Article

Validation of Selected Non-destructive Methods for Determining the Compressive Strength of Masonry Units Made of Autoclaved Aerated Concrete

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Abstract: Semi-destructive and non-destructive techniques are not commonly used for masonry as they are complex and difficult to perform. This paper describes validation of the following methods: semi-destructive and non-destructive, ultrasonic technique for autoclaved aerated concrete (AAC). The research subject was the compressive strength of AAC test elements with declared various density classes of: 400, 500, 600 and 700 (kg/m³) and various moisture levels. Empirical data including the shape and size of specimens, were established from tests on 494 cylindrical and cuboid specimens, and standard cube specimens $100 \times 100 \times 100$ mm using the general relationship for standard concrete (Neville's curve). The effect of moisture on AAC was taken into account while determining the strength $f_{\rm Bw}$ for 127 standard specimens tested at different levels of water content (w = 100%, 67%, 33% 23% and 10%). Defined empirical relations can be used to correct the compressive strength of dry specimens. For 91 specimens $100 \times 100 \times 100$ mm, the P-wave velocity $c_{\rm P}$ was tested with the transmission method using using the ultrasonic pulse velocity method with exponential transducers. The curve ($f_{\rm Bw}$) was established.

Keywords: Autoclaved Aerated Concrete (AAC), Compressive Strength, Shape and Size of Specimen, Moisture of AAC, Ultrasonic Testing

1. Introduction

Non-destructive (ultrasonic, sclerometric, pull-out and pull-off) methods for determining mechanical parameters are not commonly used for masonry structures due to significant variations of materials, technology and performance [1-4]. In-situ evaluation of masonry compressive strength can be performed using the destructive (direct) method with flat jacks or drilling a fragment of the masonry [5]. The semi-destructive method consists in testing small specimens of masonry or its components (elements of masonry and mortar) and applying proper empirical curves to convert obtained strength values into the requested value f_k [6]. Also, *stricte* non-destructive methods, such as sclerometic ones (L-type Schmidt hammer) and ultrasonic methods are undertaken although they are not common now.

Determination of compressive strength of modern masonry walls with thin joints, where mortar levels any irregularities of support areas and head joints are unfilled, requires only the properly determined compressive strength of the masonry unit f_B and calculated (with empirical factors η_W and δ expressing the specimen moisture and shape) an average normalised compressive strength. This procedure involves the relationship acc. to Eurocode 6 [7] and is used to calculate the specific compressive strength of the masonry wall:

$$f_k = K f_b^{0.85} = K (\eta_w \delta f_B)^{0.85} \to K (f_{Bw})^{0.85},$$
 (1)

where: K = 0.75 or 0.8, f_b – average normalised compressive strength of masonry unit determined for specimens $100 \times 100 \times 100$ mm, f_B – average compressive strength of the whole masonry unit or a specimen with moisture content w = 0, f_{Bw} – compressive strength of the masonry specimen cut out from the masonry construction with the actual moisture content.

If tests are performed on specimens having different dimensions than a cube with a 10 mm side, the normalised strength is determined using δ factors specified in the standard PN-EN 772-1 [8]. However, the standard does not specify conversion factors for non-standard specimens, such as cores or micro-cores. Consequently, the conversion of results is burdened with a default error that is difficult to be estimated. The literature [9-11] describes conversion factors obtained from tests on other materials, such as concrete, ceramics, or masonry units [12]. No relations to AAC have been presented so far. There are no procedures for determining specific compressive strength of the existing masonry wall with the actual density and moisture content. But in some situations, drilling micro-cores, and even performing sclerometic tests is impossible. So, only ultrasonic non-destructive technique can be used to determine compressive strength.

This paper describes an attempt to establish the empirical curve for determining the normalised compressive strength of the AAC masonry unit with unspecified density and moisture content $f_{\rm Bw}$ using semi-destructive techniques. Neville's curve [9], in the commonly known form from diagnosing standard concrete, was used and calibrated to nominal density classes of AAC (400, 500, 600 and 700). Knowing that, apart from the effect of rising and hardening [13-14], also moisture content in AAC influences the compressive strength, tests were performed and additional empirical relations were defined. The analysis included test results [15] from 494+127 cylindrical and cuboid specimens used to develop empirical curves. Results obtained from destructive tests on standard cube specimens $100 \times 100 \times 100$ mm at different moisture content were correlated with results from testing velocity of P-wave generated by point transducers with the transmission method.

2. Semi-destructive technique

2.1. Specimens, a technique and test results for specimens with varying shapes and dimensions

Tests included four series of masonry units with thickness within the range of 180 mm-240 mm and different classes of density: 400, 500, 600 and 700, from each 20 masonry units were randomly selected. Six series of cores with varying diameters were drilled from each masonry unit. Six series of square specimens having different side length and height were sampled from masonry units using a diamond saw. Cuboid specimens included blocks with dimensions of $100\times100\times100$ mm, which were used as basic specimens for determining the strength f_B in accordance with Appendix B to the standard EN 771-4 [16]). Drilled core and cube specimens are illustrated in Fig. 1. All specimens drilled from blocks were dried until constant weight at a temperature of $105^{\circ}\text{C}\pm5^{\circ}\text{C}$ (for at least 36 hours).

Depending on the specimen size, loading rate was 2400 N/s and 100 N/s. Due to the size of specimens, two types of machines having an operating range of 100 kN and 3000 kN, and the class of accuracy of 0.5, were used (acc. to EN 772-1 [8]) – Fig. 2. Compressive strength f_B was determined for cube specimens $100\times100\times100$ mm (dried until constant weight). The summary of test results for core and cube specimens is shown in Tables 1 and 2. Tables show dimensions and strength of each tested specimen, average strength and coefficient of variation for each tested series. Arrows indicate the direction of AAC growth. When dried until constant weight, each cuboid specimen was weighed and its apparent density was calculated - Table 3.

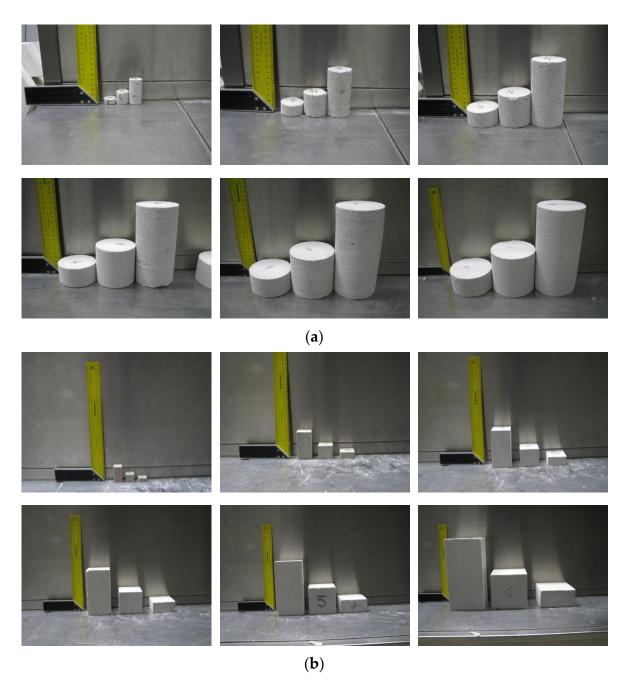


Figure 1. Specimens before tests [15]: (a) core specimens, (b) cube specimens.

Table 1. Test results for core (cylindrical) specimens

	Class of		dimensi	ons, mm	Compressive	Standard	COM
No.	density	Specimen type	diameter,	height,	strength f_{ci} ,	deviation s,	C.O.V
	kg/m³		Ø	h	N/mm ²	N/mm ²	%
1	2	3	4	5	6	7	8
1			_	150	2.84	0.40	14%
2 3 4 5 6 7 8			150	301	2.33	0.13	6%
3				76	2.70	0.06	2%
4				97.8	2.61	0.29	11%
5			97.6	195	2.16	0.21	10%
6				49	2.81	0.39	14%
7				79.2	2.53	0.25	10%
8			79.4	159	2.26	0.26	12%
9	400			40.6	2.85	0.17	6%
10	400			61	2.77	0.17	6%
11			61	121.8	2.65	0.12	5%
12			01	31.8	2.51	0.39	15%
13				40	2.82	0.42	15%
14			39.5	79	2.28	0.34	15%
15				20.5	2.60	0.35	14%
16		+	25	24.4	2.33	0.30	13%
17				49.2	2.69	0.42	16%
18		_ h		12.5	3.56	0.33	9%
1		- "	150	150	2.94	0.25	9%
2		×		301	3.28	0.18	6%
3		*		76	3.01	0.12	4%
4		Ψ		97.8	2.88	0.16	6%
5			97.6	195	3.09	0.06	2%
6			·	49	3.15	0.29	9%
2 3 4 5 6 7 8 9				79.2	3.30	0.12	4%
8			79.4	159	2.90	0.21	7%
9	5 00		-	40.6	3.27	0.45	14%
10	500			61	3.21	0.23	7%
11			61	121.8	3.17	0.26	8%
12			-	31.8	3.19	0.18	6%
13				40	2.94	0.30	10%
14			39.5	79	2.89	0.32	11%
15			-	20.5	3.63	0.36	10%
16				24.4	2.91	0.27	9%
17			25	49.2	3.16	0.18	6%
18			-	12.5	4.06	0.25	6%

cont. Table 1 Test results for core (cylindrical) specimens

1	2	3	4	5	6	7	8
1				150	5.06	0.36	7%
2			150	301	4.23	0.21	5%
				76	5.11	0.68	13%
4		•		97.8	4.49	0.22	5%
5			97.6	195	4.26	0.18	4%
3 4 5 6				49	5.01	0.61	12%
7		•		79.2	4.43	0.09	2%
8			79.4	159	4.73	0.25	5%
9	600			40.6	5.14	0.52	10%
10	600	•		61	4.65	0.47	10%
11			61	121.8	4.54	0.16	3%
12				31.8	5.19	0.66	13%
13		•		40	4.87	0.53	11%
14			39.5	79	4.18	0.31	8%
15				20.5	6.00	0.81	14%
16		+		24.4	5.17	0.27	5%
17			25	49.2	4.79	0.64	13%
18		h		12.5	6.88	0.76	11%
1		_ "		150	7.12	0.96	14%
2		*	150	301	7.25	0.56	8%
3		*		76	7.69	0.63	8%
2 3 4 5		Ψ		97.8	7.37	0.76	10%
5			97.6	195	7.22	0.42	6%
6				49	7.93	0.28	4%
7		•		79.2	6.77	0.35	5%
8			79.4	159	7.25	0.57	8%
9	700			40.6	8.87	0.36	4%
10	700	•		61	7.25	1.04	14%
11			61	121.8	7.05	0.51	7%
12				31.8	8.57	0.35	4%
13		•		40	7.55	0.32	4%
14			39.5	79	7.21	1.08	15%
15				20.5	9.18	0.77	8%
16		•		24.4	7.66	0.77	10%
17			25	49.2	7.73	0.40	5%
18				12.5	13.42	0.95	7%

Table 2. Test results for cuboid specimens

N.T.	Class of	_	c	limensions, mi	m	Compressive	Standard	CON
No	density	Specimen type	width,	thickness,	height,	strength f_{ci} ,	deviation s ,	C.O.V
	kg/m³		d	d	h	N/mm ²	N/mm ²	%
1	2	3	4	5	6	7	8	9
1				. <u>-</u>	143	2.80	0.18	6%
2			143	143	72	2.91	0.14	5%
3		_			285	2.47	0.05	2%
1 2 3 4 5 6 7 8 9				. <u>-</u>	100*	2.88	0.36	12%
5			100	100	50	2.59	0.24	9%
6		<u>-</u>			200	3.16	0.13	4%
7				_	80	3.12	0.23	7%
8			80	80	39	3.60	0.44	12%
9	400	_			158	2.71	0.15	5%
10	400	_		_	59	2.99	0.11	4%
11			59	59	30	3.16	0.17	5%
12				-	121	2.98	0.08	3%
13		_		_	40	2.85	0.07	3%
14			40	40	19.6	3.02	0.07	2%
15				-	78.5	2.77	0.41	15%
16				24	24	2.80	0.20	7%
17			24		12.5	3.23	0.56	17%
18					49	2.43	0.26	11%
1		h		143	143	2.33	0.28	12%
2		b/	143		72	3.74	0.06	2%
3		* d *			285	2.16	0.11	5%
1 2 3 4 5 6 7 8 9		_			100*	3.59	0.13	4%
5			100	100	50	3.29	0.13	4%
6				-	200	3.40	0.06	2%
7		_			80	3.31	0.15	5%
8			80	80	39	3.67	0.11	3%
9	500			-	158	2.48	0.22	9%
10	500	-			59	2.83	0.09	3%
11			59	59	30	3.20	0.55	17%
12				-	121	2.94	0.17	6%
13		-			40	2.90	0.04	1%
14			40	40	19.6	3.28	0.21	6%
15				-	78.5	2.77	0.44	16%
16		_			24	4.78	0.39	8%
17			24	24	12.5	4.92	0.90	18%
18				<u>-</u>	49	1.79	0.10	6%

cont. Table 2 Test results for cuboid specimens

1	2	3	4	5	6	7	8	9
1					143	3.97	0.10	2%
2			143	143	72	5.69	0.10	2%
3					285	3.58	0.25	7%
$\overline{4}$		-			100*	4.95	0.35	7%
5			100	100	50	5.80	0.35	6%
6					200	5.34	0.61	11%
2 3 4 5 6 7 8 9		-			80	6.01	0.75	12%
8			80	80	39	6.60	0.12	2%
9	600				158	4.45	0.19	4%
10	600				59	4.58	0.08	2%
11			59	59	30	5.85	0.04	1%
12					121	4.84	0.09	2%
13		_			40	5.81	0.41	7%
14			40	40	19.6	5.06	0.17	3%
15		_			78.5	5.65	0.20	4%
16					24	6.02	0.74	12%
17			24	24	12.5	6.30	0.19	3%
18					49	4.19	0.91	22%
18 1 2 3 4 5 6 7 8 9 10		h			143	4.88	1.03	21%
2		b/	143	143	72	7.21	0.27	4%
3		$\stackrel{+}{\times}$ $\stackrel{d}{\longrightarrow}$ $\stackrel{\times}{\times}$			285	5.28	0.44	8%
4					100*	8.11	0.58	7%
5			100	100	50	7.02	1.07	15%
6		<u>-</u>			200	7.56	0.25	3%
7					80	6.31	0.27	4%
8			80	80	39	8.79	0.89	10%
9	700	<u>-</u>			158	6.50	0.98	15%
	700				59	5.76	0.34	6%
11			59	59	30	6.31	1.10	17%
12		<u>-</u>			121	4.65	0.95	20%
13					40	5.48	0.52	10%
14			40	40	19.6	7.00	0.22	3%
15		<u>-</u>			78.5	6.71	0.29	4%
16					24	5.38	1.98	37%
17			24	24	12.5	9.37	1.96	21%
18					49	4.89	1.66	34%

^{* –} cube specimens according to PN-EN 771-4:2012 used to determine compressive strength fb.

Table 3. Test results for AAC density

No ·	nominal class of density kg/m³	Number of specimens	Average density, kg/m³	Standard deviation <i>s,</i> kg/m³	C.O.V %
1	400	57	397	22.01	6%
2	500	57	492	15.86	3%
3	600	57	599	13.39	2%
4	700	57	674	19.83	3%

Development of cracks in cuboid specimens of different dimensions was recorded with an optical measuring system – Fig. 3. In dense specimens with slenderness ratio h/b = 1, diagonal cracks developed at upper edges, and they formed two truncated pyramids at failure – Fig. 3a. In specimens with slenderness ratio h/d = 2, a vertical crack in the mid-length of the base appeared as the first, and then secondary diagonal cracks formed near corners of specimens – Fig. 3b. The arrangement of cracks in specimens of bigger volume at failure was similar to dense specimens – Fig. 3c.





Figure 2. Testing compressive strength of AAC specimens [15]: **(a)** tests on cores using a strength testing machine with an operating range of 100 kN, **(b)** tests on cuboid specimens using a strength testing machine with an operating range of 3000 kN

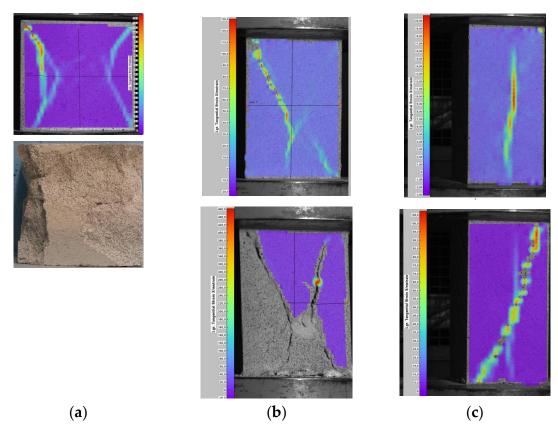


Figure 3. Destruction of specimens with varying slenderness ratio [15]: (a) specimen 143×143×143 mm, (b) specimen 100×100×200 mm, (c) specimen 80×80×158 mm.

If strength of the material depends on its defects, such as pores or voids, then individual specimens of different shapes can have significantly different values. These aspects are covered by Weibull's statistical theory of material strength [17-18], which states that strength of the material is reversely proportional to volume of the tested specimen at the same probability of failure:

$$\frac{\sigma_1}{\sigma_2} = \left(\frac{V_2}{V_1}\right)^{1/m},\tag{2}$$

where: σ_1 , σ_2 – failure stresses for specimens with volume V_1 and V_2 , m – constant.

The exponential type of this relation (2) is similar to hyperbole and is used during tests on compressive and tensile strength of dense specimens. Neville [9] developed a similar hyperbolic relation with regard to its course, while testing specimens of different slenderness. This relation is used to determine compressive strength of concrete in specimens with shape and dimensions different from those of standard specimens (blocks 150×150×150 mm). The empirical curve for standard concrete is expressed as:

$$\frac{f_c}{f_{c,cube150}} = 0.56 + \frac{0.697}{\frac{V}{152hd} + \frac{h}{d}},\tag{3}$$

where: V – specimen volume, h – specimen height, d – the smallest side dimension of the specimen.

Replacing strength $f_{\text{c,cube}150}$ obtained from standard specimens 150×150×150 mm with strength f_{B} for specimens 100×100×100 mm drilled from masonry units, and the ratio 152hd with volume of the standard specimen 100hd, the relationship(3) can be expressed as:

$$\frac{f_c}{f_B} = b + \frac{a}{\frac{V}{100hd} + \frac{h}{d}} \rightarrow y = b + \frac{a}{x},$$
(4)

where: f_B – compressive strength of normalised specimen $100\times100\times100$ mm with moisture content w=0, f_C – compressive strength of a specimen with any shape and dimensions, and moisture content w=0, a and b – constant coefficients for the curve , $y = f_C / f_B$ – ratio of compressive strength, x = V/100hd + h/d – dimensionless coefficient representing the effect of specimen volume and slenderness.

Sought parameters of the curve (4) were determined by searching a local minimum sum of squares difference:

$$S(a,b) = \sum_{i=1}^{n} [y_i - y(x_i)]^2 = \sum_{i=1}^{n} [y_i - \left(\frac{a}{x_i} + b\right)]^2,$$
 (5)

using the following relationships:

$$\frac{\partial S(a,b)}{\partial a} = 0 \,, \tag{6}$$

$$\frac{\partial S(a,b)}{\partial b} = 0. (7)$$

When the system of linear equations was differentiated and solved, the following relations were obtained expressed in the form facilitating the construction of a correlation table:

$$a = \frac{\sum_{i=1}^{n} \frac{y_i}{x_i} - \frac{1}{n} \sum_{i=1}^{n} y_i \sum_{i=1}^{n} \frac{1}{x_i}}{\left(\sum_{i=1}^{n} \frac{1}{x_i^2} - \frac{1}{n} \sum_{i=1}^{n} \frac{1}{x_i} \sum_{i=1}^{n} \frac{1}{x_i}\right)},$$
(8)

$$b = \frac{1}{n} \sum_{i=1}^{n} y_i - \frac{1}{n} \left(\frac{\sum_{i=1}^{n} \frac{y_i}{x_i} - \frac{1}{n} \sum_{i=1}^{n} y_i \sum_{i=1}^{n} \frac{1}{x_i}}{\sum_{i=1}^{n} \frac{1}{x_i^2} - \frac{1}{n} \sum_{i=1}^{n} \frac{1}{x_i} \sum_{i=1}^{n} \frac{1}{x_i}} \right) \sum_{i=1}^{n} \frac{1}{x_i}.$$
 (9)

For defining compliance of the curve, some uncertainty was assumed to be neglected during measurements x (the specimen geometry). Additionally, uncertainties of all y values were the same (the same significance of measurements resulting from identical measuring techniques). To estimate the coefficient of correlation, the following was calculated:

- error of estimate

$$S_{tN} = \frac{1}{n} \sum_{i=1}^{n} (y_i - y_m)^2 , \qquad (10)$$

where: $y_m = \frac{1}{n} \sum_{i=1}^{n} y_i$,

- sum of errors:

$$S_{rN} = \frac{1}{n} \sum_{i=1}^{n} \left(y_i - \left(\frac{a}{x_i} + b \right) \right)^2 , \tag{11}$$

and then coefficient of correlation:

$$R = \sqrt{\frac{S_{tN} - S_{rN}}{S_{tN}}} {.} {(12)}$$

The paper [15] compares curve correlations developed for cuboid and cylindrical specimens. Obtained values of curve coefficients a and b are compared in Table 4. Comparison of test results and the common curve is shown in Fig. 4.

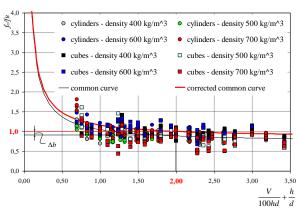


Figure 4. Test results for all core and cube specimens and determined curve of correlation

When specimens $100\times100\times100$ mm are used, the value of curve dominator is V/100hd + h/d = 2, and strength ratios calculated according to equations from Table 4 are $f_c/f_B \neq 1$. To obtain the ratio $f_c/f_B = 1$ from normalised specimens, curves need to be translated in parallel to the intercept axis using the additive correction factor Δb for the common curve:

$$\frac{f_c}{f_B} = b + \Delta b + \frac{a}{\frac{V}{100hd} + \frac{h}{d}} \to \Delta b = 1 - b - \frac{a}{2}.$$
 (13)

Table 4. Comparison of coefficients and equations of empirical curves

Density range of	Coeffic	ient for				
AAC,		rve		Additive	Corrected	
average density ρ, (nominal class of density) kg/m³	а	b	R	R correction coefficient for Curve Δb $b_{ m kor}$		Curve equation
from 375 to 446 397, (400)	0.159	0.857	0.324	0.06	0.921	$\frac{f_c}{f_B} = 0.921 + \frac{0.159}{\frac{V}{100hd} + \frac{h}{d}}$
from 462 to 532, 492, (500)	0.312	0.682	0.533	0.16	0.844	$\frac{f_c}{f_B} = 0.844 + \frac{0.312}{\frac{V}{100hd} + \frac{h}{d}}$
from 562 to 619, 599, (600)	0.349	0.779	0.612	0.05	0.826	$\frac{f_c}{f_B} = 0.826 + \frac{0.349}{\frac{V}{100hd} + \frac{h}{d}}$
from 655 to 725, 674, (700)	0.454	0.608	0.614	0.16	0.773	$\frac{f_c}{f_B} = 0,773 + \frac{0,454}{\frac{V}{100hd} + \frac{h}{d}}$
common curve	$a_{\rm w} = 0.321$	bw = 0.730	0.262	0.11	0.840	$\frac{f_c}{f_B} = 0.840 + \frac{0.321}{\frac{V}{100hd} + \frac{h}{d}}$

2.3. Calibrating a curve in air-dry conditions

Many curves developed for specific density of AAC were replaced with a curve which was more favourable for diagnostic purposes and could be used to determine the strength of AAC with any density and moisture content. Coefficients a and b determined for concrete with specific density within the defined ranges and presented in Table 4 as well as coefficients a_w and b_w of the common curve were used to develop correlations illustrated in Fig. 5.

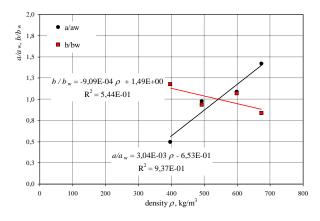


Figure 5. Relative coefficients of curves

The following relationships describing curve coefficients as a function of AAC densities were developed on the basis of results shown in Fig. 5, using the method of least squares:

$$a = a_w \cdot (3,044 \cdot 10^{-3} \,\rho - 0,653) = 0,321 \cdot (3,044 \cdot 10^{-3} \,\rho - 0,653), \tag{14}$$

$$b = b_{vv} \cdot (9,09 \cdot 10^{-4} \,\rho - 1,49) = -0,730 \cdot (9,09 \cdot 10^{-4} \,\rho - 1,49). \tag{15}$$

The formation of AAC curve with any density, when a and b values have been determined, requires a correction for the coefficient b which results in the strength ratio obtained from the curve (13) at V/100hd + h/d = 2.

2.4. Calibrating an empirical curve in moisture conditions

Properties of AAC and standard concrete depend on moisture content [14, 19] which cause a clear reduction in compressive and tensile strengths, and degradation of insulating parameters. Thus, further tests also focus on the effect of moisture content in AAC, which is a ratio of absorbed water to the mass of dry material:

$$w = \frac{m_w - m_s}{m_s} \cdot 100\%, \tag{16}$$

where: m_w – mass of wet specimen, m_s – mass of specimen dried until constant weight.

The maximum moisture content (absorbality) w_{max} in AAC corresponds to the level of water, at which no further increase in mass m_{w} is observed as the effect of passage of (capillary) water. Relative moisture was calculated as the ratio of current and maximum moisture w/w_{max} .

The total number of 127 specimens $100\times100\times100$ m, divided into five six-element series, was prepared from AAC blocks with varying density. Each specimen was put into containers filled with water to saturate it with water as the effect of passage of (capillary) water. Specimens were weighed every 6 hours and moisture content w was calculated each time. Maximum moisture content in each type of AAC was assumed to be determined at first, and then specimens were dried until the required moisture content. Strength tests were expected to be performed at the following levels of relative moisture: w / w_{max} = 100%; 67%; 33%; 23%, 10% and 0%. Average test results for individual series of specimens are shown in Table 8.

Maximum moisture content in AAC depended on nominal density. At the density increase in the range from ρ = 397 kg/m³ to 674 kg/m³, the maximum moisture content was varying within w_{max} = 89.9% – 53.3 %, which made it possible to determine a straight line of the least square in the following form:

$$w_{max} = -1.23 \frac{\rho}{1000} + 1.34 \text{ when } 397 \frac{\text{kg}}{\text{m}^3} \le \rho \le 674 \frac{\text{kg}}{\text{m}^3}.$$
 (17)

At each moisture level, destructive tests were performed to determine the strength of wet concrete f_{Bw} , and the results are illustrated in Fig. 6a as a function of moisture w. Fig. 6b presents the obtained strength values with respect to the strength f_{B} of dry (w=0) AAC as a function of relative moisture w / w_{max} .

Two empirical lines were drawn on the basis of obtained results and used to determine the relative strength of AAC as a function of relative moisture in the following form:

$$\frac{f_{Bw}}{f_B} = -0.96 \frac{w}{w_{max}} + 1 \to f_{Bw} = f_B \left(-0.97 \frac{w}{w_{max}} + 1 \right) \text{ when } 0 \le \frac{w}{w_{max}} \le 0.31$$
 (18)

$$\frac{f_{Bw}}{f_B} = -0.15 \frac{w}{w_{max}} + 0.74 \rightarrow f_{Bw} = f_B \left(-0.15 \frac{w}{w_{max}} + 0.74 \right) \text{ when } 0.31 < \frac{w}{w_{max}} \le 1.0$$
 (19)

Strength f_{Bw} calculated from equations (18) and (19) includes the moisture effect, so it does not require conversion to average normalised compressive strength f_{b} .

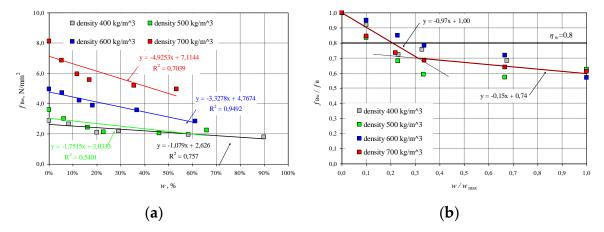


Figure 6. Test results for AAC strength, taking into account moisture level: (a) strength f_{Bw} as a function of moisture w, (b) relative strength of AAC f_{Bw} / f_B as a function w / w_{max}

Fig. 6b also shows the value of factor $\eta_{\rm w}$ = 0.8 recommended by the standard EN 772-1 [8] and used to take into consideration the effect of moisture level. The standard recommendation provides the safe reduction of compressive strength only for the moisture level w / $w_{\rm max}$ = 0.2. Tests on walls with higher moisture content showed that compressive strength could be even reduced by 40%, that is, over twice more than the provisions recommend.

Table 8. Test results for AAC with varying moisture content

No.	Density range of AAC, average density p, (nominal class of density) kg/m³	Average moisture content w, %	Average relative moisture $w/w_{ ext{max}}$	Average compressive strength f _{Bw} , N/mm ²	Standard deviation, s, N/mm²	COV, %	Average relative compressive strength $f_{\rm Bw}/f_{\rm B}$
1	2	3	4	5	6	7	8
1		0	0	2.88*	0.36	12%	1.0
		8.3	0.10	2.64	0.21	8%	0.92
2 3 4 5 6	from 375 to -	20.1	0.23	2.09	0.11	5%	0.72
4	446,	29.1	0.33	2.18	0.16	8%	0.76
5	397, – (400), –	58.3	0.67	1.96	0.14	7%	0.68
6	(400), -	89.9	1.00	1.78	0.13	7%	0.62
7		0	0	3.59*	0.13	4%	1.0
8	from 462 to	6.2	0.10	3.00	0.22	7%	0.84
9	532,	16.2	0.23	2.44	0.49	20%	0.68
10	492,	22.8	0.33	2.12	0.21	10%	0.59
11	(500),	46.1	0.67	2.06	0.29	14%	0.57
12		66.0	1.00	2.24	0.23	10%	0.62
13		0	0	4.95*	0.35	7%	1.0
14	from 562 to	5.40	0.10	4.71	0.49	10%	0.95
15	619,	12.6	0.23	4.21	0.38	9%	0.85
16	599,	18.2	0.34	3.88	0.52	13%	0.78
17	(600),	58.3	0.67	1.96	0.33	9%	0.68
18	_	61.1	1.00	2.82	0.28	10%	0.57

1	2	3	4	5	6	7	8
19	_	0	0	8.11*	0.58	7%	1.0
20	from 655 to	5.30	0.10	6.86	0.63	9%	0.85
21	725,	11.7	0.22	5.96	0.71	12%	0.74
22	674,	16.8	0.34	5.56	0.58	10%	0.69
22 23 24	(700),	46.1	0.67	2.06	0.70	13%	0.57
24		53.3	1.00	4.95	0.41	8%	0.61

^{*} f_B – compressive strength of dry AAC, when w = 0.

To sum it up, determination of compressive strength of the wall f_k requires at first, taking into account varying shape and moisture, to estimate in-situ moisture content, and then drill specimens, estimate density and compressive strength, and then make conversion relevant to moisture. Compressive strength calculated from the equation (18) or (19) can be substituted to the equation (1).

3. Ultrasonic non-destructive method

The application of traditional cylindrical transducers may be difficult as it requires the agent coupling with the tested surface. Tests on very porous and coarse materials, such as AAC, with cylindrical transducers may be also problematic. Measuring the distance of the wave is also difficult, especially if tests are performed only at one side [21-23]. Measurements are simpler and easier to perform when transducers having local contact with concrete are applied. Waveguides for this type of transducers are in cone shape or can be formed according to the exponential curve. As energy produced by ultrasound is lower than in cylindrical transducers with a larger contact surface, the spacing of transducers at one-side access to standard concrete with density of ca. 2500 kg/m3 should not exceed 25 cm, and at both-side access - 15 cm [24].

3.1. Testing technique of specimens

Non-destructive tests on AAC were performed using the ultrasonic testing, commonly applied for testing strength of concrete [25], and testing masonry walls [1-3]. Ultrasonic testing was conducted on block specimens $100\times100\times100$ mm drilled from masonry units – Fig. 7. Wet specimens with relative moisture w / w_{max} = 100%, 67%, 33%, 23% and 10%, and specimens dried until constant weight w / w_{max} = 0% were used in tests. Each series of elements included at least 20 specimens, and 91 specimens in total were tested.

The PUNDIT LAB instrument (Proceq SA, Schwerzenbach, Switzerland) was utilized for measurements of the ultrasonic pulse velocity. Commercial exponential transducers with the waveguide length L = 50 mm, diameters $ø_1 = 4.2$ mm and $ø_2 = 50$ mm, and frequency 54 kHz were employed. The applied research methodology and equipment was also used for testing also for ultrasonic tomography for concrete [26-27] or masonry [28-29].

Each specimen was put on a pad insulating from shock and outdoor noise, and then transducers were applied to walls and the measurement was made with the transmission method. Transducers were in contact with specimens at an angle of 90° within distance between transducers measured every time with an accuracy up to ± 1 mm. Time was measured with an accuracy up to ± 0.1 μ s. The measurement results are presented in Table 9.

In AAC specimens dried until constant weight, the velocity of ultrasounds was varying from 1847 m/s in concrete of class 400 kg/m³ to 2379 m/s in concrete of class 700 kg/m³. An increase in P-wave velocity c_P was also proportional to density increase in wet specimens.

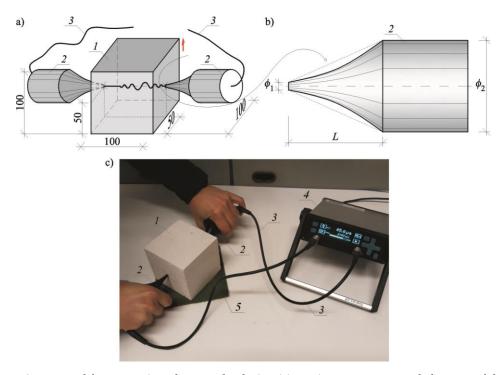


Figure 7. A test stand for measuring ultrasound velocity: (a) specimen geometry and elements of the stand, (b) geometry of exponential transducer, (c) a test stand; 1 - tested AAC specimen $100 \times 100 \times 100$ mm, 2 - exponential transducers, 3 - cables connecting transducers with recording equipment, 4 - recording equipment, 5 - an insulating pad

Table 9. Test results for ultrasound velocity in AAC with varying moisture content

No.	Density range of AAC, average density ρ, (nominal class of density) kg/m³	w∕w _{max}	Average path length <i>L,</i> mm	Average passing time of wave t , μ s	Average P-wave velocity $c_P=L/t$, m/s	Standard deviation, s, m/s	COV, %
1	2	3	4	5	6	7	8
1	_	0	_	54.3	1847	35.9	1.9%
2	from 375 to	0.10		57.4	1746	24.0	1.4%
3	446,	0.23	- - 100.2	67.0	1501	37.7	2.5%
4	397,	0.33	100.2	67.6	1483	32.8	2.2%
5	(400),	0.67	_	76.5	1315	25.6	1.9%
6	_	1.00	_	72.7	1384	44.5	3.2%
7		0		52.4	1917	51.4	2.7%
8	from 462 to	0.10		56.3	1671	28.3	1.7%
9	532,	0.23	- - 100.4	62.3	1614	33.6	2.1%
10	492,	0.33	100.4	63.0	1595	34.7	2.2%
11	(500),	0.67	_	64.4	1562	70.2	4.5%
12		1.00	_	62.0	1520	43.9	2.9%
13		0		47.7	2101	49.7	2.4%
14	from 562 to	0.10	_	50.5	1985	41.7	2.1%
15	619,	0.23	- - 100.2	52.5	1910	59.6	3.1%
16	599,	0.34	− 100.∠	54.7	1832	52.7	2.9%
17	(600),	0.67		58.0	1738	69.1	4.0%
18	- -	1.00		55.6	1812	58.3	3.2%

1	2	3	4	5	6	7	8
19		0		42.2	2379	46.2	1.9%
20	from 655 to	0.10	_	44.3	2269	43.1	1.9%
21	725,	0.22	100 =	47.0	2139	52.4	2.4%
22	674,	0.34	- 100.5 -	47.6	2111	51.5	2.4%
23	(700),	0.67		48.4	2085	56.1	2.7%
24		1.00	_	48.2	2094	28.3	1.4%

cont. Table 9 Test results for ultrasound velocity in AAC with varying moisture content

3.2. Calibrating a curve in air-dry conditions

Performed tests showed that density and relative moisture affected the velocity of P-waves in AAC. By performing steps like in point 2.2, at first the correlation curve was determined which presented ultrasound velocity in AAC specimens in air-dry conditions as a function of compressive strength f_B . At the beginning, the curve representing the relationship between the average measured ultrasound velocity as a function of compressive strength f_{Bw} of wet AAC, grouping results by AAC density – Fig. 8a. Higher sound velocity was found in concrete with greater density and compressive strength. Linear dependence, equations of which are illustrated in Fig. 8a, are adequately precise approximations. Fig. 8b illustrates results for compressive strength and corresponding ultrasound velocity of dry AAC ($w / w_{max} = 0\%$), selected from each density class of AAC. Then, the relationship $c_P - f_B$ was calculated with the least square method. For example, Fig. 8b also shows the relationship of concrete with maximum moisture content ($w / w_{max} = 100\%$), obtained similarly.

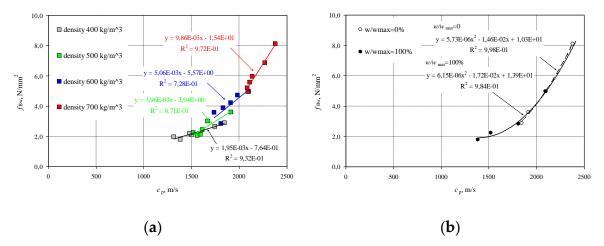


Figure 8. Results from P-waves velocity testing: (a) compressive strength of AAC including density classes, (b) AAC strength in wet concrete – f_{BW} and totally dry concrete – f_{B}

For concrete with moisture content w / w_{max} = 0%, the following empirical relationship was obtained:

$$f_B = a(c_p)^2 + bc_p + c \to f_B = 5.73 \cdot 10^{-6} (c_p)^2 + 1.43 \cdot 10^{-2} c_p + 10.3,$$
when $1847 \frac{\text{m}}{\text{s}} < c_p \le 2379 \frac{\text{m}}{\text{s}}$. (20)

The curve (20) covers results from testing all densities of AAC, where the obtained coefficient of correlation is $R^2 = 0.98$.

3.3. Calibrating a curve in moisture conditions

The practical use of obtained test results requires the common curve which takes into account both the varying density of AAC and the moisture impact. For this purpose, the common curve

including all moisture levels w/w_{max} and densities, was found with the least square method – Fig. 9a. The equation of the common curve was:

$$f_{Bw} = a_w (c_p)^2 + b_w c_p + c_w \rightarrow f_{Bw} = 5.33 \cdot 10^{-6} (c_p)^2 - 1.39 \cdot 10^{-2} c_p + 10.9 \text{ when}$$

$$1315 \frac{m}{s} < c_p \le 2379 \frac{m}{s}.$$
(21)

Then, equations for individual curves were developed with reference to AAC density. Test results are presented in Table 10. The obtained coefficient values were compared to coefficients a_w , b_w and c_w for the common curve, and then plotted to the graph Fig. 9b.

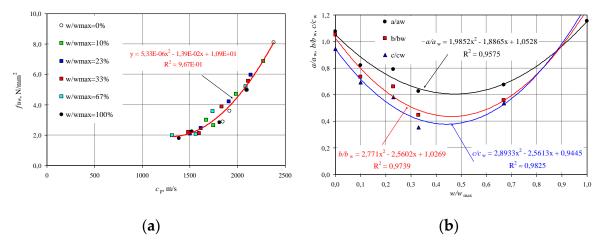


Figure 9. Results from ultrasound velocity testing: (a) common curve $f_{Bw} - c_p$ for all AAC densities and moisture levels, (b) equations for curve coefficients at varying moisture content in AAC f_{Bw}

Table 10. Comparison of coefficients and equations of empirical curves

w/w _{max}	Curv	e coefficier	nt	- R ²	Currie equation
W/Wmax	а	b	С	ι K²	Curve equation
0	5.73×10 ⁻⁶	-1.46×10 ⁻²	10.30	0.99	$f_{Bw} = 5.73 \cdot 10^{-6} (c_p)^2 - 1.46 \cdot 10^{-2} c_p + 10.3$
0.1	4.37×10 ⁻⁶	-1.02×10 ⁻²	7.56	0.97	$f_{Bw} = 4.37 \cdot 10^{-6} (c_p)^2 - 1.02 \cdot 10^{-2} c_p + 7.56$
0.23	4.22×10 ⁻⁶	-9.19×10 ⁻³	6.35	0.99	$f_{Bw} = 4,22 \cdot 10^{-6} (c_p)^2 - 9,19 \cdot 10^{-3} c_p + 6,35$
0.33	3.33×10 ⁻⁶	-6.21×10 ⁻³	3.88	0.98	$f_{Bw} = 3.33 \cdot 10^{-6} (c_p)^2 - 6.21 \cdot 10^{-3} c_p + 3.88$
0.67	3.59×10 ⁻⁶	-7.75×10 ⁻³	5.84	0.95	$f_{Bw} = 3.59 \cdot 10^{-6} (c_p)^2 - 7.75 \cdot 10^{-3} c_p + 5.84$
1	6.15×10 ⁻⁶	-1.72×10 ⁻²	13.90	0.98	$f_{Bw} = 6.15 \cdot 10^{-6} (c_p)^2 - 1.72 \cdot 10^{-3} c_p + 13.90$
common	$a_{\rm w} = 5.33 \cdot 10^{-6}$	$b_{\rm w} = -1.39 \times 10^{-2}$	$c_{\rm w} = 10.90$	0.97	$f_{Bw} = 5.33 \cdot 10^{-6} (c_p)^2 - 1.39 \cdot 10^{-2} c_p + 10.9$

The method of least squares gives the following forms of empirical curves used to determine coefficients of the relationship $f_{BW} - c_P$ for AAC with any moisture level and density:

$$\frac{a}{a_w} = 1,99 \left(\frac{w}{w_{max}}\right)^2 - 1,89 \frac{w}{w_{max}} + 1,05, \quad R^2 = 0.96,$$
(22)

$$\frac{b}{b_w} = 2,77 \left(\frac{w}{w_{max}}\right)^2 - 2,56 \frac{w}{w_{max}} + 1,03, \quad R^2 = 0.97,$$
(23)

$$\frac{c}{c_w} = 2,89 \left(\frac{w}{w_{max}}\right)^2 - 2,56 \frac{w}{w_{max}} + 0,94, \quad R^2 = 0.98.$$
 (24)

Calculated coefficients *a*, *b* and *c* should be put into the equation:

$$f_{Bw} = a(c_p)^2 + bc_p + c$$
, when $1315 \frac{m}{s} < c_p \le 2379 \frac{m}{s}$. (25)

which gives the general form of the basic curve for AAC. In practice, ultrasonic testing should be associated with destructive tests for graduation. In this case, further steps can follow rules specified in the European standard EN 13791 [30] for standard concrete.

4. Procedure algorithm for determining characteristic compressive strength of masonry

Proposed empirical procedure for determining characteristic compressive strength of masonry with semi-destructive and non-destructive techniques can be described with the following steps shown in Table 11.

Table 11. Procedure algorithm for determining characteristic compressive strength of masonry with semi-destructive and non-destructive techniques

		Descrip	otion	
Step	Semi-destructive technique	Reference	Non-destructive (ultrasonic) technique	Reference
1	2	3	4	5
1	Determining moisture content by weight w in AAC at the tested (in-situ) point	equation (16)	Determining moisture content by weight <i>w</i> in AAC at the tested point	equation (16)
2	Calculating maximum moisture content w_{max} in AAC	equation (17)	Calculating maximum moisture content w_{max} in AAC	equation (17)
3	Drilling specimens from AAC, drying them until constant weight and calculating density ρ		Determining P-waves velocity (c_P = L/t ,) using the transmission method after measuring the path length L and time t .	
4	Calculating coefficients a and b of the empirical curve	equation (14) equation (15)	Calculating coefficients a , b and c of the empirical curve	equation (22) equation (23) equation (24)
5	Calculating the correction factor Δb	equation (13)	Calculating compressive strength of AAC f _{Bw} acc. to the curve	equation (25)
6	Performing destructive tests and determining compressive strength of dry AAC fc		Graduating the curve according to the standard EN 13791:2008	
7	Calculating compressive strength $f_{\mathbb{B}}$ acc. to the corrected curve	equation (13)	Calculating compressive strength of AAC fbw acc. to the graduated curve	
8	Calculating compressive strength f _{Bw} depending on moisture content in AAC	equation (18) equation (19)	Calculating characteristic compressive strength of AAC masonry	equation (1)
9	Calculating characteristic compressive strength f_k of AAC masonry	equation (1)		

5. Conclusions

The preformed tests confirmed the effect of specimen shape on compressive strength in the analysed type of autoclaved aerated concrete and on the method of specimen failure. Regardless of

density of AAC, compressive strength determined at specific volumes and slenderness was found to be similar to the strength of standard specimens. The greatest strength was found in specimens with the smallest volume. And compressive strength of specimens with the greatest volume was much lower than in case of standard cube specimens with dimensions of 100×100×100 mm.

Maximum moisture content is increasing reversely proportional to AAC density, and moisture significantly reduces strength with reference to the strength of AAC tested in air-dry conditions. The greatest 30% reduction in compressive strength was observed at moisture content w = 0 - 30%. Higher moisture levels caused a drop in strength by 10%. AAC moisture coefficient $\eta_w = 0.8$ recommended by the standard PN-EN 772-1 may give dangerously overestimated strength of masonry with moisture content w > 20%.

The non-destructive ultrasonic testing demonstrates the profound effect of density and moisture. An increase in P-waves velocity was proportional to density of AAC (maximum velocity was 2379 m/s in concrete with density of 700 kg/m³, minimum velocity was 1847 m/s in concrete with density of 400 kg/m³. Increasing density of AAC caused a significant reduction of the velocity. According to general rules of using non-destructive techniques, the established correlation curve with coefficients determined by density can be applied providing the adequate graduation which includes results from non-destructive testing.

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