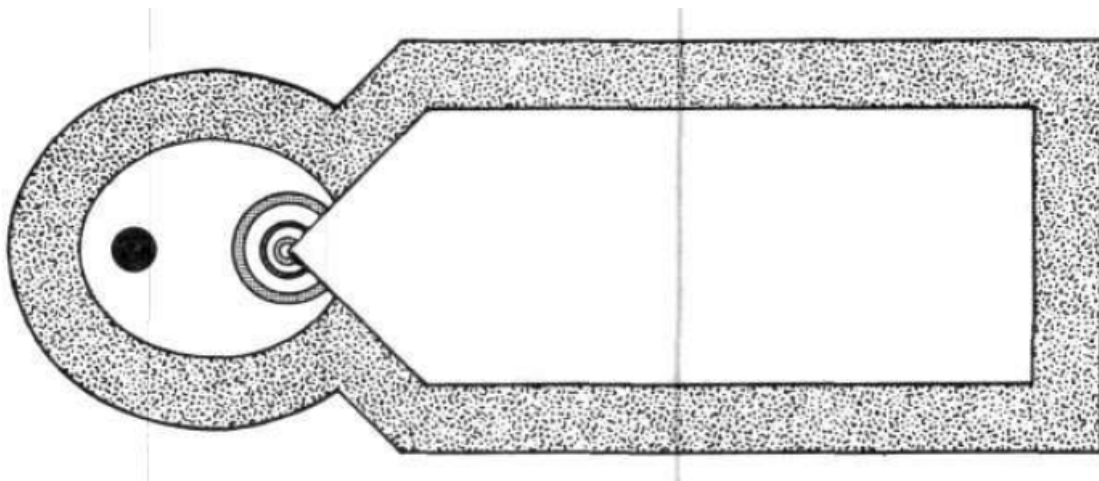


Figure 11. Multi shell configuration.

Another special configuration – a special case of spherical or elliptical configuration, in which trigger, and target are changed is known as **Neutron device**. This makes use of special arrangement of trigger and target to achieve maximum output and yield. Target itself is changed from a fusion device to ${}^6\text{Li}_2\text{DT}$ encapsulated in ${}^9\text{Be}$ (Figure 12).

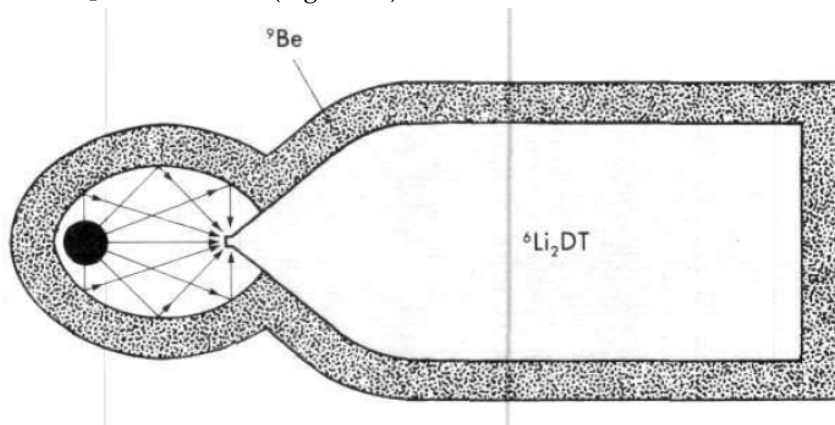


Figure 12. Neutron device.

Another device making use of target triggered by neutrons to achieve a thermonuclear reaction is known as **autocatalytic configuration** (Figure 13). This is due to the type of reaction occurring in such configuration thus drives its name. Target again is changed to ${}^6\text{LiDT}$ encapsulated in ${}^{238}\text{U}$. This configuration controls Neutron flux efficiently as outer shell is ${}^{238}\text{U}$ which is only fissionable by fast neutron and transmutes to ${}^{239}\text{Pu}$.

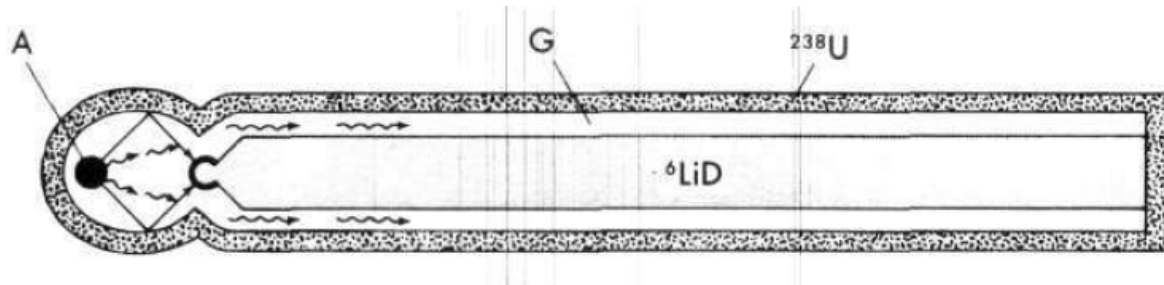


Figure 13. Autocatalytic device.

A variant of this makes use of mixing of fuel with each other in reaction chamber such as better homogenization is achieved. These are termed as **compact devices** (Figure 14). Certain changes are also made in trigger compartment (i.e., its size is increased to achieve better neutron focusing on target fuel). Fuel chamber is of small size and mixed fuel accommodated in it is also of small size. Mixture may consist of isotopes of H (e.g., ${}^6\text{LiD}$ or ${}^6\text{LiT}$).

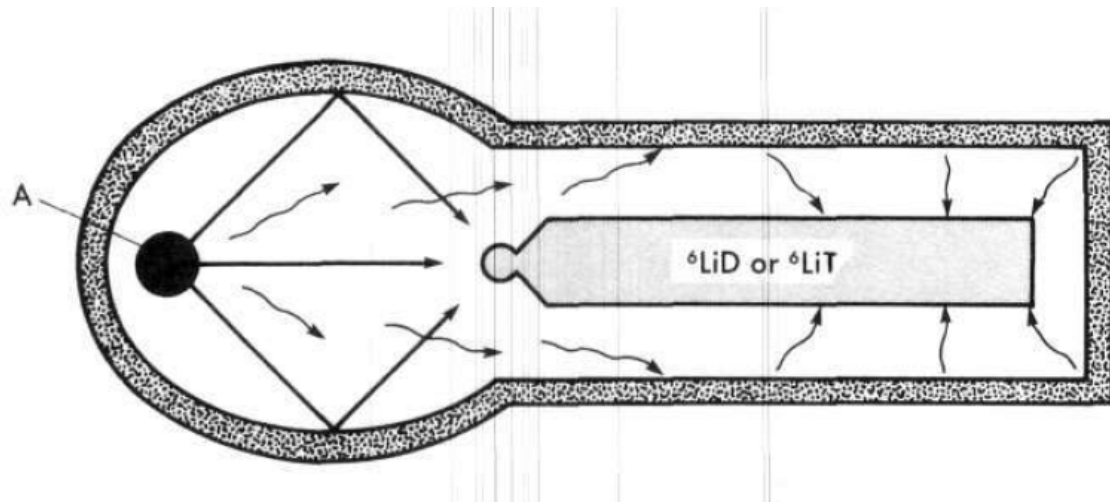


Figure 14. Non – Autocatalytic device (compact device).

3.5.. Non Fission Ignition (Chemical Ignition) and Ablation

Ignition may also be achieved by other nonphysical means such as conventional chemicals. Many configurations are in use and may be utilized. One such is **multi shell**. This is similar to multi shell device described earlier except that it makes use of chemicals to achieve ignition and start the reaction.

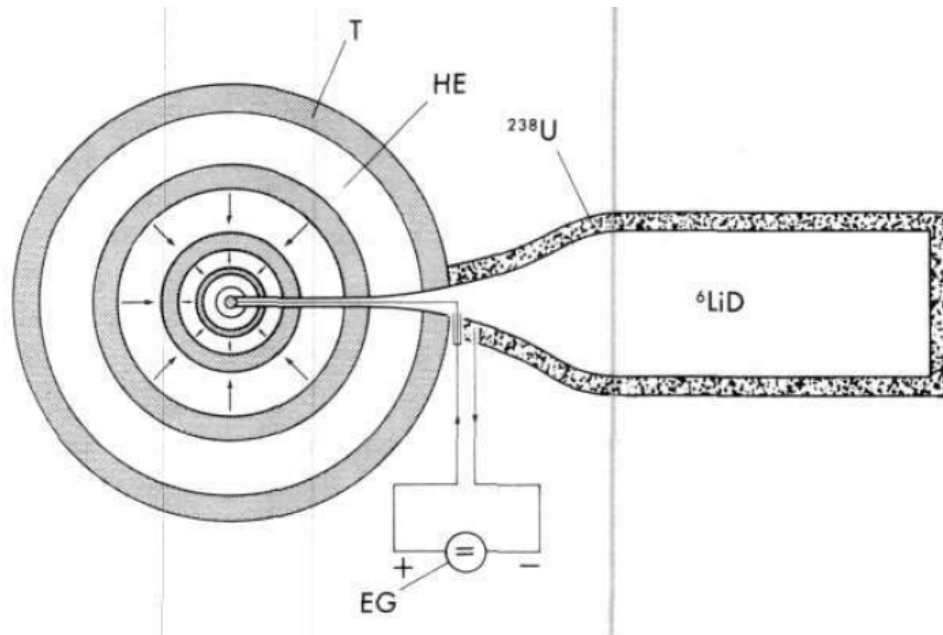


Figure 15. Multi shell chemical ignition device.

In these types of devices size and geometry have its own constraints. For example, chamber containing ignition source is considerably large as compared to fuel chamber. Fuels are same as previously used i.e., ${}^6\text{LiD}$ encapsulated in ${}^{238}\text{U}$. A variant of Prandtl – Meyer ellipsoidal making use of chemicals is known as **Special chemical Prandtl – Meyer configuration** (Figure 16). This is a special case of ellipsoid or Prandtl – Meyer configuration in which same ignition is achieved by a chemical reaction rather than fission device operation. Chemical for ignition is placed in different layers and shock waves generated from it are focused onto target by virtue of the ellipsoidal configuration.

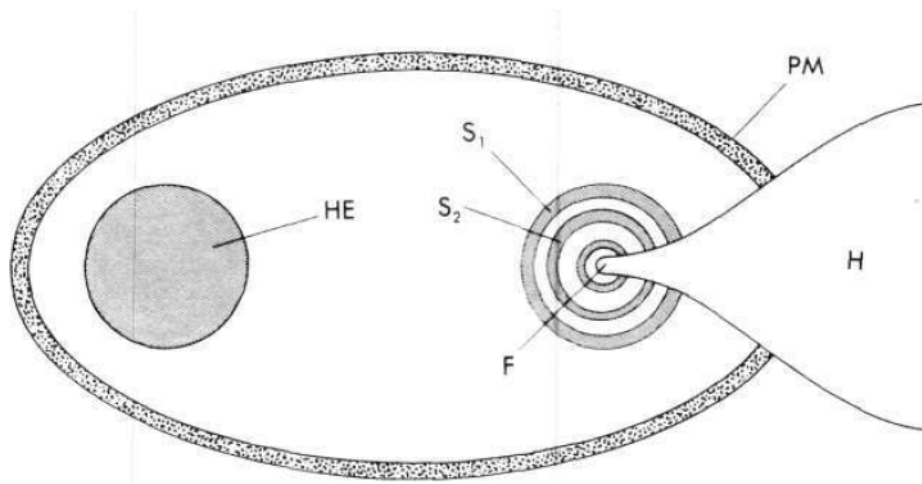


Figure 16. Ellipsoidal chemical ignition device.

A special class of spherical devices in which ignition is achieved by ablation and implosion are known as **Ablation implosion** or simply **ablation** devices. An ablated material is imploded onto a centrally placed spherical device such as explosion is achieved.

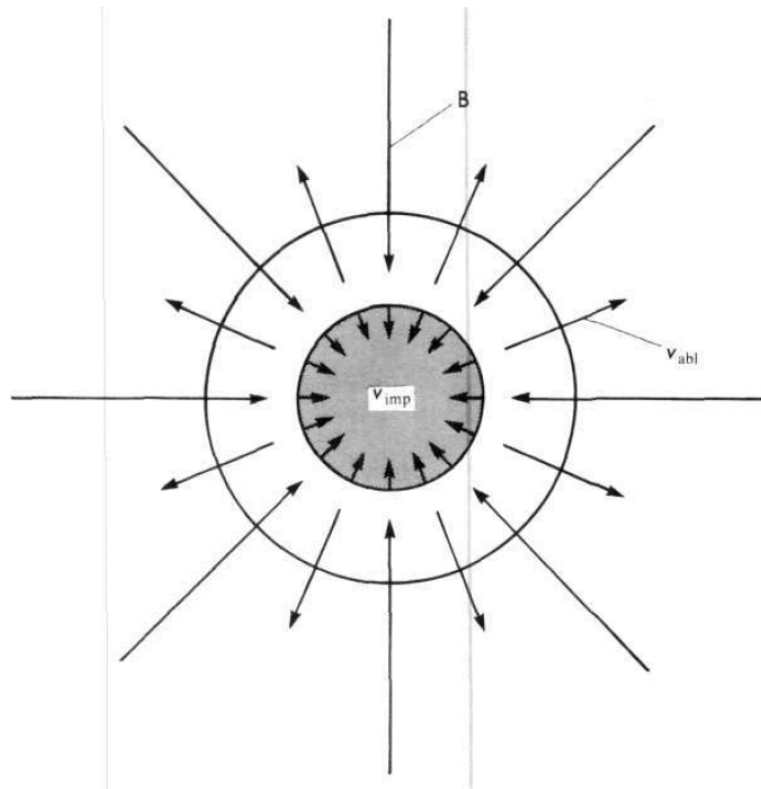


Figure 17. Spherical ablative ignition device.

3.6. Lasers, Ion Beams and FGNW

These are class of devices which utilizes other physical means than chemical ignition to achieve ignition. Foreexample, laser devices make use of high energy, focused laser light to achieve high gain used for ignition Their details may be found in literature cited [35,36]. **Ion beam** may also be used for same purpose. This is special method which utilizes intense ion beams for focusing and ignition. Their details may be found here [37–40]. These will be discussed elaborately in subsequent studies. Yet another are Fourth generation nuclear devices also known as fourth generation nuclear weapons (FGNW). These are [10] special devices which make use of special configurations, arrangements, arbitration and mechanisms to achieve enhanced ignition, high efficiency and high yield. Their details are discussed elsewhere.

3.7. Deployment

Deployment of these devices also constitute careful design and selection of parameters required for a certain scenario. These include, ready fixed site ground deployment, underground silo deployment, mobile launching, air drop and naval ship deployment. Based on each scenario, mechanisms of deployment also vary. Selection of particular war head and its configuration and setting in each mode of deployment determines whole mechanism. Various optimized war head geometrical configurations are designed to reduce air drag, dampening, increase velocity, acceleration, impact, damage upon impact, minimize collateral, splash, and debris. This also depends on and is very strong function of type of carrier for fusion device such as (a) missiles (liquid fuel fired, solid fuel fired (solid grain or solid rocket motor), their altitude, range, trajectories, and flight paths, (b) canons or (c) air crafts.

3.8. Detonation

Detonation of these include, aerial drop, surface detonation, near surface detonation, subsurface detonation, underwater detonation, and open-air blast. Various treaties prohibit the detonation of

these devices (either solefission or fission and fusion combined). However, they are still used for test and research and development purposes.

4. Conclusion

Fusion device engineering has been an active area of research and owing to its importance, it is thoroughly researched here. Fusion device design based on amount of energy output release is determined. It is found that careful control and conversion of energy released determines and control fuel, its amount, distribution, ignition, ignition mechanisms, device size, geometry, and configuration. This is vital factor and carefully considered here. Further later studies will follow design on the basis of energy release mechanisms, yield, and release rate (dy/dt).

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