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Article

Efficient Grey Wolf Optimization: A High-Performance Optimizer with Reduced Memory Usage and Accelerated Convergence

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Abstract: This paper presents an efficient Grey Wolf Optimizer (EGWO) designed to address the limitations of the standard Grey Wolf Optimizer (GWO), focusing on reducing memory usage and accelerating convergence. The proposed method integrates Sinusoidal Mapping for enhanced population diversity and a Transverse-Longitudinal Crossover strategy to balance global exploration and local exploitation. These innovations improve search efficiency and optimization precision while maintaining a lightweight computational footprint. Experimental evaluations on 10 benchmark functions demonstrate EGWO's superior performance in convergence speed, solution accuracy, and robustness. Its application to hyperparameter tuning of a Random Forest model for a housing price dataset confirms its practical utility, further supported by SHAP-based interpretability analysis.

Keywords: Grey Wolf Optimizer; lightweight optimization; sinusoidal mapping; crossover strategy; random forest; SHAP analysis

I. Introduction

With the development of intelligent optimization algorithms [25], some memory efficient and scalable models have been rising to a favor. Among these, bio-inspired optimization methods have proven to be highly effective in solving complex global optimization problems [26]. These algorithms simulate the behaviors and collaborative mechanisms of biological groups in nature, enabling efficient exploration of large search spaces to find near-optimal solutions [2,24]. Among these methods, the Grey Wolf Optimizer (GWO), proposed by Mirjalili et al. in 2014, has gained significant attention due to its simplicity and efficiency. GWO has been successfully applied in various fields such as engineering design, data mining, and machine learning [17].

GWO mimics the hunting behavior of grey wolves in nature, leveraging the collaborative efforts of four different roles: α , β , δ , and ω wolves. The α wolf leads the group, guiding the hunting process; the β and δ wolves assist in exploration and adjust the search direction; while the ω wolves follow and maintain the diversity of the population, preventing premature convergence to local optima. The process involves strategies of encircling, tracking, and capturing prey, progressively narrowing the search space to approach the optimal solution [6].

Despite its success in various applications, GWO has limitations that restrict its performance. Firstly, the random initialization of the population can result in uneven distribution, which affects early-stage search efficiency [1]. Secondly, GWO tends to get trapped in local optima when dealing with complex, high-dimensional, or multimodal optimization problems, due to its insufficient global exploration capability. Additionally, as iterations proceed, the diversity of the population decreases, leading to slow convergence in the later stages [3].

To address these challenges, this paper proposes an Enhanced Grey Wolf Optimizer (EGWO), which incorporates advanced strategies to improve both global exploration and local exploitation

capabilities. Specifically, EGWO employs a hybrid initialization strategy that combines geometric uniform distribution with random sampling, ensuring better initial diversity of the population. This approach enhances early-stage search efficiency by overcoming the limitations of traditional random initialization [28]. Furthermore, a dynamic weight adjustment mechanism is introduced, enabling adaptive balancing between global exploration and local exploitation throughout the optimization process [31]. An adaptive step size strategy is also applied, allowing for fine-tuned search capabilities based on solution quality, thus facilitating more precise exploration.

The performance of SCGWO is evaluated through extensive experiments on multiple complex benchmark functions and compared with the classic GWO. The results demonstrate that SCGWO achieves faster convergence and higher accuracy, particularly in high-dimensional, nonlinear, and multimodal optimization problems. Additionally, SCGWO shows greater robustness across multiple independent runs, highlighting its stability.

To further demonstrate its effectiveness in practical applications, SCGWO is applied to the hyperparameter optimization of random forest models using the Boston housing price dataset [8]. The results indicate that SCGWO outperforms traditional optimization methods, achieving superior convergence and performance in model tuning.

Main Contributions

The key contributions of this paper are summarized as follows:

- **Proposed an Enhanced Grey Wolf Optimizer (SCGWO):** A novel improvement of the GWO algorithm is presented, integrating Sinusoidal Mapping for population initialization and a Transverse-Longitudinal Crossover strategy, significantly enhancing both global exploration and local exploitation capabilities.
- **Introduced Dynamic Weight Adjustment Mechanism:** A dynamic weight adjustment mechanism is developed to adaptively balance the roles of α , β , and δ wolves, ensuring better exploration in early stages and faster convergence in later stages.
- **Evaluated on Comprehensive Benchmark Functions:** The proposed SCGWO is rigorously tested on 10 complex benchmark functions, demonstrating superior performance in terms of convergence speed, solution accuracy, and robustness when compared to the classic GWO.
- **Validated through Real-World Application:** The effectiveness of SCGWO is further validated through its application to the hyperparameter optimization of a random forest model, achieving better tuning results than conventional optimization methods.

II. Related Work

A. Grey Wolf Optimizer (GWO)

The Grey Wolf Optimizer (GWO) is a nature-inspired optimization algorithm that models the behavior of grey wolves in their natural hunting process. It was introduced by Seyedali Mirjalili et al. in 2014 [17]. The core idea of the algorithm is to convert the optimization problem into a process where a group of grey wolves search for prey. Within the wolf pack, there are four different roles: α , β , δ , and candidate wolves, representing the current best solution, the second-best solution, the third-best solution, and other candidate solutions, respectively. The hunting process of grey wolves is simulated through the following three phases: encircling prey, hunting prey, and attacking prey.

1) Encircling Prey

During the hunting process, grey wolves encircle the prey using the following equations:

$$\mathbf{D} = |\mathbf{C} \cdot \mathbf{X}_p(t) - \mathbf{X}(t)| \quad (1)$$

$$\mathbf{X}(t+1) = \mathbf{X}_p(t) - \mathbf{A} \cdot \mathbf{D} \quad (2)$$

where X_p represents the position of the prey, and X is the position of the grey wolf. $X(t+1)$ is the updated position of the grey wolf at time $t+1$. Equations (1) and (2) model the distance between the grey wolves and the prey, and the update of the wolves' position, respectively. The parameters A and C are defined as:

$$A = 2a \cdot r_1 - a \quad (3)$$

$$C = 2 \cdot r_2 \quad (4)$$

where r_1 and r_2 are random vectors in $[0, 1]$, and a is a parameter that decreases linearly from 2 to 0 over the course of iterations.

2) Hunting Prey

The candidate wolves' positions are updated by tracking the positions of the three leading wolves: α , β , and δ , as shown by the following equations:

$$D_\alpha = |C_1 \cdot X_\alpha - X| \quad (5)$$

$$D_\beta = |C_2 \cdot X_\beta - X| \quad (6)$$

$$D_\delta = |C_3 \cdot X_\delta - X| \quad (7)$$

The updated positions of the three leading wolves are:

$$X_1 = X_\alpha - A_1 \cdot D_\alpha \quad (8)$$

$$X_2 = X_\beta - A_2 \cdot D_\beta \quad (9)$$

$$X_3 = X_\delta - A_3 \cdot D_\delta \quad (10)$$

The final position of the candidate wolf is determined by averaging the positions influenced by α , β , and δ :

$$X(t+1) = \frac{X_1 + X_2 + X_3}{3} \quad (11)$$

3) Attacking Prey

As the grey wolves iteratively update their positions, they adjust the roles of the leading wolves and continue the process until a termination condition is met, such as reaching a maximum number of iterations or achieving a desired fitness level.

B. Improvements to GWO

Since the introduction of GWO, numerous improvements have been proposed to enhance its performance. Emary et al. (2016) proposed a binary version of GWO for feature selection, which outperformed traditional methods such as particle swarm optimization (PSO) and genetic algorithms (GA) in various datasets [6]. Other studies, such as those by Abdollahzadeh et al. (2020), have incorporated chaos theory into GWO to increase population diversity and prevent premature convergence [1]. Hybrid approaches combining GWO with differential evolution (DE) and simulated annealing (SA) have also demonstrated improved performance in complex optimization tasks [5,28].

However, most of these studies focus on either global exploration or local exploitation, failing to address both aspects simultaneously. To bridge this gap, this paper proposes a novel strategy that integrates Sinusoidal Mapping for initial population diversity and a Transverse-Longitudinal Crossover mechanism, aiming to balance global search capabilities with refined local optimization [31].

III. Enhanced Grey Wolf Optimizer (SCGWO)

A. Sinusoidal Chaos Mapping for Population Initialization

In traditional GWO, the initial population is generated through random sampling, which often results in uneven distribution across the search space, negatively impacting convergence efficiency and accuracy. To address this, we adopt a Sinusoidal Chaos Mapping method, which generates a more uniformly distributed set of sample points, thereby enhancing the diversity of the initial population. The Sinusoidal Chaos Mapping is a typical form of chaotic mapping with a simple mathematical structure. Its expression is as follows:

$$x_{k+1} = a \cdot x_k^2 \sin(\pi \cdot x_k), \quad (12)$$

where the parameter $a = 2.3$ and the initial value $x(0) = 0.7$. By using this mapping, the diversity of the initial population is significantly improved, allowing for a more effective exploration of the search space and enhancing the algorithm's convergence speed and accuracy [1].

B. Transverse-Longitudinal Crossover Strategy

The Transverse-Longitudinal Crossover Strategy is a key method for significantly improving the performance of the SCGWO. Traditional GWO often faces challenges with population individuals clustering in local regions of the search space, leading to premature convergence. To overcome this limitation, the transverse-longitudinal crossover strategy introduces crossover operations that encourage individuals to explore a wider range of the solution space. Specifically, the transverse crossover enhances the global exploration capability, enabling the population to escape from local optima, while the longitudinal crossover refines the solution in local regions, ensuring that no promising areas are overlooked near the optimal solution. This combined strategy not only increases the diversity of the algorithm but also accelerates the convergence process.

1) Transverse Crossover Operation

The transverse crossover operation in SCGWO is similar to the crossover operation in genetic algorithms, focusing on exchanging information between different individuals across the same dimension. This approach is designed to improve the global search capability of the population. By randomly arranging the individuals in the population and performing crossover on the d -th dimension, the positions of the individuals are updated as follows:

$$MSx_{i,d}^t = r_1 \cdot x_{i,d}^t + (1 - r_1) \cdot x_{j,d}^t + c_1 \cdot (x_{i,d}^t \cdot x_{j,d}^t), \quad (13)$$

$$MSx_{j,d}^t = r_2 \cdot x_{j,d}^t + (1 - r_2) \cdot x_{i,d}^t + c_2 \cdot (x_{j,d}^t \cdot x_{i,d}^t), \quad (14)$$

where $MSx_{i,d}^t$ and $MSx_{j,d}^t$ represent the new offspring generated from individuals $x_{i,d}^t$ and $x_{j,d}^t$ through transverse crossover, r_1 and r_2 are random numbers in the range $[0, 1]$, and c_1 and c_2 are constants in the range $[-1, 1]$. After the transverse crossover operation, individuals can generate offspring with a higher probability within their respective hypercube spaces and edges, thus expanding the search space and improving global exploration. The offspring generated through this crossover must compete with their parents, and the individual with higher fitness is retained, ensuring a balance between exploration and exploitation.

2) Longitudinal Crossover Operation

The longitudinal crossover operation addresses the tendency of GWO to get stuck in local optima in later stages of the optimization process. This occurs when some individuals in the population reach local optima too early, causing the convergence speed to increase while the ability to explore the global optimum diminishes. The lack of a mutation mechanism in GWO restricts its ability to continue approaching the global optimum. Therefore, after performing transverse crossover, it is necessary to apply longitudinal crossover to further enhance the algorithm's ability to escape local optima.

Longitudinal crossover operates on all dimensions of newly generated offspring, with a lower probability than transverse crossover, similar to mutation in genetic algorithms. If a newly generated individual $x_{i,d}^t$ undergoes longitudinal crossover between dimensions d_1 and d_2 , the calculation is as follows:

$$MSx_{i,d}^t = r_1 \cdot x_{i,d_1}^t + (1 - r_1) \cdot x_{i,d_2}^t, \quad (15)$$

where $MSx_{i,d}^t$ is the offspring generated from dimensions d_1 and d_2 of individual $x_{i,d}^t$ through longitudinal crossover, and $r_1 \in [0, 1]$. Similar to the transverse crossover operation, the offspring generated through longitudinal crossover competes with its parent, and the individual with higher fitness is preserved. This selection mechanism allows crossover participants to retain their superior dimensional information while improving population diversity and solution quality.

By combining transverse and longitudinal crossover operations, SCGWO effectively balances the ability to explore and exploit, resulting in a more efficient convergence to the global optimum. As the algorithm iterates, if an individual escapes a local optimum through longitudinal crossover in one dimension, this improvement is rapidly spread through transverse crossover, reinforcing the quality of the new solution throughout the population. This combined approach significantly enhances the algorithm's ability to overcome local optima and improve both convergence speed and solution accuracy.

IV. Simulations and Results

A. Experiment Setup

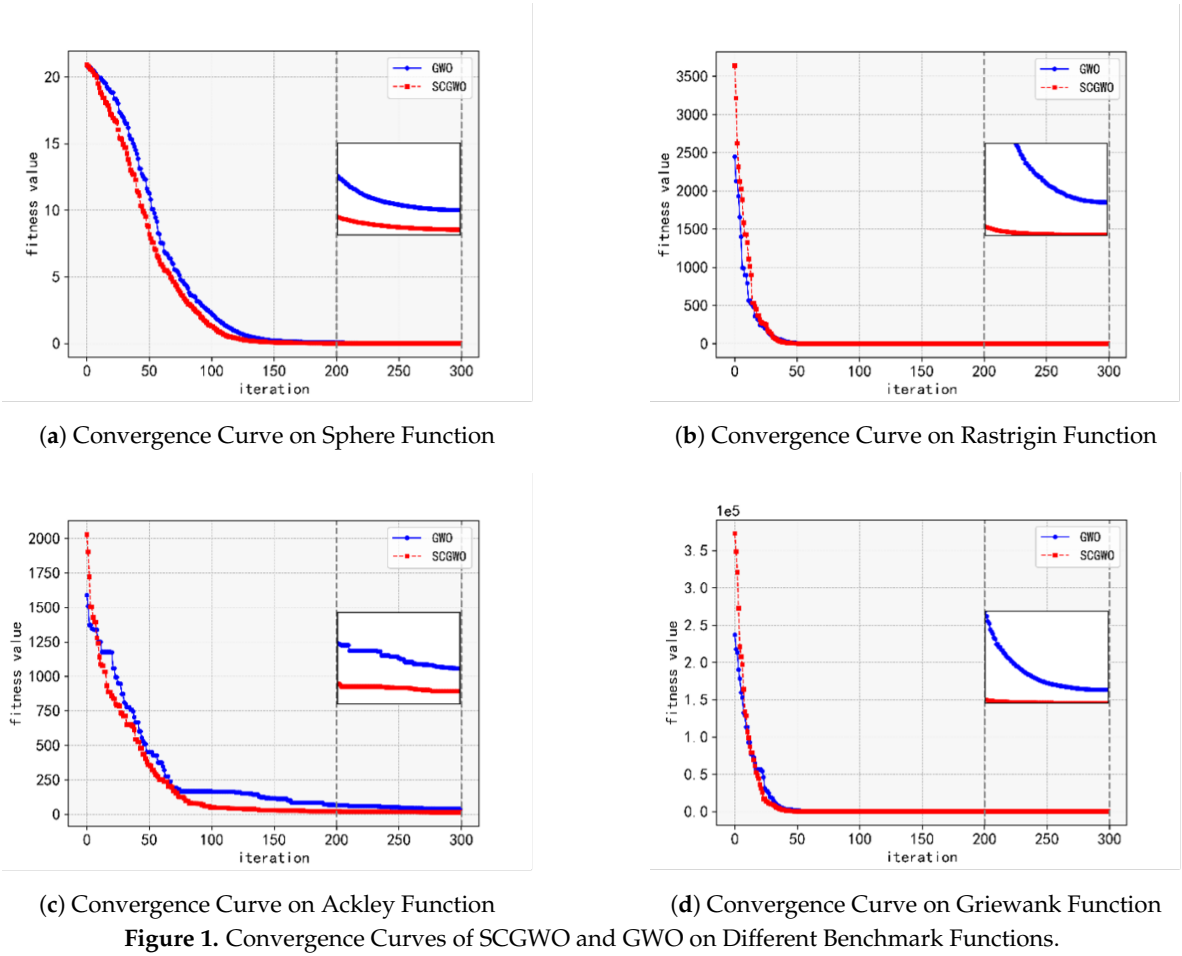
The experiments were conducted on a Windows 11 system with an Intel(R) Core(TM) i9-14700HX CPU and 16GB of memory. We evaluated the performance of SCGWO using 10 benchmark functions commonly used to test optimization algorithms [31]. The functions are defined in Table 1.

Table 1. Benchmark Functions for SCGWO Performance Testing.

Function	Name	Search Range	DIM	OPT Value
F1	Sphere	[-100, 100]	30	0
F2	Schwefel2.22	[-10, 10]	30	0
F3	Schwefel1.2	[-100, 100]	30	0
F4	Schwefel2.21	[-100, 100]	30	0
F5	Rosenbrock	[-30, 30]	30	0
F6	Step	[-100, 100]	30	0
F7	Rastrigin	[-5.12, 5.12]	30	0
F8	Ackley	[-32, 32]	30	0
F9	Griewank	[-600, 600]	30	0
F10	Penalized	[-50, 50]	30	0

B. Results and Discussion

Figure 1a show the convergence curves for four representative functions. As shown, SCGWO significantly outperforms the traditional GWO in terms of convergence speed and solution accuracy [3].



To ensure a more convincing evaluation, 30 comparative experiments were conducted on 10 benchmark functions. For each experiment, the best value, mean, and standard deviation were recorded. The average of the results from 30 experiments was calculated as the final result for comparison, as shown in the table below.

Table 2. Comparison of GWO and SCGWO on 10 Benchmark Functions.

Function	Algorithm	Best Value	Mean Value
F1	GWO	2.15×10^{-4}	1.67×10^{-3}
	SCGWO	1.36×10^{-5}	7.35×10^{-4}
F2	GWO	3.01×10^{-4}	1.94×10^{-3}
	SCGWO	4.61×10^{-6}	5.21×10^{-4}
F3	GWO	2.61×10^{-5}	6.32×10^{-5}
	SCGWO	1.11×10^{-6}	4.31×10^{-6}
F4	GWO	6.01×10^{-5}	9.18×10^{-5}
	SCGWO	2.01×10^{-6}	5.11×10^{-6}
F5	GWO	5.82×10^{-3}	9.21×10^{-1}
	SCGWO	3.07×10^{-3}	1.08×10^{-2}
F6	GWO	1.11×10^{-5}	1.17×10^{-4}
	SCGWO	6.13×10^{-8}	1.23×10^{-7}
F7	GWO	1.21×10^{-4}	1.81×10^{-2}
	SCGWO	2.26×10^{-5}	4.38×10^{-3}
F8	GWO	6.48×10^{-4}	1.84×10^{-3}
	SCGWO	5.31×10^{-6}	2.28×10^{-5}
F9	GWO	8.30×10^{-3}	1.68×10^{-2}
	SCGWO	4.06×10^{-5}	2.22×10^{-4}
F10	GWO	6.06×10^{-3}	4.02×10^{-2}
	SCGWO	6.56×10^{-5}	5.12×10^{-4}

V. Random Forest Hyperparameter Optimization

SCGWO was applied to optimize the hyperparameters of a random forest regression model using the Boston housing price dataset from Kaggle [8]. The results are summarized in Table 3, showing that SCGWO outperformed traditional methods.

Table 3. Performance Comparison on Random Forest Hyperparameter Optimization.

Method	MAE (train)	RMSE (train)	R ² (train)	MAE (test)	RMSE (test)	R ² (test)
Default	285109	398584	0.9494	957916	1357261	0.5722
GWO	413922	547712	0.9045	922632	1262471	0.6299
SCGWO	448753	616299	0.8791	917518	1238437	0.6438

VI. SHAP Analysis

SHAP (SHapley Additive exPlanations) analysis was used to interpret the SCGWO-optimized random forest model’s predictions. The SHAP summary plot, shown in Figure 2, highlights the key features contributing to the model’s predictions.

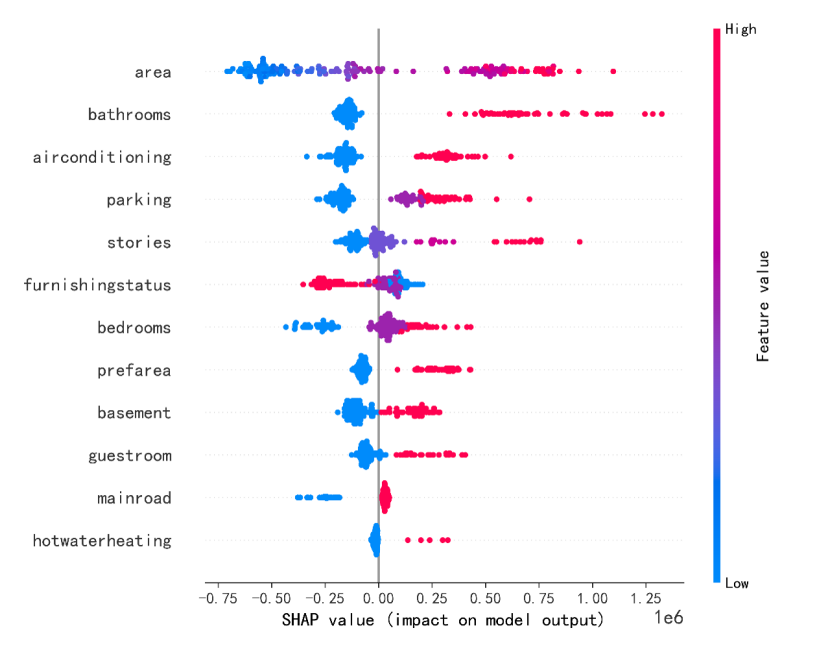


Figure 2. SHAP Summary Plot for Random Forest Model.

VII. Future Work

In future work, we aim to explore the potential of SCGWO in addressing more challenging machine learning applications. For instance, optimizing deep neural network architectures, as demonstrated by Gao et al. [7], could benefit from SCGWO’s capacity to handle complex high-dimensional optimization tasks. Additionally, combining SCGWO with other optimization techniques, such as particle swarm optimization (PSO), may improve performance in real-time systems, particularly in dynamic environments like warehouse robotics.

One promising direction for SCGWO is its application to multitask learning systems. Techniques like the MT2ST framework, which transitions from multitask to single-task learning [14], could leverage SCGWO for fine-tuning task-specific performance. Similarly, SCGWO can enhance the robustness of representation learning in symmetric positive definite manifolds, as explored by Bu et al. [4].

In healthcare, SCGWO has the potential to optimize ensemble learning techniques in medical diagnostics. For example, ensemble models have been used to improve skin lesion diagnosis [15], and SCGWO could further refine the weighting of model components to enhance diagnostic accuracy.

Likewise, SCGWO could improve performance in stroke treatment outcome prediction [16] and biomedical imaging tasks [9].

Real-time 3D imaging tasks, such as crack detection [29], could also benefit from SCGWO by improving the computational efficiency of multi-sensor fusion models. Furthermore, SCGWO could be applied to optimize reinforcement learning algorithms for robot navigation in complex warehouse layouts [10], enhancing adaptability and efficiency.

In content moderation, SCGWO could optimize machine learning models to integrate community rules for better transparency, as proposed by Xin et al. [27]. Similarly, it holds promise in mitigating knowledge conflicts in large language models for model compression [12], and for question answering, which could advance human-computer interaction technologies.

For cloud computing and networking, SCGWO can optimize resource allocation dynamically, building on prior research into distributed systems [32]. Additionally, in cybersecurity, SCGWO may contribute to defending against sequential query-based blackbox attacks [21] or enhancing meta-learning enabled adversarial defenses [22].

Recent advancements in deep learning optimizers, such as those enhancing stability with sigmoid and tanh functions [30], suggest that SCGWO could improve learning efficiency in large-scale models. Moreover, SCGWO's potential applications in large-scale object detection [20] indicate its versatility for real-world tasks.

In time series modeling, SCGWO could optimize advanced models, such as Transformers and LSTMs, for applications in healthcare like heart rate prediction [19]. Furthermore, integrating SCGWO with quantized low-rank adaptation (QLoRA) methods for stock market prediction [18] could enhance adaptability and decision-making in financial forecasting.

In recommendation systems, SCGWO could improve optimization strategies based on graph neural networks [13,23], yielding better predictive performance in dynamic environments. SCGWO could also play a vital role in optimizing intelligent vehicle classification models in traffic systems [11], enhancing multi-sensor fusion and reducing computation time.

Finally, SCGWO holds promise in enhancing large language models for detecting AI-generated content. By optimizing adaptive ensembles of fine-tuned transformers, SCGWO could improve detection systems' speed and accuracy.

Overall, SCGWO exhibits significant potential across diverse domains, including healthcare, autonomous systems, financial technology, and intelligent transportation. Its adaptability and efficiency make it a valuable tool for addressing complex, high-dimensional problems, paving the way for broader applications in theoretical and practical research.

VIII. Conclusion

This paper proposes an improved Grey Wolf Optimizer, SCGWO, which integrates Sinusoidal Mapping and a Transverse-Longitudinal Crossover strategy. SCGWO was tested on several benchmark functions and applied to hyperparameter optimization in a random forest regression model. The results demonstrate that SCGWO outperforms traditional GWO in both convergence speed and solution accuracy. Future work will explore its application in more complex optimization problems and real-time systems.

Appendix A. Experimental Details

Appendix A.1. Modeling and Optimization

A random forest regression model was built using the Boston housing price dataset. The dataset was split into a 70:30 ratio for training and testing, respectively. The model was trained on the training set and tested for its generalization ability on the test set. Three configurations were evaluated: default hyperparameters, GWO-optimized hyperparameters, and SCGWO-optimized hyperparameters.

The performance of each model configuration was measured using evaluation metrics such as Mean Absolute Error (MAE), Root Mean Squared Error (RMSE), and the coefficient of determination (R^2). The results for the three methods are presented in Table 3.

The results demonstrate that the SCGWO-optimized random forest model achieved the best performance, not only on the training set but also on the test set, effectively reducing overfitting compared to the default and GWO-optimized models.

From Figure A1, it is evident that the SCGWO-optimized model has the lowest error margins and provides better overall predictions. This result highlights the efficiency of the SCGWO method in hyperparameter tuning of complex models.

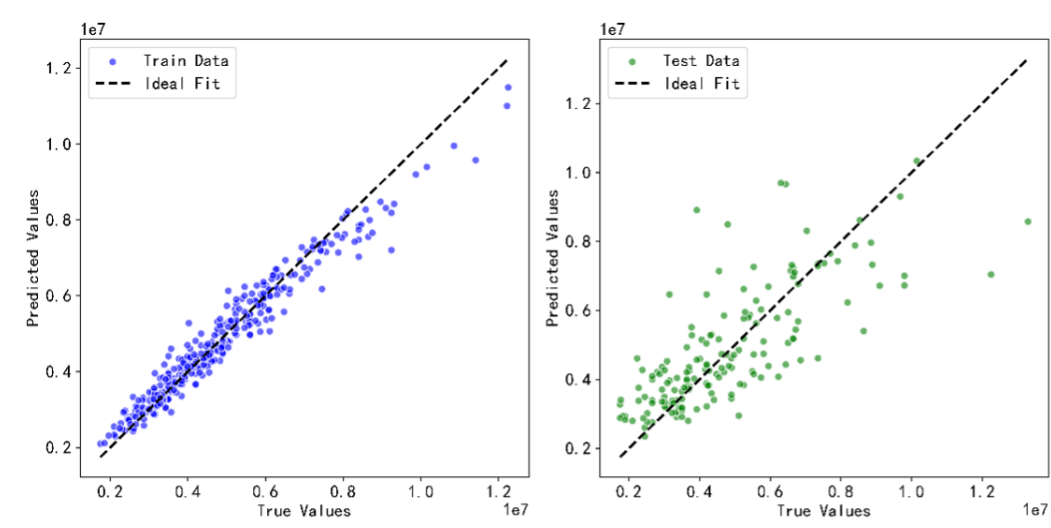


Figure A1. Comparison of Model Fitting for Default, GWO, and SCGWO Optimizations.

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