Influence of degradation products on the elastic stiffness properties of porous absorbable scaffolds made from bioabsorbable metals

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Abstract: For orthopaedic applications, additive manufactured (AM) porous scaffolds made of absorbable metals like magnesium, zinc or iron are of particular interest. They do not only offer the potential to design and fabricate bio-mimetic or rather bone equivalent mechanical properties, they also do not need to be removed in further surgery. Located in a physiological environment, scaffolds made of absorbable metals show a decreasing Young’s modulus over time, due to product dissolution. For WE43 scaffolds, during the first days an increase of the smeared Young’s modulus can be observed, which is mainly attributed to a forming substrate layer of degradation products on the struts surfaces. In this study the influence of degradation products on the stiffness properties of metallic scaffolds is investigated. For this, analytical calculations and finite element simulations are performed to study the influence of the substrate layer thickness and Young’s modulus for single struts and for a new scaffold geometry with adapted polar f2cc,z unit cells. The finite element model is further validated by compression tests on AM scaffolds made from Zn1Mg. The results show, that even low thicknesses and Young’s moduli of the substrate layer increases significantly the smeared Young’s modulus under axial compression.

Keywords: additive manufacturing; scaffolds; bioabsorbable metals; biodegradation; lattice structures; stiffness properties

1. Introduction

The increasingly elderly population and the accompanying rising number of bone fractures lead to a significant rise in physical disabilities. The healing of larger bone defects is still a challenging task in orthopaedics. Using degradable implants eliminates the need for revision surgery, which may be required for some permanent medical devices. Thus, using such implants would not only benefit the patient, but also reduce healthcare costs [1]. Ideally, the implants should present a fully interconnected porous structure and should show equivalent mechanical properties, especially regarding the stiffness [2]. Such a biodegradable bone implant would allow fully natural bone regeneration, while the material gradually disappears in the body through absorption. These requirements can be fulfilled i.e. by additive manufactured (AM) lattice structures. Due to the large number of available materials and design parameters, almost any mechanical and material requirement profile can be set. Whereas biocompatibility and an interconnected porous structure can be fulfilled by a wide range of materials, reaching equivalent mechanical properties at the same time is still challenging. Biocompatible materials can be found in a large variety of material classes [3]. One example are polymer-based materials, which offer great advantages in terms of customized biodegradation and design [4]. Further to mention are ceramic materials, which also exhibit the aforementioned biodegradation and offer particularly good healing properties for bone defects [5]. However, for fully load-bearing applications only metals fulfill the needed properties, especially regarding strength and
stiffness [6]. The Laser Powder Bed Fusion (LPBF) process enables the individualized production of high-resolution lattice structures with very fine struts (<250m) [7,8] at reasonable cost, and is thus ideal for the production of personalized implants [9]. In particular, the use of zinc (Zn), magnesium (Mg), iron (Fe) and their alloys, are increasingly coming into focus for orthopaedic applications [10,11]. Although Fe-based implants would biomechanically, and with respect to their corrosion speed [12,13], gain most from increased porosity [14], their limited cytocompatibility is a concern [15]. Nevertheless, in comparison to pure zinc and magnesium, iron has the highest values regarding yield strength and Young’s modulus (\(\sigma_y,_{Fe} \approx 200 - 352\) MPa, \(E_{Fe} \approx 188 - 215\) GPa [16–18]; \(\sigma_y,_{Zn} \approx 12 - 32\) MPa, \(E_{Zn} \approx 43 - 150\) GPa [12,18,19]; \(\sigma_y,_{Mg} \approx 51\) MPa, \(E_{Mg} \approx 27 - 35\) GPa [20–22]) and offers a large margin for introducing a controlled porosity, which directly influences the strength and stiffness properties of the material. Alloying can further improve the mechanical properties. Adding Zn to Mg-based alloys increases the yield strength and Young’s modulus of the material [3,13,23]. Same goes for Zn alloyed with Mg [3,19,24], whereas adding aluminum to Zn based alloys leads to a decrease in stiffness and strength [19].

Examples for Mg- and Zn-based studies on porous scaffolds can be found i.e at Witte et al. [25], who show the feasibility of producing AM open-porous, biodegradable and biocompatible Mg scaffolds. Li et al. [2] produced AM WE43 scaffolds from diamond unit cells to show the in vitro biodegradation behavior, mechanical properties and biocompatibility. Further, Kopp et al. [26] showed that the pore size of Mg scaffolds influences the long-term stability, while heat treatment especially effects the degradation and mechanical stability. Cockerill et al. [27] used a casting approach to produce porous structures made of pure Zn and studied the topology, mechanical properties, biodegradation and biocompatibility. Another example is shown by Li et al. [28], who produced scaffolds with a diamond lattice structure via LPBF and studied the static and dynamic biodegradation behavior.

In a physiological environment biodegradable metals usually show a decreasing Young’s modulus during the degradation process, due to the progressive absorption of the metallic surface, which consequently leads to a reduction of the strut cross section [29–32]. Since the strut thickness is directly related to the stiffness, the latter will also decrease. Interestingly, during the first days of in vitro corrosion of Mg (WE43) scaffolds, an increase of around 40% in the Young’s modulus was recently reported [2]. This increase in stiffness is mainly attributed to the formation of a composite cross section, consisting of the base strut and an adherend layer of degradation products. A brief review of the literature shows [3,10,29,31], that the compound of degradation products, which adheres to the surface of the struts, consists for the most parts of hydroxides, phosphates and carbonates, for which only insufficient mechanical properties can be found.

We now used Zn1Mg as an example to investigate the influence of degradation products on the elastic stiffness properties of metallic scaffolds by using analytical calculations and finite element (FE) simulations. For this, first, we focused on the direct influence of the forming substrate layer of degradation products on the axial and bending stiffness of single struts. The corroded strut is modeled as a composite beam with a solid Zn1Mg base strut and a thin-walled layer of corrosion products of unknown exactly composition. Instead of using concretely quantified values for the Young’s modulus for the compound of degradation products, hypothetical multiples of the Zn1Mg Young’s modulus are used. Afterwards, a new scaffold geometry, based on a polar modeling of a f2cc,z unit cell is produced and tested, to validate the FE model. Using the validated model, a FE parametric study is done to investigate the influence of the substrate layer thickness and Young’s modulus of the compound on the smeared Young’s modulus of the scaffold.

2. Materials and Methods
2.1. Biochemical process

Most of the mineral degradation products of Zn and Mg based alloys can be specified as phosphates, carbonates and hydroxides [29], where the phosphates and carbonates form a compound of usually unknown composition that further changes over time. Furthermore,
a hydroxide layer is forming on the metallic surface. The basic biochemical processes, responsible for this, can be summarized as followed [29,31,32]:

\[
\begin{align*}
\text{Anodic reaction} & : \text{Metal} \rightarrow \text{Metal}^{n+} + n(e^-) \\
\text{Cathodic reaction} & : 2\text{H}_2\text{O} + 2e^- \rightarrow 4\text{OH}^- + \text{H}_2 \\
\text{Product formation} & : \text{Metal}^{n+} + n(\text{OH}^-) \rightarrow \text{Metal}(\text{OH})_n \\
\text{Product dissolution} & : \text{Metal}(\text{OH})_n + 2\text{Cl}^- \rightarrow \text{Metal}(\text{Cl})_2 + 2\text{OH}^- 
\end{align*}
\]

Figure 1 shows a simplified schematic of the degradation process. The human body fluid releases an anodic reaction and the free electrons undergo a cathodic reaction under the release of hydrogen and hydroxide ions, which form together with the metal a hydroxide layer on the surfaces of the struts. From equivalent reactions, phosphates and carbonates form on the struts surfaces [29]. These processes are responsible for an increase in stiffness during the early phases of the corrosion process [2]. Later, chloride ions start the dissolution of the biodegradable metal to cause a decrease of the cross-sectional strut diameter of the scaffold.

\[
E_V = \frac{P_L}{D_S v_s \Delta y_s}
\]

Within the scope of this work, all AM scaffolds are manufactured with a constant layer thickness of 30 m and \(E_V\) is set for all scaffolds to 133 J/mm³. The scaffolds were afterwards sandblasted with 2.5 bar, to remove adhering powder particles.

### 2.2. Scaffold manufacturing

The LPBF (Laser Powder Bed Fusion) experiments are performed on an AconityMINI system designed by Aconity3D (Herzogenrath, Germany), which is specifically developed for laboratory use. This system is characterized by an adapted gas flow management to remove the resulting process fume for materials with low melting and evaporating temperature (e.g., zinc: 692 K, 1180 K). These materials tend to produce a large amount of process fume during manufacture. The beam source is a single-mode fiber laser (wavelength of 1064 nm) with up to 400 W of power output. Samples are manufactured on zinc baseplate using a bidirectional scanning strategy with 90 rotations between consecutive layers. The energy input during exposure is controlled by the selected process parameters (laser power \(P_L\), layer thickness \(D_s\), scanning speed \(v_s\), and hatch distance \(\Delta y_s\)). The volume energy density \(E_V\) is calculated as followed [33]:

\[
E_V = \frac{P_L}{D_S v_s \Delta y_s}
\]

Figure 2 shows the scaffold geometry, which is used for the FE study and validation.
tests. A modified polar f2cc,z unit cell is used. A total number of four cells in radial
direction ($n_{1,2} = 4$), a total number of $17$ cells in circumferential direction ($m = 17$) and
a total number of $12$ ($n_3 = 12$) cells in height direction is used. The scaffold has a total height
of $h = 12$ mm and a diameter of $d = 10$ mm. The nominal strut radius is $r_s = 0.1$ mm.
The cell width $b$ results from
$$b = \frac{(d - 2R_m)}{(2n_{1,2})} = 0.9 \text{ mm},$$
where $R_m = 1.4$ mm is the radius of central cavity, or rather the inner radius of the first cell ring, measured at the cells
dges. Since the cells only approximate a circle, the radial position of the midpoint of the
cells side faces lies at $r_{m,i} = r_i \cos(\varphi/2)$ for the inner face and $r_{m,o} = r_o \cos(\varphi/2)$ for the
outer face, where $r_i$ is the inner radius of the cell edges and $r_o$ is the outer radius of the cell
edges and $\varphi = 2\pi/m$ is the proportion that a cell has in the total circumference. The strut
inclination $\omega$ of the circumferential diagonal struts can be calculated for the inner diagonals
of each cell ring ($\omega_i$) and for the outer diagonals of each cell ring ($\omega_o$) as followed:

$$\omega_i = \arctan(h/b_i); \omega_o = \arctan(h/b_o)$$

The radial orientated diagonals strut inclination is equal for all cell rings and results
from $\omega_r = \tan(h/b)$. Table 1 sums the resulting geometric parameters of the scaffold. It
should be noticed that for the outer rings, the strut inclinations of the diagonals get lower
45, which usually leads to unfavorable conditions in the AM process. By an optimization of
the manufacturing parameters, see Section 2.2 for reference, and the good processability of
the material, it was nevertheless possible to produce flat angles, as shown in Figure 3. The
strut diameter of the manufactured scaffolds were measured at random positions, resulting
in $r_s \approx 0.092 - 0.106$ mm, which lies in an acceptable tolerance range of the nominal strut
radius.

<table>
<thead>
<tr>
<th>$i$</th>
<th>$r_i$ [mm]</th>
<th>$r_{m,i}$ [mm]</th>
<th>$b_i$ [mm]</th>
<th>$\omega_i$ [$^\circ$]</th>
<th>$r_o$ [mm]</th>
<th>$r_{m,o}$ [mm]</th>
<th>$b_o$ [mm]</th>
<th>$\omega_o$ [$^\circ$]</th>
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**Figure 2.** Scaffold geometry used for the study.

**2.4. Materials and mechanical properties**

This study focuses a Zinc-Magnesium alloy (Zn1Mg). The elastic material properties
used for the numerical and analytical studies are based on literature data [19,34–36].
Validation tests are done on additively manufactured Zn1Mg scaffolds. Furthermore,
Figure 3. Resulting LPBF produced scaffold used for the physical evaluation.

this study is based on a previous study using WE43 scaffolds [2]. Young’s modulus and yield strength of Zn1Mg were reported by Yang et al. [19]. Young’s modulus of Zn1Mg is documented to be $E_{Zn1Mg} \approx 19$ GPa and yield strength $\sigma_{y,Zn1Mg} \approx 74$ MPa. The mechanical properties for Zn1Mg have been extracted via tensile tests. Both, the zinc content as well as the magnesium content will take part in the biochemical reaction process. Material properties for Zn(OH)$_2$, Mg(OH)$_2$, ZnCO$_3$ and MgCO$_3$ from degradation processes are not sufficiently documented in the literature, but can be approximated by extrapolating data i.e. from Ulutan et al. [34], who reported values for the Young’s modulus of Mg(OH)$_2$ of $E_{Mg(OH)2} = 64$ GPa, Ulian et al. [35] reporting throughout anisotropic behavior an $E_{Mg(OH)2} \approx 64 – 180$ GPa, or Yao et al. [36] reporting the Young’s modulus of MgCO$_3$ to be $E_{MgCO3} \approx 150 – 260$ GPa. For Mg(PO)$_4$ and the degradation products of Zn, insufficient data were found. Due to the poor data concerning material properties and proportions of the composite material, hypothetical Young’s moduli are defined by multiples of the base materials Young’s modulus, which is adequate for the analytical and numerical investigations concerning the general influence.

2.5. Analytical Model

The metallic strut and the enclosing compound of degradation products can be modeled as a composite beam. Here, the metallic core is surrounded by a thin-walled mineral cross section, which is idealized to be perfectly round in the following, and is demonstrated in Figure 4. Afterwards, the axial and bending stiffness of a composite strut can be calculated by a summation of the individual layer stiffnesses. The resulting equivalent composite axial stiffness $EA$ can be calculated as followed:

$$EA = \sum E_j A_j = E_s r_s^2 \pi + E_{sub} \left(2r_s t_{sub} + t_{sub}^2\right) \pi,$$

(3)

where $E_s$ is the base materials Young’s modulus, $E_{sub}$ is the Young’s modulus of the compound of degradation products in the substrate layer, $r_s$ is the inner radius of the substrate layer, or rather the base strut radius, and $t_{sub}$ is the thickness of the substrate layer. For the equivalent composite bending stiffness $EJ$ results:

$$EJ = \sum E_j J_j = E_s \frac{\pi}{4} r_s^4 + E_{sub} \frac{\pi}{4} \left(r_s + t_{sub}\right)^4 - r_s^4.$$

(4)

2.6. Finite Element Model

For the FE calculations Abaqus/Standard with python scripting for model creation is used. The scaffolds are meshed using 3-node quadratic beam elements (B32). A convergence study shows, that using five elements per strut gives sufficient results. Linear elastic material behavior and a static, displacement controlled step is used. A displacement of $u = 1$ mm in axial direction ($x_3$-direction) of the scaffold is applied. The summation of
Figure 4. Cross section of the idealized corroded strut; in grey: base strut, in orange: compound of degradation/reaction products.

the nodal reaction forces in axial direction $F_3$ is measured. The resulting stiffness can be calculated from $(EA) = F_3 h / u_3$. Since for beam elements no composite cross section can be defined in Abaqus/Standard, a generalized beam profile is used. Stiffnesses are defined according to Equation 3 and Equation 4. To validate the beam formulation, a single strut under compression and bending is modeled using a) a 3D-volume mesh with a hybrid meshing strategy using 10-node quadratic tetrahedron (C3D10) and 20-node quadratic hexagonal (C3D20) elements and b) the aforementioned beam modeling strategy. For good mesh quality 48 elements in circumferential direction and five elements in radial direction plus one additional element for the substrate layer are used. According to the scaffold mesh, for the single strut beam model a total number of ten 3-node quadratic beam elements (B32) is used. Both models are shown in Figure 5. The base strut radius is set to $r_s = 0.1$ mm and the substrate layer thickness $t_{sub} = 0.01$ mm (see Figure 4 for reference). The strut length is $l = 5$ mm. The beam model cross section is defined with a generalized beam section according to the scaffold model. Both, struts under axial compression and bending are examined. For the axial loaded strut a simply supported beam and for the bending model a cantilever beam model is used.

Figure 5. Finite Element Mesh; (a) solid model, (b) beam model with schematic cross section.

2.7. Experimental Setup

To validate the FE-model, compression tests on equivalent LPBF (Laser Powder Bed Fusion) produced Zn1Mg polar scaffolds are done. A total number of two specimens is tested. The tests are done on an Instron 5567 electric tensile/compression testing machine with 30 kN load cell. The tests are performed displacement controlled with a crosshead speed of $\dot{u} = 0.2$ mm/min. The crosshead displacement and load are documented. Since small shifts in the test setup lead to differences between the real and the crosshead displacement, the tests are monitored via DIC-technique (Direct Image Correlation) using an Aramis 4M system by GOM. By this, the real displacement of the specimen can be measured. Figure 6 shows the setup of the compression tests.
3. Results

3.1. Analytical Results

Figure 7 shows the results of the analytical calculations for the Zn1Mg single struts under axial compression. Shown is resulting composite Young’s modulus $E$ as a function of the substrate layer thickness $t_{sub}$ for different strut radii $r_s$ (50 $\mu$m - 250 $\mu$m). Furthermore, Figure 7 a) shows the resulting absolute composite Young’s modulus (left axis) and relative increase $E/E_{Zn1Mg}$ (right axis) for a Young’s modulus twice as high, b) three times as high, c) four times as high and d) five times as high as the base materials Young’s modulus. It can be noticed that the thinner the struts and the thicker the substrate layer, the higher the resulting composite axial stiffness of the strut. Especially for smaller strut radii, i.e. $r_s = 50 \mu m$, as well as for small substrate thicknesses, the effect of an increase in axial stiffness is clearly visible. Same applies for high Young’s moduli of the substrate layer.

Figure 8 shows the results for the analytical observations of the Zn1Mg single struts under bending. Shown is the resulting composite bending stiffness $EJ$ as a function of the substrate layer thickness $t_{sub}$ for different substrate Young’s moduli $E_{sub}$, which is set to 2-5 times the base materials Young’s modulus $E_{Zn1Mg}$. Furthermore, Figure 8 shows the resulting absolute composite bending stiffness $EJ$ (left axis) and relative increase $EJ/(EJ)_{Zn1Mg}$ (right axis) for a) a base strut radius $r_s = 50 \mu m$, b) $r_s = 100 \mu m$, c) $r_s = 150 \mu m$ and d) $r_s = 200 \mu m$. With increasing substrate layer thickness and higher substrate Young’s modulus, a higher increase in bending stiffness can be observed. Especially for small strut radii, like $r_s = 50 \mu m$, very high increases in bending stiffness can be achieved. This is not only the case for high moduli of the substrate layer, but also in the case when the composite of degradation products has the same Young’s modulus.

3.2. Finite Element Results

3.2.1. Single strut simulations

Figure 9 shows the results of the FE simulations of single struts under axial compression. For both, the base strut and the corroded strut, the axial reaction force $RF1$ shows nearly equal values and the difference lies under 0.02%. In Figure 10 the comparison for the bending loaded struts is presented. In both cases the results of the beam model and the solid model are in good agreement. For the base struts, the difference regarding reaction force $RF$ and reaction moment $RM$ lies at around 1%. For the corroded struts, the difference is lower than 0.03%. Furthermore, especially in the case of the corroded strut, the calculation time can be massively decreased using a beam modeling approach.

3.2.2. Whole scaffold modeling

Figure 11 shows the results of the FE Scaffold parametric study. Shown is the resulting smeared Young’s modulus $E$ of the scaffold, which results from dividing the axial reaction forces by the projected cross section of the whole scaffold $A$, as a function of the base strut
radius $r_s$ for different thicknesses of the substrate layer $t_{sub}$ and (a) a compound Young’s modulus of the substrate layer of $E_{sub} = 19$ GPa (equal to $E_{ZnMg}$), (b) $E_{sub} = 38$ GPa, (c) $E_{sub} = 57$ GPa and (d) $E_{sub} = 76$ GPa. The stiffness grows exponentially as a function of the strut diameter and is clearly more pronounced the higher the Young’s modulus of the compound of the substrate. A significant increase in the axial stiffness of the scaffolds can be observed from all hypothetical Young’s moduli of the substrate. Table 2-5 sums the quantitative results for the respective Young’s moduli. It can be seen that already for a base materials equivalent Young’s modulus of the substrate, small substrate thicknesses of a few microns and small strut radii lead to an increase in stiffness of 22% - 85%. The effect increases significantly when considering higher layer thicknesses and higher stiffnesses of the substrate layer.

### Table 2. Percentage increase of the smeared Young’s modulus $E$ for $E_{sub} = 19$ GPa

<table>
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<tr>
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### Table 3. Percentage increase of the smeared Young’s modulus $E$ for $E_{sub} = 38$ GPa

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### Table 4. Percentage increase of the smeared Young’s modulus $E$ for $E_{sub} = 57$ GPa

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### Table 5. Percentage increase of the smeared Young’s modulus $E$ for $E_{sub} = 76$ GPa

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### 3.3. Confirmation by physical evaluation

Figure 12 shows the results of the two tested scaffolds under axial compression in comparison to the FE result. The tests show reproducible behavior regarding the stiffness. The smeared Young’s modulus of the scaffolds can be calculated in the linear region of the load displacement curves by $E = Fh/(Au)$, where $F$ is the measured force in the machines.
load cell, \( h \) is the total height of the scaffold, \( A \) is the projected smeared cross section of the scaffold and \( u \) is the displacement associated with the measured force. From the tests a Young’s modulus of approximately \( E_{\text{test}} \approx 1125 \text{ MPa} \) can be determined, measured in the area between 600 – 800 N. From the FE model a Young’s modulus of \( E_{\text{FE}} = 1258 \text{ MPa} \) can be extracted. Furthermore, the FE model shows that for loads smaller 800 N, nowhere the strut-stresses have exceeded the yield point. The slight differences could be attributed to local deviations in the strut diameter of the AM scaffolds, as shown in Section 2.3 respectively Figure 3. Furthermore, the modeling using beam elements neglects the accumulation of material in the nodes of the real scaffold. Furthermore, the used Young’s modulus is based on literature data and it is well known that Young’s moduli of AM materials tend to show slight differences (see also Section 1). Nevertheless, the tests show that the FE model based on beam elements provides sufficiently accurate results in terms of the resulting smeared axial stiffness and can be used for the parametric study.

4. Discussion

We investigated the influence of degradation products on the elastic stiffness properties of biodegradable metallic scaffolds. For this, a hypothetical compound of degradation products was modeled as a thin-walled layer with a homogeneous cross section. Since there is no sufficient database, yet, for the mechanical properties of the degradation products, hypothetical Young’s moduli were defined using multiples of the Young’s modulus of the base material. By this, the influence of the substrate layer as a function of the thickness and Young’s modulus of the layer could be investigated. This was done using analytical models and finite element simulations on single struts, to show the direct influence of the substrate layer on the axial and bending stiffness. Two modeling approaches were contrasted for the FE simulations, first a meshing strategy using a 3D volume mesh and second using beam elements. Both approaches show concurring results. For this reason, the beam model was used for the parametric study on whole lattice scaffold geometries, due to the enormous difference regarding the calculation time. To validate the FE model compression tests on two LPBF produced scaffolds were done. From the single strut investigations can be concluded, that depending on the substrates Young’s modulus and the ratio of strut radius to thickness of the substrate layer, significantly increases of the composite axial and bending stiffness is expected. The effect intensifies, the smaller the base strut radius in the initial state is. This applies as well as for relatively low Young’s moduli of the substrate layer as for very high Young’s moduli. The compression tests on LPBF produced scaffolds show reproducible results and furthermore equivalent smeared Young’s moduli in the FE model and physical tests. For this reason, a parametric study on the tested geometry was done, by varying the substrate layer thickness and the Young’s moduli of the compound of the degradation products in the substrate layer, to study the influence of the substrate layer on the smeared Young’s modulus of complex scaffold geometries. Our results show that an enormous increase in stiffness can be expected even for complex geometries. Furthermore, compared to the separated reflection of the influence of the substrate layer on axial and bending stiffness of single struts, the effect of a stiffness increase is clearly more pronounced in the case of scaffold geometries. This is mainly attributable to the combined loading in compression and bending of the struts, which ultimately has a direct effect on the smeared Young’s modulus of the scaffold.

In conclusion, our analytical and numerical modeling approach basically confirmed earlier assumptions by Li et al. [2], that the increase in stiffness of corrosion product layer-coated AM WE43 is indeed due to formation of a composite beam of base strut and substrate layer. Nevertheless, our results have to be validated by further investigations on corroded single struts or equal.

Author Contributions: JB performed most of the analytical analyses, FE modeling, physical testing, and drafted the paper. JB, MV and HJ contributed to the design of the scaffold, while MV produced them. HJ initiated and supervised the study, including the analyses. JHS and KUS contributed their
extensive experience, gave advice regarding the content and the manuscript. All authors co-edited, reviewed, and approved the final version of the manuscript.

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Figure 7. Analytical calculation of the axial stiffness of a single composite strut for varying parameters of the substrate layer.

(a) $E_{\text{sub}} = 2 \cdot E_{Zn1Mg}$
(b) $E_{\text{sub}} = 3 \cdot E_{Zn1Mg}$
(c) $E_{\text{sub}} = 4 \cdot E_{Zn1Mg}$
(d) $E_{\text{sub}} = 5 \cdot E_{Zn1Mg}$

Figure 8. Analytical calculation of the bending stiffness of a single composite strut for varying parameters of the substrate layer.

(a) $r_s = 50 \, \mu m$
(b) $r_s = 100 \, \mu m$
(c) $r_s = 150 \, \mu m$
(d) $r_s = 200 \, \mu m$
Figure 9. Comparison of modeling approaches for base and corroded strut under axial compression; left: beam elements, right: solid elements.

Figure 10. Comparison of modeling approaches for base and corroded strut under bending; left: beam elements, right: solid elements.
Figure 11. Results of the FE simulations of corroded scaffolds for varying parameters.

(a) $E_{sub} = 19 \text{ GPa}$

(b) $E_{sub} = 38 \text{ GPa}$

(c) $E_{sub} = 57 \text{ GPa}$

(d) $E_{sub} = 76 \text{ GPa}$

Figure 12. Validation of FE model: Resulting load-displacement curve of two tested LPBF produced scaffolds and equivalent FE model.
References


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