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Article

Micro Blood Flow-Resolved Rheometry

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Abstract

For effectively assessing bloods, red blood cells (RBCs) aggregation and blood viscosity have been measured in microfluidic environments. However, the previous methods still face several challenges (dead-volume loss, RBCs sedimentation, hematocrit-sensitive blood velocity, and precise flow-rate control). In this study, a novel method is suggested to resolve several issues. Air cavity ($V_{air} = 250 \mu\text{L}$) is secured above blood column (at least $100 \mu\text{L}$) loaded into a driving syringe. To probe RBCs aggregation and blood viscosity, a microfluidic chip consists of a main channel ($\dot{\gamma} > 1000 \text{ s}^{-1}$) and an aggregation channel ($\dot{\gamma} < 50 \text{ s}^{-1}$). Blood is supplied into a microfluidic chip with two-step blood delivery (i.e., air-compression for RBCs aggregation, and syringe pump for blood viscosity). RBCs aggregation index and blood viscosity are obtained from time-lapse image intensity and blood flow-rate in both channels. As performance demonstrations, first, measurement accuracy of fluid viscosity is validated with glycerin solution. Then, the present method is adopted to probe difference in hematocrit and dextran concentration. At last, the proposed method is employed to detect heat-shocked RBCs ($45 \sim 50 \text{ }^\circ\text{C}$ for 40 min). In conclusion, the proposed method has the ability to accurately measure substantial changes in RBCs or blood medium.

Keywords: blood flow-dependent RBCs aggregation; blood viscosity; two-step blood delivery; microfluidic chip; blood velocity fields; and blood image rate

1. Introduction

Blood as complex fluid is composed of cell (i.e., red blood cell [RBC], white blood cell, and platelet) and plasma. In particular, intrinsic properties of RBCs (i.e., membrane viscoelasticity, cytosol viscosity, and morphological parameters) have a strong impact on dynamic blood flows[1–4]. Plasma protein also involves in RBC-to-RBC interaction. Several hemorheological properties, including, blood viscosity[5–9], RBCs aggregation[10–16], RBC deformability[17–27], and sedimentation rate[28–30] have been suggested for effectively monitoring physiological alternations in patient blood (i.e., cardiovascular disease[5,6], acute myocardial infarction[11], stroke[12,13], sickle cell anemia[17–19,22,31–33], and malaria[20]). Among them, under continuous blood flow, blood viscosity has been determined by several factors, such as, hematocrit[34], plasma proteins, RBC aggregation at low shears, and RBC deformability at high shears. On the other hand, at stasis or extremely lower blood-flow, RBCs aggregation has been employed to investigate RBC-to-RBC interaction which has been strongly influenced by plasma proteins and RBC intrinsic properties.

When compared with conventional methods (i.e., a cone-and-plate viscometer, and an ektacytometry[17–19]), a microfluidic chip has ability to probe hemorheological properties with small volume, to control shearing blood-flow precisely, and to provide microvascular-mimicked environments[1,2,16,26,29,31,35–38]. Thus, it provides rapid, quantitative, and reproducible multi-parameter readouts[3,22,39] (i.e., blood viscosity[40,41], RBCs aggregation, RBC deformability[24,42], RBC sedimentation rate[30,43]).

First, according to the Hagen-Poiseuille law (i.e., pressure difference = fluidic resistance \times flow rate)[44], blood viscosity could be estimated by quantifying pressure difference or blood flow-rate. Under constant flow-rate condition, blood viscosity could be assessed by monitoring parallel-stream

interface in single channel[45], microflow compartments in multiple channels[8,46], flow-switching in a microfluidic bridge channel[47], and flow-reversal time in a closed channel[29]. Interface-front tracking is used to estimate blood viscosity under controlled pressure[48–54] or capillary force[7,40,55,56]. Blood viscosity could be assessed by a microstructure deflection[57], a resonant-frequency shift[58,59], and droplet kinetics[60].

Second, after aggregated RBCs are fully disaggregated by an external agitator, RBC aggregation could be estimated by analyzing sylectogram. According to the previous studies[15,61–68], RBC aggregation initiates below $\dot{\gamma} = 10$ or 50 s^{-1} . Novel methodologies related to RBC-to-RBC disaggregation agitator (i.e., motor[69,70], pump[15,71], bubble-motion[12,67], and pinch valve[72]) and RBC-to-RBC aggregation quantification (i.e., phototransistor[69,71], microscopic imaging[15], and electrical impedance[37,70]) have been demonstrated to assess RBCs aggregation consistently.

Blood viscosity, which has been probed in microfluidic chip, represents the dominant effect of RBC deformability where shear rate is estimated as high value of $\dot{\gamma} > 10^3 \text{ s}^{-1}$. Blood viscosity is limited at low shear rates. In particular, at low shear rates, RBCs aggregation is then quantified independently. Thus, blood viscosity and RBC aggregation have been then quantified by stopping and operating two syringe pumps periodically[73]. The previous method requires two bulky syringe pumps and periodic on-off flow-rate control. More recently, our group has suggested a new quantification method of aggregation index under continuous blood flow supplied from single syringe pump[15]. Since RBC aggregation index is highly dependent on fluidic resistance[15,29,63,66,74–79], the previous approach should be substantially refined to enable blood viscosity. The RBC aggregation index also should be represented at shear rates. Furthermore, a non-negligible dead volume (approximately $100 \mu\text{L}$) is present along the fluidic path from the syringe to the inlet port[80,81]. Consequently, a portion of blood must be wasted during each run[9,82]. Therefore, a new approach is required to reduce unavoidable blood loss, under the specific dead-volume in the fluidic path.

In this study, a novel method is suggested to resolve several issues (i.e., dead volume loss, RBC sedimentation, and flow-dependent RBC aggregation as well as blood viscosity) raised by the previous methods. To reduce blood loss within the fluidic path, air cavity of $V_{air} = 250 \mu\text{L}$ is intentionally maintained above blood column ($V_b = 100 \sim 200 \mu\text{L}$) loaded into the syringe. When air is injected from the syringe into a microfluidic chip, most of the blood initially loaded in the syringe is subsequently delivered into the microfluidic chip. Thus, securing air cavity in the syringe eliminates unavoidable blood loss in the fluidic path, which reduces the minimum blood loading-volume to $100 \mu\text{L}$. To eliminate on-off operation of the single syringe pump, the syringe plunger is manually advanced by approximately $50 \mu\text{L}$ to increase the air pressure inside the syringe. The pressure difference contributes to loading blood into the fluidic path and microfluidic channels. Blood flow decreases gradually over time, which induces RBC aggregation in a microfluidic channel. Based on blood flow image in a straight main channel (i.e., high shear rates) and bifurcation channel (i.e., low shear rates), flow-dependent RBCs aggregation index is continuously obtained by calculating relative ratio of blood image intensity. After an elapse of certain time, to minimize RBC sedimentation in driving syringe during blood delivery[83], syringe pump set to high value of flow-rate ($Q_{sp} = 10 \text{ mL/h}$). Due to compliance effect, the blood velocity rises transiently over time and then reaches a plateau value. When blood velocity is measured by a time-resolved micro particle image velocimetry (PIV), the results are strongly affected by hematocrit[84]. Herein, since flow-rate of syringe pump and steady-state blood velocity are specified, the blood velocity can be converted into a blood flow rate (i.e., $Q = U/U_{ss} \times Q_{sp}$, U_{ss} : steady-state blood velocity, Q_{sp} : setting flow-rate of syringe pump). Air pressure inside the driving syringe is then estimated by analyzing time-lapse blood flow as well as ideal-gas law (i.e., air volume \times air pressure = constant)[53]. Blood viscosity is then determined by the Hagen-Poiseuille law. Thus, RBC aggregation and blood viscosity are obtained during two stages of blood delivery (i.e., air-compression, and syringe pump). To validate the performance of the suggested method (i.e., RBC aggregation, and blood viscosity), first, viscosity of glycerin solution ($C_{gl} = 20\% \sim 50\%$) is obtained. Second, using two kinds of blood medium (i.e., $1 \times$

PBS, and dextran solution [20 mg/ml]), the effect of RBC sedimentation in driving syringe is quantified from blood viscosity with respect to delivery flow-rate (Q_{sp}). Third, to find out the effect of hematocrit on RBCs aggregation and blood viscosity, test blood is adjusted to Hct = 30% ~ 50% by suspending normal RBCs into dextran solution (20 mg/mL)[69]. Fourth, to induce RBC aggregation in a certain level, test blood is prepared by adding normal RBCs into various concentrations of dextran solution. Fifth, the minimum blood-loading volume into a driving syringe ($V_b = 100 \sim 200 \mu\text{L}$) is evaluated by measuring RBCs aggregation and blood viscosity. At last, to investigate biomechanical difference in heat-shocked RBCs, normal RBCs are exposed to 45 °C for up to 40 min and 50 °C for up to 20 min.

Compared to previous methods, first, unavoidable blood loss in the fluidic path is completely eliminated by securing air cavity above blood column in a driving syringe. Minimum blood loading-volume can be decreased to $V_b = 100 \mu\text{L}$. Second, by introducing test blood using an air-compression and a syringe pump, RBCs aggregation and blood viscosity are obtained at shear rates. Herein, to minimize the effect of RBC sedimentation on blood viscosity, syringe pump set to high flow-rate, which blood behaves as Newtonian fluid. Overall blood delivery time is less than 200 s.

2. Materials and Methods

2.1. A Microfluidic Rheometry for Probing Biomechanical Properties from Blood Flows

As shown in **Figure 1A**, to get flow-dependent RBCs aggregation and blood viscosity, a suggested experimental setup was composed of a microfluidic chip, a blood delivery method, and an imaging acquisition system.

A microfluidic chip was designed to have an inlet, a main channel (mc), aggregation channel (ac), and two outlets (m, and a). As a key design concept, to minimize RBC sedimentation in a driving syringe, flow rate set to high value of $Q_{sp} = 10 \text{ mL/h}$ with a syringe pump. As a shear rate was estimated as $\dot{\gamma} > 10^3 \text{ s}^{-1}$ in the main channel (width = 1 mm, and length = 14.6 mm), RBCs were fully disaggregated. Thus, it was certain that blood viscosity remained consistent with respect to the higher shear rates. On the other hand, to probe RBCs aggregation, the aggregation channel was bifurcated from the main channel. Based on fluidic resistance formular of a rectangular channel with low aspect ratio (i.e., $R_f = \frac{12 \mu L}{w h^3}$, μ : viscosity, w : width, h : depth, L : length)[44], fluidic resistance of the aggregation channel increased substantially by decreasing channel width. That is, RBCs aggregation did not occur in the narrow-width channel. RBC aggregation was generated by intentionally positioning a wide-width channel region between the narrow-width channels[15]. The aggregation channel was then designed to have three segments connected in series: the first channel (width = 0.1 mm, length = 4.9 mm), the second channel (width = 1 mm, length = 2 mm) and the third channel (width = 0.1 mm, length = 8.8 mm). All channels had the same channel depth of $h = 0.05 \text{ mm}$.

A four-inch silicon master mold was produced using standard microelectromechanical-system processes, including, photolithography, and deep reactive ion etching. PDMS

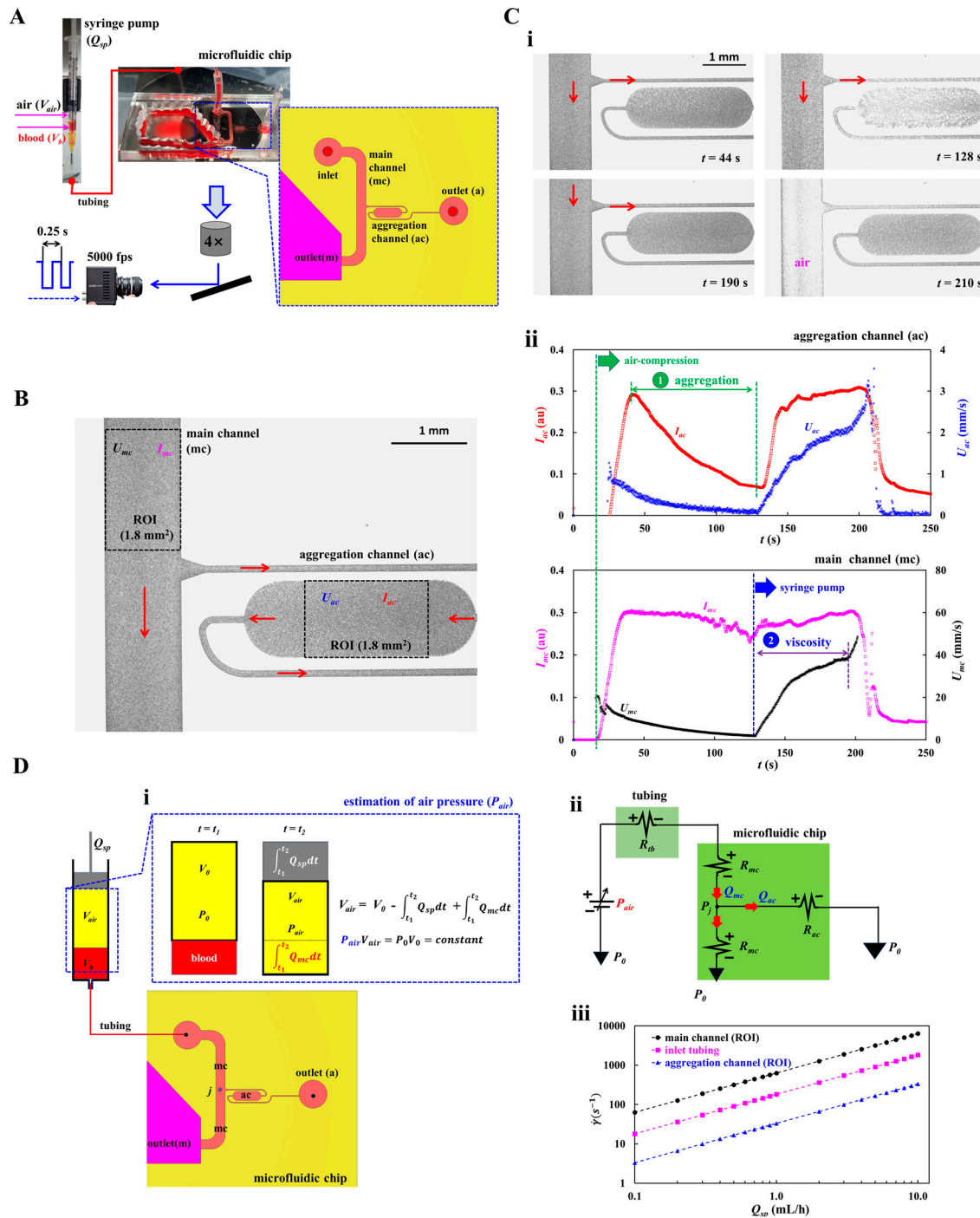


Figure 1. A proposed microfluidic rheometry for probing RBCs aggregation and blood viscosity. **(A)** Experimental setup, including, a microfluidic chip, single syringe pump, and imaging acquisition system. A microfluidic chip was designed to have an inlet, main channel (mc), aggregation channel (ac), and two outlets. A disposable syringe was partially filled with air ($V_{air} = 250 \mu\text{L}$) and blood ($V_b = 100 \sim 200 \mu\text{L}$), and connected to the inlet with a polyethylene tubing (i.d. = 0.25 mm, length = 300 mm). Blood flow images were recorded using an imaging acquisition setup consisting of a microscope (4 \times objective lens, NA = 0.1), and a high-speed camera operating at 5000 frames per second. An external trigger interval set to a specific period ($T = 0.25$ s). **(B)** Quantification of blood velocity and blood imaging intensity in the microfluidic channels. Blood velocity (U_{mc}) and imaging intensity (I_{mc}) was evaluated by selecting a specific ROI (1.8 mm 2) in the main channel. Similarly, blood velocity (U_{ac}) and imaging intensity (I_{ac}) were obtained from a specific ROI (1.8 mm 2) positioned within the large-sized chamber of the aggregation channel. **(C)** Preliminary demonstration of the suggested method. Herein, test blood (hematocrit [Hct] = 50%) was prepared by suspending normal RBCs into dextran solution (20

mg/mL). Blood ($V_b = 200 \mu\text{L}$) was loaded into a syringe. Blood flow-rate set to $Q_{sp} = 10 \text{ mL/h}$. **(i)** Time-lapse blood flow imaging with an elapse of time ($t = 44, 128, 190, \text{ and } 210 \text{ s}$). The arrow indicated blood flow direction in main channel and aggregation channel. **(ii)** Time-lapse image intensity (I_{mc}, I_{ac}) and blood velocity (U_{mc}, U_{ac}). Firstly, using manual delivery of syringe, compliance effect in the syringe contributed to transient blood flow. Due to RBC aggregation in the aggregation channel, the I_{ac} was decreased over time substantially. Secondly, by supplying blood with a syringe pump, time-lapse U_{mc} and U_{ac} were used to obtain blood viscosity. **(D)** Mathematica representation of blood viscosity. **(i)** Estimation of air pressure in a driving syringe (P_{air}). **(ii)** Fluidic circuit model of the proposed microfluidic platform. The upper panel showed discrete fluidic circuit model, including, pressure source (P_{air}), fluidic resistance element (R_{tb} : inlet tubing, R_{mc} : main channel, and R_{ac} : aggregation channel). The ground, P_0 , denoted an atmospheric pressure ($P_0 = 101 \text{ kPa}$). The P_j denoted blood pressure at the junction between main channel and aggregation channel. Based on fluidic circuit analysis, pressure difference ($\Delta P = P_{air} - P_0$) was derived as $\Delta P = (R_{tb} + 2R_{mc}) Q_{mc} - R_{mc} Q_{ac}$. **(iii)** Variations of shear rate ($\dot{\gamma}$) in fluidic path (i.e., inlet tubing, ROI in the main channel, and ROI in the aggregation channel).

(Sylgard 184, Dow Corning, Midland, MI, USA) was prepared by mixing the elastomer base and curing agent at 10:1 (w/w). To remove entrapped air, the mixture was degassed under vacuum for 1 h. The PDMS was then cured in a convection oven at $70 \text{ }^\circ\text{C}$ for 1 h, peeled off from the master, and trimmed with a razor blade. One inlet and two outlets (m, and a) were formed using a biopsy punch (outer diameter = 2 mm). The PDMS block was subsequently bonded to a glass substrate via oxygen plasma treatment (CUTE-MPR, Femto Science Co., South Korea). To enhance adhesion between the PDMS channel walls and the glass substrate, the microfluidic chip was heated on a hot plate at $120 \text{ }^\circ\text{C}$ for 10 min[85,86].

To minimize non-specific adsorption of plasma proteins on the inner channel surfaces, 0.2% bovine serum albumin (BSA) solution was introduced into the microfluidic channels. After 10 min of incubation, the BSA solution was removed by flushing the device with $1 \times \text{PBS}$.

Air cavity secured in a driving syringe was employed to minimize blood loss resulting from dead volume in a fluidic path. After attaching a 20-gauge needle to the syringe, air ($V_{air} = 250 \mu\text{L}$) and blood ($V_b = 100 \sim 200 \mu\text{L}$) were sequentially aspirated into the driving syringe. Air cavity was then positioned above the blood against gravitational direction. A polyethylene tubing (i. d. = 0.25 mm, and length = 300 mm) was connected between the syringe needle tip and the inlet port.

Air trapped along the fluidic pathway was expelled by compressing the air pocket in the driving syringe from 250 to 200 μL [85]. Based on an ideal-gas law (i.e., air pressure \times air volume = constant)[44,53], air pressure increased to $P = 1.25 P_0$. Herein, the P_0 denoted atmospheric pressure ($P_0 = 101 \text{ kPa}$). Air pressure difference ($\Delta P = 0.25 P_0$) contributed to loading blood into a microfluidic chip from the syringe. After expelling air through the outlets, all channels became fully filled with blood. As air cavity increased gradually in the syringe, air pressure difference decreased gradually over time. Accordingly, when the blood flow-rate was reduced below a threshold, RBCs aggregation occurred in the aggregation channel. In contrast, the blood flow-rate in the main channel remained sufficiently high to keep RBCs fully disaggregated. By comparing the image intensity of blood in the two channels, RBC aggregation could be quantified. After an elapse of certain time (about 120 s), to measure blood viscosity, a syringe pump set to constant value of flow rate ($Q_{sp} = 10 \text{ mL/h}$). Aggregated RBCs were fully dispersed at the higher flow rate. Owing to the air-compliance effect, the blood flow rate rose progressively over time before stabilizing at a plateau value.

The microfluidic device was placed on an inverted microscope (IX81, Olympus, Tokyo, Japan) equipped with a $4 \times$ objective (NA = 0.10). Blood-flow images were acquired using a high-speed camera at 5000 frames per second, with an external trigger interval set to $T = 0.25 \text{ s}$. All experiments were conducted at a constant room temperature of $25 \text{ }^\circ\text{C}$.

2.2. Quantification of Image Intensity and Blood Flow-Rate in Main and Aggregation Channels

In this study, variation of RBCs aggregation was quantified by comparing image intensities of blood flow in the main channel (i.e., fully disaggregated RBCs) and the aggregation channel (i.e.,

aggregated RBCs), respectively. In addition, to obtain blood viscosity, time-dependent flow rate in main channel and aggregation channel was required. For the reasons, it was necessary to obtain image intensity as well as blood velocity in both channels.

As shown in **Figure 1B**, two ROIs (regions-of-interest) were selected in the main channel and aggregation channels. The area of each ROI was set to 1.8 mm². Blood-flow direction in the microfluidic channels was marked by red arrows. The scalar bar denoted 1 mm.

First, to assess contribution of RBCs in each channel, a subtracted image was calculated by subtracting each image from the initial background[29]. All calculations were performed using an image processing toolbox in MATLAB (Version: 2025b, MathWorks, Natick, MA, USA). Based on ROIs defined in the main and aggregation channels, the mean value of grayscale intensity was calculated as I_{mc} (main channel) and I_{ac} (aggregation channel), respectively. Time-lapse image intensity was subsequently determined by applying the same image-processing procedure to all recorded images.

Second, time-lapse velocity fields were measured using open source PIV software (PIVlab, version: 3.12)[87]. To obtain velocities within each ROI, an interrogation window of $13 \times 13 \mu\text{m}^2$ with 50% overlap was used[15]. The resulting velocity vectors were post-processed using local median and standard-deviation filters. Based on the analytical depth-of-correlation (DOC) formula[88], the DOC of the imaging system (**Figure 1A**) was estimated as $\text{DOC} > 300 \mu\text{m}$. Because the DOC was much larger than the channel depth (i.e., $\text{DOC} > h$), the micro-PIV results were considered as depth-averaged velocity within each interrogation window. Mean velocity was calculated by averaging velocity values over each ROI, yielding U_{mc} for the main channel and U_{ac} for the aggregation channel. Time-lapse velocities were then obtained by repeating the same micro-PIV procedure for all recorded images. Considering that blood velocity had been strongly impacted by hematocrit[84], it was necessary to calibrate velocity fields obtained by the micro-PIV technique. To do simple calibration procedure, syringe pump set to constant value of flow rate (Q_{sp}). Owing to air compliance effect in a driving syringe, blood velocity increased gradually and reached a steady value (U_{st}) after a certain period. The blood flow-rate in each channel was calculated from Q_{sp} and U_{st} , eliminating the need for any further calibration steps. That is, the corresponding flow-rate in each channel was compensated as $Q_{mc}(t) = U_{mc}(t) / U_{st} \times Q_{sp}$ and $Q_{ac}(t) = U_{ac}(t) / U_{st} \times Q_{sp}$, respectively.

To demonstrate time-dependent image intensity and blood velocity, test blood (hematocrit [Hct] = 50%) was prepared by suspending normal RBCs into dextran solution (20 mg/mL). By referring to the previous studies[15,83], the specific concentration of dextran solution was selected as blood medium for maximizing RBC aggregation. Blood volume of $V_b = 200 \mu\text{L}$ was suctioned into the syringe. Blood flow-rate set to $Q_{sp} = 10 \text{ mL/h}$. As shown in **Figure 1C-i**, blood image was summarized with respect to time ($t = 44, 128, 190, \text{ and } 210 \text{ s}$). Herein, the red arrow indicated blood-flow direction in channels. The microscopic image acquired at $t = 128 \text{ s}$ showed clearly enhanced RBC aggregation compared with the image acquired at $t = 44 \text{ s}$. Specifically, the ROI in the aggregation channel exhibited higher brightness than the corresponding region in the main channel. Finally, at $t = 210 \text{ s}$, syringe delivered air into the main channel, which resulted in stopping blood flows completely. However, owing to higher fluidic resistance, air did not invade into aggregation channel, which was filled only with blood.

As depicted in **Figure 1C-ii**, the suggested protocols were used to get time-dependent image intensity (I_{mc}, I_{ac}) and blood velocity (U_{mc}, U_{ac}). The upper panel showed temporal variations of I_{ac} and U_{ac} obtained in the aggregation channel. The lower panel depicted time-lapse I_{mc} and U_{mc} acquired in the main channel. Firstly, as shown in green-dashed line, air volume (50 μL) in a deriving syringe was compulsorily compressed to load blood. Because pressure difference between air pressure in the syringe and atmospheric pressure increased, blood was supplied into microfluidic channels through fluidic path. As air volume increased over time, the pressure difference decreased over time. For the reason, blood velocity (U_{mc}, U_{ac}) tended to decrease over time. The I_{mc} remained unchanged for up to $t = 90 \text{ s}$. After $t = 90 \text{ s}$, it tended to decrease slightly over time, which denoted that RBC aggregation occurred in fluidic path. Aggregated RBCs came into microfluidic channels. As shear rate in the

aggregation channel decreased sufficiently below a threshold ($\dot{\gamma} = 50 \sim 100 \text{ s}^{-1}$), RBCs aggregation occurred in the aggregation channel. Transiently decreasing blood flow contributed to increasing I_{ac} significantly. Thus, RBC aggregation index (AI) could be obtained continuously by analyzing time-dependent I_{mc} and I_{ac} , respectively. Secondly, as depicted in blue-dashed line, syringe pump set to constant flow-rate (Q_{sp}). Due to air-compliance effect in a driving syringe, U_{mc} and U_{ac} increased gradually and reached a plateau value. The I_{ac} increased gradually because full disaggregated RBCs were flowed into both channels. Above $t = 199 \text{ s}$, the I_{mc} tended to decrease. The U_{mc} tended to increase significantly. As U_{mc} and U_{ac} were strongly impacted by blood viscosity, they were participated in obtaining blood viscosity.

From the preliminary demonstration, image intensity (I_{mc} , I_{ac}) and blood velocity (U_{mc} , U_{ac}) could be used effectively to probe RBCs aggregation and blood viscosity.

2.3. Mathematical Representation of Proposed Microfluidic System

To derive blood viscosity formula, firstly, it was necessary to obtain air pressure in the syringe. As shown in **Figure 1D-i**, a driving syringe partially filled with air and blood was positioned against gravitational direction. A polyethylene tubing was connected between needle tip and inlet port. Initially ($t = t_1$), air volume was defined as $V_{air} = V_0$ and air pressure equaled atmospheric pressure ($P_{air} = P_0$). Over the period from $t = t_1$ to $t = t_2$, the air cavity decreased by $\int_{t_1}^{t_2} Q_{sp} dt$ because piston moved downward. In contrast, the air cavity increased by $\int_{t_1}^{t_2} Q_{mc} dt$ because the volume decreased at the flow rate of Q_{mc} . Based on the mass-balance law in a driving syringe, air volume (V_{air}) inside the syringe was estimated as,

$$V_{air}(t_2) = V_0 - \int_{t_1}^{t_2} Q_{sp} dt + \int_{t_1}^{t_2} Q_{mc} dt. \quad (1)$$

According to ideal-gas law[53] (i.e., $P_{air} \times V_{air} = P_0 \times V_0 = \text{constant}$), the air pressure (P_{air}) inside the driving syringe was determined as $P_{air} = P_0 \times V_0 / V_{air}$. The analytical expression of P_{air} was derived as,

$$P_{air}(t_2) = \frac{P_0 \times V_0}{V_0 - \int_{t_1}^{t_2} Q_{sp} dt + \int_{t_1}^{t_2} Q_{mc} dt} \quad (2)$$

Using the Eqn (2), the pressure difference ($\Delta P = P_{air} - P_0$) was given as,

$$\Delta P = P_0 \left(\frac{V_0}{V_0 - \int_{t_1}^{t_2} Q_{sp} dt + \int_{t_1}^{t_2} Q_{mc} dt} - 1 \right) \quad (3)$$

According to the Eqn (3), the pressure difference (ΔP) could be obtained consistently if time-dependent Q_{mc} was obtained accurately.

Next, a fluidic circuit model was constructed to derive analytical expression of blood viscosity. As shown in **Figure 1D-ii**, the fluidic circuit model of the proposed microfluidic platform was composed of air pressure source (P_{air}), fluidic resistance element (i.e., R_{tb} : inlet tubing, R_{mc} : main channel, and R_{ac} : aggregation channel). Herein, assuming that blood behaved as Newtonian fluid, the ratio of R_{mc} to R_{ac} was calculated as $R_{mc}/R_{ac} = 19.04$. Accordingly, the flow was split such that 5% of the supplied blood passed through the aggregation channel, whereas the other 95% proceeded through the main channel. The ground (\blacktriangledown) denoted atmospheric pressure ($P_0 = 101 \text{ kPa}$). The P_j denoted blood pressure at the junction between main channel and aggregation channel. With regard to fluidic path (i.e., syringe - inlet tubing - upper main channel - junction point), pressure difference (i.e., $P_{air} - P_j$) was derived as,

$$P_{air} - P_j = (R_{tb} + R_{mc})Q_{mc} \quad (4)$$

In addition, with regard to lower main channel (i.e., junction point - lower main channel - outlet [m]), pressure difference (i.e., $P_j - P_0$) was derived as,

$$P_j - P_0 = R_{mc}(Q_{mc} - Q_{ac}) \quad (5)$$

By summing Eqn (4) and Eqn (5), pressure difference ($\Delta P = P_{air} - P_0$) was given as,

$$\Delta P = (R_{tb} + 2R_{mc})Q_{mc} - R_{mc}Q_{ac} \quad (6)$$

In the Eqn (6), the formula of R_{mc} and R_{tb} were analytically given as,

$$R_{mc} = \frac{12 \mu_b L_{mc}}{w h^3} \quad (7)$$

and

$$R_{tb} = \frac{8 \mu_b L_{tb}}{\pi r^4} \quad (8)$$

In the Eqns (7) and (8), L_{mc} and L_{tb} denoted channel length of main channel and inlet tubing. The r meant inner radius of inlet tubing. The pressure difference was then simplified as

$$\Delta P = \mu_b(\epsilon Q_{mc} - \lambda Q_{ac}) \quad (9)$$

In the Eqn (9), the ϵ and λ were given as

$$\epsilon = \frac{12 L_{mc}}{w h^3} + \frac{8 L_{tb}}{\pi r^4}, \quad (10)$$

and

$$\lambda = \frac{6 L_{mc}}{w h^3} \quad (11)$$

Using the Eqn (9), the analytical formula of blood viscosity was finally derived as,

$$\mu_b = \frac{\Delta P}{(\epsilon Q_{mc} - \lambda Q_{ac})} \quad (12)$$

In the Eqn (12), considering that ϵ and λ were fixed, blood viscosity (μ_b) could be then obtained from time-lapse Q_{mc} , Q_{ac} , and ΔP .

At last, as shown in **Figure1D-iii**, variations of shear rate ($\dot{\gamma}$) in fluidic path (i.e., inlet tubing, ROI in the main channel, and ROI in the aggregation channel) were obtained with respect to Q_{sp} . The Q_{sp} was ranged from 0.1 mL/h to 10 mL/h. Based on shear rate formular (i.e., $\dot{\gamma} = \frac{6Q}{w h^2}$ for a rectangular channel, and $\dot{\gamma} = \frac{4Q}{\pi r^3}$ for a circular channel, Q : blood flow-rate)[44], the corresponding shear rate of each channel was simulated with respect to Q_{sp} . From the simulation results, below $Q_{sp} = 1$ mL/h, RBCs aggregation occurred in the aggregation channel. Above $Q_{sp} = 3$ mL/h, shear rate was estimated as above $\dot{\gamma} = 100 \text{ s}^{-1}$ for all channels. As aggregated RBCs were fully disaggregated, its contribution on blood viscosity could be neglected under blood delivery of syringe pump.

2.4. Preparation of Test Blood

This study was conducted in compliance with the Declaration of Helsinki and received approval from the Ethics Committee of Chosun University (reference code: 2-1041055-AB-N-01-2021-80). Concentrated red blood cells were supplied by the Gwangju–Chonnam Blood Bank (Gwangju, South Korea) and stored under refrigerated conditions prior to experimental preparation. Following established washing procedures[86], normal RBCs were isolated by sequentially removing blood suspended medium and the buffy coat.

First, to visualize velocity fields of glycerin solution, normal RBCs (30 μL) were added to 1 mL of each concentration of glycerin solution. Second, to assess the effect of hematocrit on RBCs aggregation and blood viscosity, hematocrit of test blood was adjusted to Hct = 30% ~ 50% by suspending normal RBCs into dextran solution (20 mg/mL). Third, to examine how the suspending medium influences these hemorheological properties, normal RBCs were suspended into dextran solution ($C_{dex} = 5 \sim 20$ mg/mL), which were prepared by dissolving dextran powder (Leuconostoc spp., MW 450–650 kDa; Sigma–Aldrich, USA) into 1 \times PBS. Herein, hematocrit was fixed at 50%.

Finally, to investigate thermal-shocked effects, control blood (Hct = 50%) was prepared by suspending normal RBCs into 1× PBS. Using a thermomixer (Eppendorf, Hamburg, Germany), the control blood was incubated under heat-shock conditions (45 °C for up to 40 min or 50 °C for up to 20 min). Following the established washing protocols, test blood (Hct = 50%) was then prepared by suspending the thermally shocked RBCs into dextran solution (20 mg/mL).

2.5. Statistical Analysis

All statistical computations were carried out with MINITAB software (Version 22.4, Minitab Inc., State College, PA, USA). Under assumption of normal distributed data, results were presented as mean (\bar{x}) \pm standard deviation (σ), where S_n represented experimental replication number. The bounds of 95% CI (confidential interval) were computed as $\bar{x} - 1.96 \frac{\sigma}{\sqrt{S_n}}$ and $\bar{x} + 1.96 \frac{\sigma}{\sqrt{S_n}}$. Statistical differences among groups were evaluated by one-way ANOVA. Statistical significance was set to p -value < 0.05 (95 % CI).

3. Results and Discussion

3.1. Proposed Protocols of Flow-Dependent RBCs Aggregation and Blood Viscosity

In this subsection, using time-lapse image intensity and blood velocity as illustrated in **Figure 1C**, full methodology for quantifying flow-dependent RBCs aggregation and blood viscosity were described in details.

As shown in **Figure 2A-i**, shear-dependent RBCs aggregation was quantified using time-lapse I_{mc} , I_{ac} , and Q_{ac} . Initially, due to air-compliance effect in a driving syringe, blood was loaded into a microfluidic chip from the syringe. With an elapse of period, air cavity inside the syringe increased over time. As air pressure decreased over time, the blood flow-rate in the aggregation channel (Q_{ac}) tended to decrease gradually over time. The I_{mc} remained relative constant for a certain time ($t = 40$ s). Above $t = 40$ s, it tended to decrease slightly over time. That is, as delivery flow-rate decreased sufficiently, RBCs aggregation occurred from syringe needle to inlet port. The aggregated RBCs were flowed into the main channel and aggregation channel. Thus, the I_{ac} decreased significantly over time.

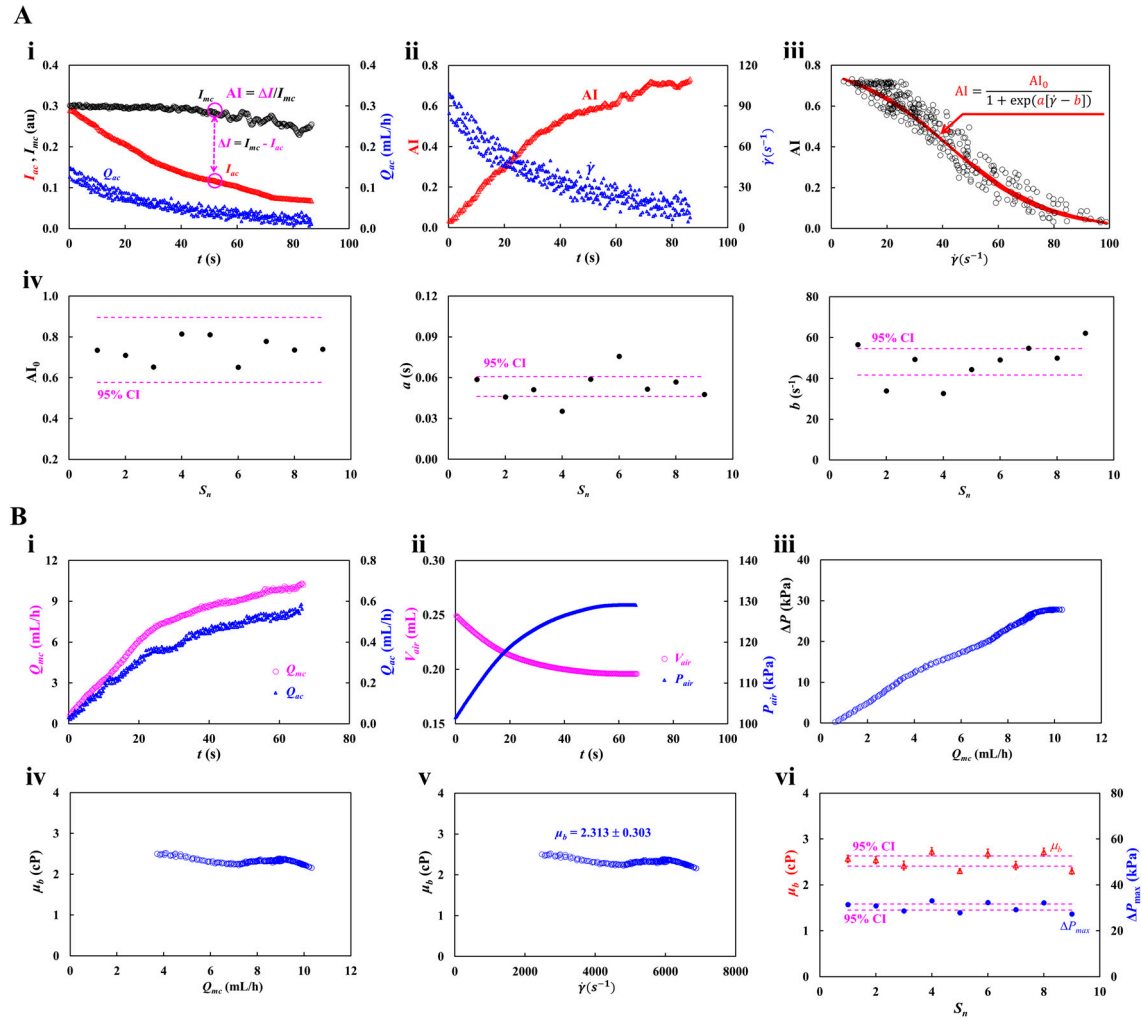


Figure 2. Quantification procedures of flow-dependent RBCs aggregation and blood viscosity. **(A)** Assessment of shear-lapse RBCs aggregation. **(i)** Temporal variations of I_{ac} , I_{mc} , and U_{ac} . At a lower flow-rate of the aggregation channel, RBC aggregation caused to decrease I_{ac} over time gradually. RBC aggregation index (AI) as dimensionless parameter was expressed as $AI = \Delta I / I_{mc}$, where the ΔI was defined as $\Delta I = I_{mc} - I_{ac}$. **(ii)** Temporal variations of AI and shear rate ($\dot{\gamma}$). **(iii)** Variations of AI with respect to shear rate ($\dot{\gamma}$). To assess AI quantitatively, the AI was best fitted as $AI = \frac{AI_0}{1 + \exp(a[\dot{\gamma} - b])}$. Non-linear regression analysis gave three unknown parameters (i.e., $AI_0 = 0.8113$, $a = 0.059$ s, and $b = 44.3671$ s^{-1}). **(iv)** Variations of three parameters obtained for nine bloods ($S_n = 9$). The dashed lines indicated the bounds of 95% confidence interval (CI). Based on the 95% CI, three parameters were obtained as $0.577 < AI_0 < 0.896$, 0.0463 s $< a < 0.0608$ s, and $41.641s^{-1} < b < 54.506$ s^{-1} . **(B)** Assessment of flow-dependent blood viscosity. **(i)** Time-lapse Q_{mc} and Q_{ac} . **(ii)** Temporal variations of V_{air} and P_{air} . **(iii)** Variations of ΔP with respect to Q_{mc} . **(iv)** Variations of blood viscosity (μ_b) with respect to Q_{mc} . **(v)** Variations of μ_b with respect to $\dot{\gamma}$. The μ_b remained constant with respect to shear rate. **(vi)** Variations of μ_b and ΔP_{max} obtained for nine bloods ($S_n = 9$). Based on the 95% CI, the μ_b and ΔP_{max} were obtained as 2.416 cP $< \mu_b < 2.629$ cP and 28.981 kPa $< \Delta P_{max} < 31.732$ kPa.

From the experimental investigation, image intensity difference ($\Delta I = I_{mc} - I_{ac}$) was strongly related to RBCs aggregation[15]. To make RBC aggregation dimensionless parameter, the ΔI was normalized by I_{mc} . Thus, RBC aggregation index (AI) was defined as $AI = \Delta I / I_{mc}$. The flow-dependent AI could be evaluated from time-lapse I_{ac} and I_{mc} . Based on time-lapse Q_{ac} , as shown in **Figure 2A-ii**, variations of AI and $\dot{\gamma}$ were obtained over time. Herein, based on the shear rate formular of a rectangular channel (i.e., $\dot{\gamma} = \frac{6Q_{ac}}{wh^2}$, $w = 1$ mm, $h = 0.05$ mm)[44], shear rate within the ROI of the aggregation channel were estimated over time. Initially, the AI was estimated as near zero where shear rate was estimated as about $\dot{\gamma} = 90$ s^{-1} . Considering that the previous studies[64,89] reported a threshold for RBCs

aggregation as $\dot{\gamma} = 50 \sim 100 \text{ s}^{-1}$, the initial value of AI was regarded as reasonable. Furthermore, when the shear rate decreased gradually over time, the AI increased significantly.

To analyze shear-dependent AI quantitatively, as shown in **Figure 2A-iii**, variations of AI were represented with respect to $\dot{\gamma}$. According to the previous study[89,90], variations of AI were best fitted using a sigmoidal function and a power-law function. Considering that AI had steady value at low shear rates, for convenience, the sigmoidal function was selected to fit shear-dependent AI. That is, to probe shear-dependent AI quantitatively, the AI was best fitted as $AI = \frac{AI_0}{1 + \exp(a[\dot{\gamma} - b])}$. Based on a curve-fitter toolbox in MATLAB (Version: 2025b, MathWorks, Natick, MA, USA), non-linear regression analysis was carried out for estimating three unknown parameters (i.e., AI_0 , a , and b). The red line indicated the best-fit function, which accurately described the shear-dependent AI. Three unknown parameters were then extracted as $AI_0 = 0.8113$, $a = 0.059 \text{ s}$, and $b = 44.3671 \text{ s}^{-1}$. Regression coefficient was obtained as high value of $R^2 = 0.9359$. Reproducibility of the proposed method was assessed by measuring variations in three parameters across nine test bloods ($S_n = 9$). **Figure 2A-iv** exhibited variations of three parameters (i.e., AI_0 , a , and b) with respect to test blood. The dashed lines indicated both bounds of 95% CI. Specifically, within the 95% CI, three parameters were estimated as $0.577 < AI_0 < 0.896$, $0.0463 \text{ s} < a < 0.0608 \text{ s}$, and $41.641 \text{ s}^{-1} < b < 54.506 \text{ s}^{-1}$.

Next, using syringe pump, blood was loaded into microfluidic channels. Blood viscosity could be estimated by analyzing time-lapse Q_{mc} and Q_{ac} . As shown in **Figure 2B-i**, due to air-compliance effect in the driving syringe, Q_{mc} and Q_{ac} were increased gradually over time. Based on Eqn (1) and Eqn (2), V_{air} and P_{air} were obtained over time. The air volume (V_{air}) gradually decreased from 0.25 mL to 0.196 mL, while the air pressure (P_{air}) increased over time and then stabilized at 129.15 kPa. **Figure 2B-iii** depicted the variation of ΔP as a function of Q_{mc} , where ΔP was defined as $P_{air} - P_0$. Maximum value of ΔP was given as $\Delta P_{max} = 28.15 \text{ kPa}$. The ΔP was approximately proportional to Q_{mc} . The blood viscosity (μ_b) was then calculated by substituting time-resolved Q_{mc} , Q_{ac} , and ΔP into Eqn (12). **Figure 2B-iv** showed variations of blood viscosity (μ_b) as a function of Q_{mc} . The results indicated that blood viscosity remained consistent with respect to Q_{mc} . Based on the shear-rate formula, time-lapse Q_{mc} was converted into shear rate. As shown in **Figure 2B-v**, variations of μ_b were then represented with respect to $\dot{\gamma}$. Above $\dot{\gamma} = 2500 \text{ s}^{-1}$, the blood viscosity (μ_b) remained constant with respect to $\dot{\gamma}$. As expected, blood behaved as Newtonian fluid[91–94]. The viscosity was summarized as $\mu_b = 2.313 \pm 0.303 \text{ cP}$ ($n = 227$). COV (coefficient of variance, standard deviation/mean) was calculated as 13.1%. With regard to nine test bloods ($S_n = 9$), reproducibility of the proposed method was evaluated by measuring μ_b and ΔP_{max} . Under 95% CI, the μ_b and ΔP_{max} were estimated as $2.416 \text{ cP} < \mu_b < 2.629 \text{ cP}$ and $28.981 \text{ kPa} < \Delta P_{max} < 31.732 \text{ kPa}$.

From the preliminary demonstration, it was confirmed that the proposed method was able to measure flow-resolved AI and viscosity by analyzing time-lapse image intensity (I_{mc} , I_{ac}) and flow-rate (Q_{mc} , Q_{ac}). The method gave consistent results sufficiently.

3.2. Accuracy Validation of Viscosity Measured by the Proposed Method for RBCs-Free Solution

Given that blood viscosity is strongly influenced by several factors (i.e., hematocrit, RBC aggregation, RBC deformability, and RBC sedimentation in driving syringe)[46,61,62,65,83,95,96], the presence of RBCs complicates reliable viscosity measurement. Accordingly, validation can be simplified by eliminating RBCs from blood suspension[97–99]. The remaining medium behaves as Newtonian fluid. In this subsection, to verify the accuracy of viscosity values obtained with the proposed method, glycerin solutions were prepared as test fluids. To demonstrate that the proposed method provided shear-rate independent viscosity, the viscosity of glycerin solution was evaluated by varying flow rate ranging from $Q_{sp} = 1 \text{ mL/h}$ to $Q_{sp} = 8 \text{ mL/h}$ using a syringe pump. In addition, to substantially elevate viscosity, glycerin concentration was increased from 20% to 50%. The measurement results were quantitatively compared with reference data[100].

First, to validate Newtonian behavior of glycerin solution, as shown in **Figure 3A-i**, time-resolved Q_{mc} and ΔP were summarized with respect to $Q_{sp} = 2, 4, 6, \text{ and } 8 \text{ mL/h}$. Herein, 30% glycerin solution was selected as test fluid. As expected, Q_{mc} and ΔP increased gradually over time and

eventually stabilized. The time required to reach the plateau decreased markedly at higher flow rates. Viscosity of the glycerin solution was estimated by substituting Q_{mc} , Q_{ac} , and ΔP into Eqn (12). As shown in **Figure 3A-ii**, by adjusting Q_{sp} ranging from 2 mL/h to 8 mL/h, the viscosity (μ) was plotted as a function of Q_{mc} . From the results, the measured viscosity remained steady and did not correlate with Q_{mc} . As expected, glycerin solution behaved as Newtonian fluid. The corresponding viscosity of each setting flow-rate (Q_{sp}) was estimated as $\mu = 2.66 \pm 0.05$ cP ($n = 426$) for $Q_{sp} = 2$ mL/h, $\mu = 2.84 \pm 0.05$ cP ($n = 668$) for $Q_{sp} = 4$ mL/h, $\mu = 3.03 \pm 0.07$ cP ($n = 421$) for $Q_{sp} = 6$ mL/h, and $\mu = 2.84 \pm 0.05$ cP ($n = 379$) for $Q_{sp} = 8$ mL/h. As depicted in **Figure 3A-iii**, variations of μ and ΔP_{max} were plotted as a function of Q_{sp} . For confirming reproducibility, the experiments were repeated five times ($S_n = 5$). Linear regression analysis was carried out to find out contributions of Q_{sp} to μ and ΔP_{max} . According to linear regression analysis, regression coefficient of μ_b gave lower value of $R^2 = 0.246$. The results indicated that the μ_b did not show substantial difference with respect to Q_{sp} . The experimental results confirmed that glycerin solution behaved Newtonian fluid. In addition, a strong regression fit was obtained for ΔP_{max} ($R^2 = 0.9546$) which confirmed that ΔP_{max} was linear proportional to Q_{sp} . The results were consistent and reasonable because pressure was directly proportional to the delivered flow-rate.

Second, to measure accuracy of viscosity obtained by the proposed method, four different concentrations of glycerin solution ($C_{gl} = 20\%$, 30% , 40% , and 50%) were prepared by diluting pure glycerin solution with $1 \times$ PBS. Herein, flow rate was fixed at $Q_{sp} = 4$ mL/h. According to the reference data[100], the corresponding viscosity of each glycerin solution was given as $\mu = 1.72$ cP for $C_{gl} = 20\%$, $\mu = 2.57$ cP for $C_{gl} = 30\%$, $\mu = 4.05$ cP for $C_{gl} = 40\%$, and $\mu = 6.86$ cP for $C_{gl} = 50\%$. As shown in **Figure 3B-i**, time-lapse Q_{mc} and ΔP were with respect to concentration of glycerin solution ($C_{gl} = 20\% \sim 50\%$). From the results, the Q_{mc} was increased more slowly as the glycerin concentration increased. In contrast, the plateau value of ΔP increased substantially at higher concentrations of glycerin solution. As shown in **Figure 3B-ii**, by varying C_{gl} ranging from 20% to 50%, the viscosity (μ) was plotted as a function of Q_{mc} . Except higher concentration of $C_{gl} = 50\%$, the μ remained consistent with respect to Q_{mc} . The corresponding viscosity of each concentration of glycerin solution was evaluated as $\mu = 2.27 \pm 0.09$ cP ($n = 626$) for $C_{gl} = 20\%$, $\mu = 3.00 \pm 0.05$ cP ($n = 865$) for $C_{gl} = 30\%$, $\mu = 4.29 \pm 0.12$ cP ($n = 799$) for $C_{gl} = 40\%$, and $\mu = 5.66 \pm 0.24$ cP ($n = 783$) for $C_{gl} = 50\%$. **Figure 3B-iii** depicted variations of μ and ΔP_{max} with respect to C_{gl} . Experiments were repeated four times ($S_n = 4$). The results showed that the CI width increased with higher glycerin concentration. To validate performance of the proposed method, as shown in **Figure 3C-i**, viscosity values obtained by both methods (i.e., proposed method, and reference data), were plotted simultaneously with respect to C_{gl} . From the results, both methods gave consistent results. To find out linear correlation between both methods, as shown in **Figure 3C-ii**, viscosity values obtained by both methods were overlapped in a scatter plot, where the horizontal axis corresponded to the reference data (ref. data) and the vertical axis corresponded to the viscosity obtained by the proposed method (pro. method). Red dashed line indicated linear regression curve (i.e., μ [pro. method] = $0.9715 \times \mu$ [ref. data], $R^2 = 0.9835$). Because the linear regression yielded a high value of regression coefficient, the viscosity values obtained with the proposed method showed strong agreement with the reference data.

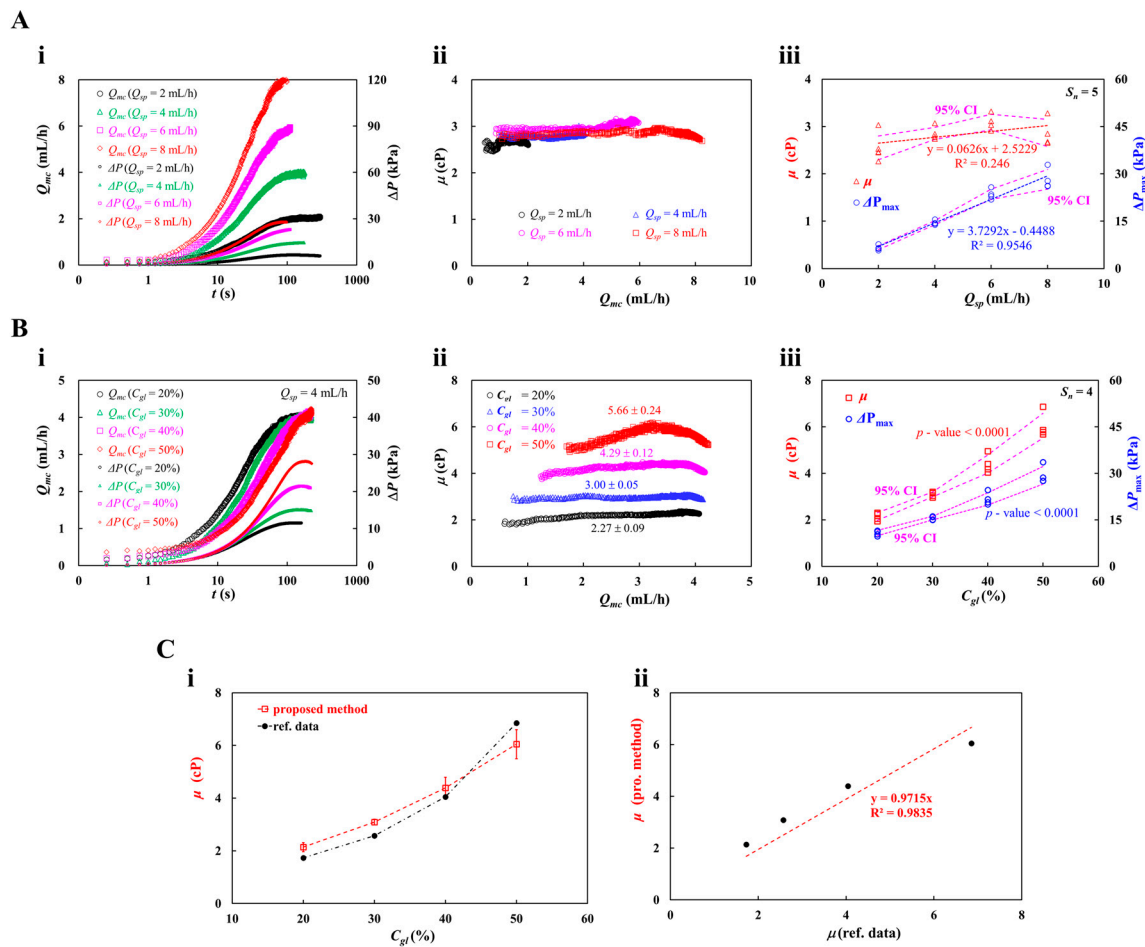


Figure 3. Accuracy validation of viscosity for glycerin solution. **(A)** Contribution of flow-rate to viscosity. Herein, 30% glycerin solution was selected as test fluid. **(i)** Time-lapse Q_{mc} and ΔP with respect to $Q_{sp} = 2, 4, 6,$ and 8 mL/h. **(ii)** Variation of viscosity (μ) with respect to Q_{mc} and Q_{sp} . The viscosity was independent of Q_{mc} and remained unchanged. **(iii)** Variations of μ and ΔP_{max} with respect to Q_{sp} . **(B)** Contribution of glycerin concentration (C_{gl}) to viscosity. Herein, flow rate was fixed at $Q_{sp} = 4$ mL/h. **(i)** Time-lapse Q_{mc} and ΔP_{max} with respect to concentration of glycerin solution ($C_{gl} = 20\%, 30\%, 40\%$, and 50%). **(ii)** Variation of μ with respect to Q_{mc} and C_{gl} . **(iii)** Variations of μ and ΔP_{max} with respect to C_{gl} . **(C)** Quantitative comparison between proposed method and reference data. **(i)** Variations of viscosity obtained by both methods with respect to C_{gl} . **(ii)** Linear regression of viscosity obtained by both methods.

From the experimental investigations, the viscosity of glycerin solution remained constant with respect to delivered flow-rate. Viscosity exhibited substantial difference with respect to concentration of glycerin solution. The quantitative evaluation confirmed that the proposed method could provide accurate viscosity.

3.3. Determination of Supplied Blood Flow-Rate (Q_{sp}) with Syringe Pump

RBC sedimentation in the driving syringe altered the hematocrit of the test blood during blood delivery[83,95,101–103]. In particular, hematocrit markedly influenced the blood velocity measured using time-resolved micro-PIV[104,105]. In this subsection, during syringe pump operation, selecting a suitable flow-rate was essential to reduce the contribution of RBC sedimentation in the syringe[83]. To intentionally enhance sedimentation in the syringe, a dextran solution of 20 mg/mL was chosen as blood medium[15,69,83]. After performing RBC aggregation protocols for 120 s, the syringe pump was activated to load the blood into the microfluidic chip. For simplicity, blood viscosity was quantified only as a function of the applied flow rate. Herein, test blood (Hct = 50%) was prepared by

mixing normal RBCs into 1× PBS and dextran solution (20 mg/mL). Each blood ($V_b = 200 \mu\text{L}$) was loaded into the syringe. Flow rate of syringe pump set to $Q_{sp} = 2 \sim 10 \text{ mL/h}$.

First, to avoid RBC sedimentation in a driving syringe, 1× PBS was selected as blood medium. Control blood (Hct = 50%) was prepared by suspending normal RBCs into 1× PBS. As shown in **Figure 4A-i**, time-lapse Q_{mc} and ΔP were represented with respect to $Q_{sp} = 4$ and 10 mL/h. Delivery time decreased as the delivered flow rate increased, whereas ΔP increased with increasing delivered flow rate. Based on time-lapse Q_{mc} and ΔP , blood viscosity was obtained with respect to Q_{sp} . As shown in **Figure 4A-ii**, by varying Q_{sp} ranging from 4 mL/h to 10 mL/h, blood viscosity (μ_b) was calculated and plotted as a function of Q_{mc} . From the results, variation ranges of Q_{mc} were determined by the Q_{sp} . Herein, within short variations of the Q_{mc} , blood viscosity decreased slightly with respect to Q_{mc} . For convenience, with respect to Q_{sp} , blood viscosity was summarized as mean \pm standard deviation (n : numbers of data point). That is, the corresponding viscosity of each Q_{sp} was summarized as $\mu = 2.10 \pm 0.05 \text{ cP}$ ($n = 371$) for $Q_{sp} = 4 \text{ mL/h}$, $\mu = 1.92 \pm 0.03 \text{ cP}$ ($n = 371$) for $Q_{sp} = 6 \text{ mL/h}$, $\mu = 1.79 \pm 0.03 \text{ cP}$ ($n = 311$) for $Q_{sp} = 8 \text{ mL/h}$, and $\mu = 1.67 \pm 0.04 \text{ cP}$ ($n = 191$) for $Q_{sp} = 10 \text{ mL/h}$. As shown in **Figure 4A-iii**, blood viscosity (μ_b) and maximum pressure difference (ΔP_{max}) were plotted as a function of $Q_{sp} = 2 \sim 10 \text{ mL/h}$. From the results, above $Q_{sp} = 4 \text{ mL/h}$, overall variations of μ_b tended to decrease gradually over Q_{mc} . The results confirmed that control blood behaved as non-Newtonian fluid. Furthermore, the delivered flow-rate (Q_{sp}) contributed to increasing ΔP_{max} linearly.

Second, to induce RBCs sedimentation in a driving syringe, test blood (Hct = 50%) was prepared by suspending normal RBCs into dextran solution (20 mg/mL). Herein, RBC sedimentation occurred during two steps of blood loading (i.e., air-compression-based blood loading: RBCs aggregation quantification, and syringe pump-based blood loading: blood viscosity quantification). As depicted in **Figure 4B-i**, time-resolved Q_{mc} and ΔP were obtained with respect to $Q_{sp} = 4$, and 10 mL/h. Interestingly, the plateau value of ΔP exhibited a small increase as the Q_{sp} was increased from 4 mL/h to 10 mL/h. As shown in **Figure 4B-ii**, by varying Q_{sp} ranging from 4 mL/h to 10 mL/h, blood viscosity (μ_b) was plotted as a function of Q_{mc} . With the exception of $Q_{sp} = 4 \text{ mL/h}$, the μ_b remained unchanged with respect to Q_{mc} . The corresponding blood viscosity of each Q_{sp} was obtained as $\mu_b = 6.16 \pm 0.37 \text{ cP}$ ($n = 303$) for $Q_{sp} = 4 \text{ mL/h}$, $\mu_b = 4.46 \pm 0.17 \text{ cP}$ ($n = 326$) for $Q_{sp} = 6 \text{ mL/h}$, $\mu_b = 3.30 \pm 0.09 \text{ cP}$ ($n = 299$) for $Q_{sp} = 8 \text{ mL/h}$, and $\mu_b = 2.32 \pm 0.08 \text{ cP}$ ($n = 247$) for $Q_{sp} = 10 \text{ mL/h}$. Notably, the μ_b increased markedly when Q_{sp} was reduced from 10 mL/h to 4 mL/h. As shown in **Figure 4B-iii**, variations of μ_b and ΔP_{max} were obtained with respect to $Q_{sp} = 2, 4, 6, 8$, and 10 mL/h. With regard to μ_b , when Q_{sp} exceeded 4 mL/h, increasing Q_{sp} caused to reduce blood viscosity, suggesting that RBC sedimentation became pronounced at lower value of Q_{sp} . Furthermore, the ΔP_{max} increased gradually for up to $Q_{sp} = 6 \text{ mL/h}$. For $Q_{sp} > 6 \text{ mL/h}$, the ΔP_{max} showed no appreciable change with respect to Q_{sp} . Because blood viscosity decreased substantially at higher flow-rate, the ΔP_{max} remained constant within the specific range of Q_{sp} . Compared with results for control blood (**Figure 4A-iii**), the RBC sedimentation in the driving syringe contributed to altered values of μ_b and ΔP_{max} .

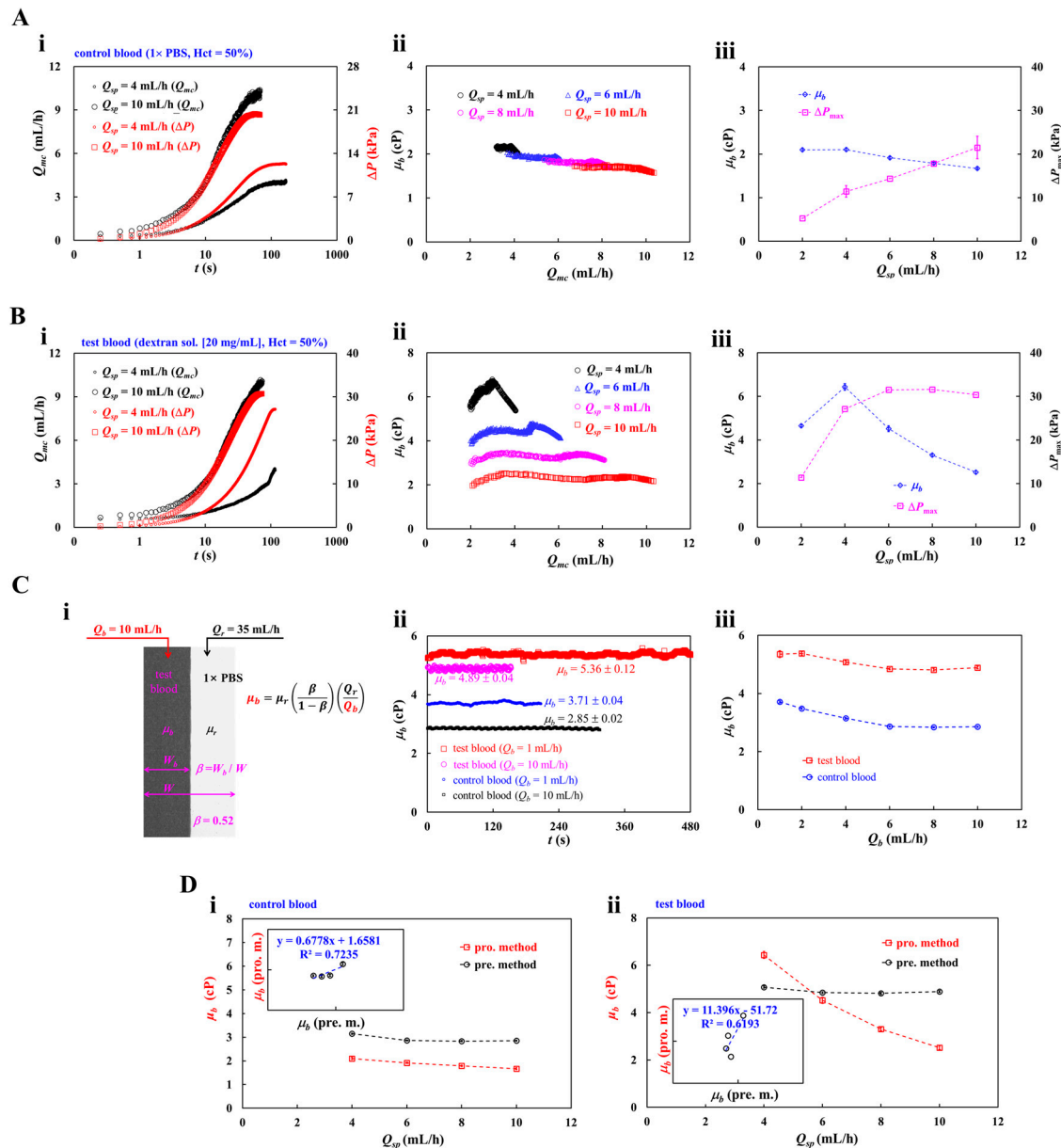


Figure 4. Determination of delivered blood flow-rate for effectively measuring blood viscosity under RBCs sedimentation a driving syringe. Herein, two kinds of blood (Hct = 50%) were prepared by suspending normal RBCs into each blood medium (i.e., 1× PBS: control blood, and dextran solution [20 mg/mL]: test blood). **(A)** Viscosity of control blood obtained by the proposed method. **(i)** Time-lapse Q_{mc} and ΔP with respect to $Q_{sp} = 4$, and 10 mL/h. **(ii)** Variations of blood viscosity (μ_b) with respect to Q_{mc} and $Q_{sp} = 4, 6, 8$, and 10 mL/h. **(iii)** Variations of μ_b and ΔP_{max} with respect to Q_{sp} . **(B)** Viscosity of test blood obtained by the proposed method. **(i)** Time-lapse Q_{mc} and ΔP with respect to $Q_{sp} = 4$, and 10 mL/h. **(ii)** Variations of μ_b with respect to Q_{mc} and Q_{sp} . **(iii)** Variations of μ_b and ΔP_{max} with respect to Q_{sp} . **(C)** Viscosity of both bloods obtained by the previous method (i.e., coflowing streams method). **(i)** Blood viscosity assessment using coflowing method. **(ii)** Temporal variations of μ_b with respect to each blood and blood flow-rate ($Q_b = 1$, and 10 mL/h). **(iii)** Variations of μ_b of with respect to blood flow-rate and each blood. **(D)** Quantitative comparison of blood viscosity obtained by proposed method (pro. m.) and previous method (pre. m.). **(i)** Quantitative comparison of μ_b obtained by both methods for control blood. **(ii)** Quantitative comparison of μ_b obtained by both methods for test blood.

Third, to compare with results obtained by the proposed method, viscosities of control blood and test blood were measured with the coflowing laminar streams [1,84,106–109]. In contrast to the proposed method, the previous approach measured blood viscosity without quantifying RBC

aggregation. Therefore, RBC sedimentation occurred only during blood delivery. **Figure 4C-i** depicted coflowing streams for measurement of blood viscosity. Herein, flow rate of test blood set to $Q_b = 10$ mL/h. To shift the interface near channel center (i.e., $\beta = W_b/W = 0.52$), flow rate of reference fluid was adjusted to $Q_r = 35$ mL/h. Considering that both streams had the same pressure drop in single channel, formula of blood viscosity (μ_b) was given as $\mu_b = \mu_r \times \left(\frac{\beta}{1-\beta}\right) \times \left(\frac{Q_r}{Q_b}\right)$. Herein, the μ_r denoted viscosity of reference fluid (1× PBS). As shown in **Figure 3C-ii**, temporal variations of μ_b were obtained with respect to blood medium (i.e., 1× PBS, and dextran sol. [20 mg/mL]) and blood flow-rate (i.e., $Q_b = 1$, and 10 mL/h). With regard to control blood (1× PBS, Hct = 50%), the corresponding viscosity of each blood flow-rate was obtained as $\mu_b = 3.71 \pm 0.04$ cP ($n = 411$) for $Q_{sp} = 1$ mL/h, and $\mu_b = 2.85 \pm 0.02$ cP ($n = 626$) for $Q_{sp} = 10$ mL/h. Additionally, for test blood (i.e., dextran sol. [20 mg/mL], Hct = 50%), the corresponding viscosity of each blood flow-rate was measured as $\mu_b = 5.36 \pm 0.12$ cP ($n = 2234$) for $Q_{sp} = 1$ mL/h, and $\mu_b = 4.89 \pm 0.04$ cP ($n = 302$) for $Q_{sp} = 10$ mL/h. As shown in **Figure 4C-iii**, for different bloods (i.e., control blood, and test blood), the μ_b was plotted as a function of blood flow-rate (Q_b). From the results, blood viscosity tended to decrease gradually when Q_b was increased from 2 mL/h to 6 mL/h. Above $Q_b = 6$ mL/h, blood viscosity remained unchanged with respect to Q_b . With regard to blood medium, dextran solution (20 mg/mL) increased blood viscosity markedly when compared with 1× PBS.

At last, for two bloods (i.e., control blood, and test blood), blood viscosity obtained by both methods (i.e., proposed method: pro. m., previous method: prev. m.) were compared quantitatively. As shown in **Figure 4D-i**, with regard to control blood, blood viscosity (μ_b) obtained by both methods was plotted as a function of delivered blood flow-rate (Q_{sp}). In the inset, a scatter plot was drawn to represent linear correlation between blood viscosities measured using both methods. The regression formula was obtained as μ_b (pro. m.) = $0.6778\mu_b$ (prev. m.) + 1.6581 ($R^2 = 0.7235$). Because the linear regression yielded a high value of R^2 , blood viscosity obtained by both methods could be considered comparable. Similarly, as shown in **Figure 4D-ii**, with respect to test blood, blood viscosity (μ_b) obtained by both methods were plotted as a function of Q_{sp} . As shown in the inset, a scatter plot was drawn to indicate linear relationship between blood viscosities obtained by both methods. According to linear regression analysis, a linear regression curve was obtained as μ_b (pro. m.) = $11.396\mu_b$ (prev. m.) - 51.72 ($R^2 = 0.6193$). In particular, blood flow-rate of syringe pump had a strong influence on blood viscosity. As shown in **Figure 4D-i**, for control blood, both methods gave comparable viscosity. None-the-less, for test blood, both methods exhibited substantial differences with respect to Q_{sp} . In the previous approach, blood viscosity was quantified without incorporating an RBC aggregation assessment. As a result, the previous method did not require the ~120 s aggregation-quantification interval, thereby minimizing the possibility of RBC sedimentation in the driving syringe. It can be inferred that sedimentation during the aggregation-quantification step contributed to variations in the measured viscosity. Moreover, blood viscosity determined by the proposed method was highly dependent on the delivered blood flow rate. As shown in **Figure 4C-iii**, the previous method yielded nearly constant viscosity values when Q_{sp} exceeded 6 mL/h. Therefore, the Q_{sp} should be maintained above 6 mL/h for ensuring flow-rate-independent viscosity. In addition, to reduce large fluctuations resulting from RBC sedimentation in the driving syringe, the blood flow-rate should be set to the highest feasible level. Unless otherwise specified, in the subsequent experiments, for convenience, the blood flow rate was set to $Q_{sp} = 10$ mL/h.

3.4. Contribution of Hematocrit (Hct)

Because hematocrit strongly influences RBCs aggregation and blood viscosity, the hematocrit of test blood is typically adjusted to a specified value[62,95,110]. In this subsection, the contribution of hematocrit was validated using the proposed method. Herein, to induce RBCs aggregation, the concentration of dextran solution (20 mg/mL) was selected as blood medium. Hematocrit of test blood was then adjusted to Hct = 30% ~ 60% by suspending normal RBCs into the specific dextran solution. Blood ($V_b = 200$ μ L) was loaded into a driving syringe.

First, to quantify RBCs aggregation, as shown in **Figure 5A-i**, time-lapse I_{mc} , I_{ac} , and Q_{ac} were plotted with respect to Hct = 30%, and 60%. RBC aggregation index (AI) was calculated using time-lapse I_{mc} and I_{ac} . Simultaneously, shear rate ($\dot{\gamma}$) was estimated by substituting time-resolved Q_{ac} into shear rate formula. As shown in **Figure 5A-ii**, by varying hematocrit ranging from Hct = 30% to Hct = 60%, the AI was plotted as a function of $\dot{\gamma}$. The shear-dependent AI was best fitted as $AI = \frac{AI_0}{1 + \exp(a[\dot{\gamma} - b])}$. The green dashed line represented the best-fitting regression curve. The corresponding curve-fitting formula of each hematocrit was obtained as $AI = 0.7649 / (1 + \exp [0.039(\dot{\gamma} - 50.0872)])$ for Hct = 30%, $AI = 0.7275 / (1 + \exp [0.0398(\dot{\gamma} - 31.5752)])$ for Hct = 40%, and $AI = 0.3914 / (1 + \exp [0.0902(\dot{\gamma} - 29.8718)])$ for Hct = 60%. Based on three parameters (i.e., AI_0 , a , and b) estimated by conducting non-linear regression analysis, as shown in **Figure 5A-iii**, variations of three parameters were represented with respect to Hct = 30% ~ 60%. Herein, the number of test blood was set to $S_n = 4 \sim 9$. Based on statistical test (i.e., one-way ANOVA), the corresponding p -value of each parameter was obtained as p -value < 0.001 for parameter AI_0 , p -value < 0.001 for parameter a , and p -value = 0.062 for parameter b . The AI_0 decreased slightly from Hct = 30% to Hct = 50%, but declined markedly between Hct = 50% and Hct = 60%. The parameter a was unchanged between Hct = 30% and 40%, but increased gradually from Hct = 40% to Hct = 60%. The parameter b did not show a clear trend because it exhibited large scatter with respect to Hct. However, the b showed a substantial difference between Hct = 30% and Hct = 60%. Given that the conventional RBC aggregation index showed substantial hematocrit-dependent variation[16,111], the parameters obtained using the proposed method (i.e., AI_0 and a) could be used as promising indices.

Second, after RBCs aggregation quantification, contribution of hematocrit to blood viscosity was assessed using the proposed method. As shown in **Figure 5B-i**, time-dependent Q_{mc} and ΔP were obtained with respect to Hct = 30% and 60%. The rising time increased markedly as hematocrit rose from Hct = 30% to Hct = 60%. In addition, the plateau value of ΔP increased substantially at the highest hematocrit. **Figure 5B-ii** showed

variations of μ_b with respect to shear rate ($\dot{\gamma}$). The μ_b did not exhibit substantial variation with respect to shear rate. The corresponding viscosity of each hematocrit was summarized as $\mu_b = 2.34 \pm 0.06$ cP ($n = 208$) for Hct = 30%, $\mu_b = 2.24 \pm 0.06$ cP ($n = 199$) for Hct = 40%, and $\mu_b = 3.23 \pm 0.10$ cP ($n = 233$) for Hct = 60%. That is, blood viscosity showed no substantial difference between Hct = 30% and Hct = 40%. However, blood viscosity increased significantly as hematocrit increased from Hct = 40% to Hct = 60%. As shown in **Figure 5B-iii**, variations of μ_b and ΔP_{max} were plotted as a function of hematocrit. According to statistical test (i.e., one-way ANOVA), the p -value was less than 0.001 for both properties. According to the previous studies[62,95,112], hematocrit contributed to increasing blood viscosity significantly. However, both properties remained unchanged from Hct = 30% and Hct = 50%, but increased markedly from Hct = 50% to Hct = 60%. In contrast to the previous methods, the present method quantified RBC aggregation before measuring blood viscosity. During aggregation quantification, RBC sedimentation inevitably occurred in the driving syringe while blood was delivered at low flow-rate by air compression. In addition, the dextran solution (20 mg/mL) markedly accelerated sedimentation in the syringe. This phenomenon was expected to be more pronounced at low hematocrit (Hct = 30% or 40%)[113]. After RBC aggregation quantification, when the test blood with low hematocrit (i.e., Hct = 30% ~ 50%) was introduced into the microfluidic channels, the allocated hematocrit exhibited no substantial difference. Consequently, blood viscosity was inferred to show little difference over Hct = 30% ~ 50%.

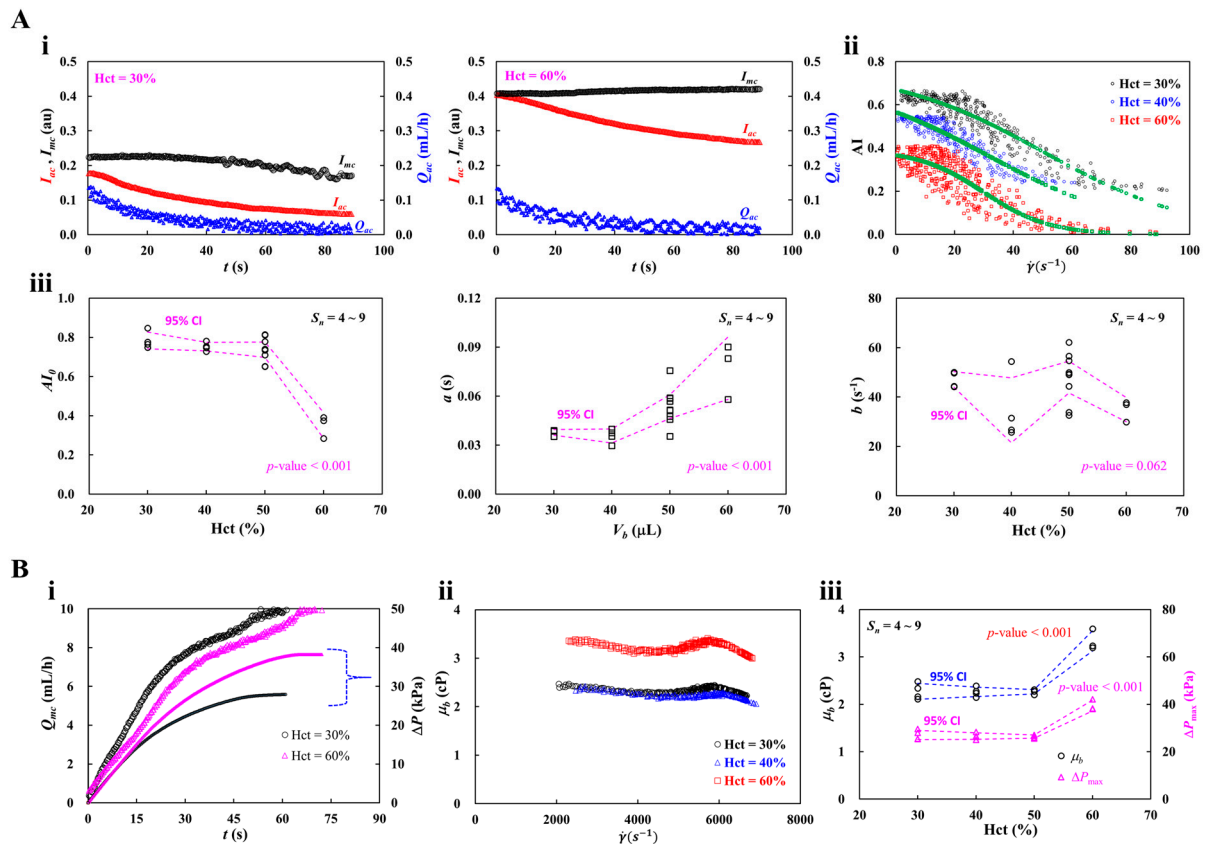


Figure 5. Contribution of hematocrit to RBCs aggregation and blood viscosity obtained by the proposed method. Herein, hematocrit of test blood was adjusted to Hct = 30% ~ 60% by suspending normal RBCs into dextran solution (20 mg/mL). Blood (200 μ L) was loaded into a driving syringe. Flow rate of syringe pump set to Q_{sp} = 10 mL/h. **(A)** Quantification of RBCs aggregation with respect to hematocrit. **(i)** Temporal variations of I_{mc} , I_{ac} , and Q_{ac} with respect to Hct = 30% and 60%. **(ii)** Shear rate ($\dot{\gamma}$)-dependent AI with respect to Hct = 30%, 40%, and 60%. Based on the specified regression formula (i.e., $AI = \frac{AI_0}{1 + \exp(a[\dot{\gamma} - b])}$), the corresponding regression formula of each hematocrit was obtained as $AI = 0.7649 / (1 + \exp[0.039(\dot{\gamma} - 50.0872)])$ for Hct = 30%, $AI = 0.7275 / (1 + \exp[0.0398(\dot{\gamma} - 31.5752)])$ for Hct = 40%, and $AI = 0.3914 / (1 + \exp[0.0902(\dot{\gamma} - 29.8718)])$ for Hct = 60%. **(iii)** Variations of three parameters (i.e., AI_0 , a , and b) obtained by conducting regression analysis. **(B)** Contribution of hematocrit to blood viscosity. **(i)** Time-dependent Q_{mc} and ΔP with respect to Hct = 30%, and 60%. **(ii)** Variations of μ_b with respect to $\dot{\gamma}$. **(iii)** Variations of μ_b and ΔP_{max} with respect to Hct.

From the experimental investigation, RBC aggregation index (AI) exhibited greater sensitivity to hematocrit variations than blood viscosity. Interestingly, owing to RBC sedimentation in a driving syringe, blood viscosity showed no substantial difference among low-hematocrit blood (i.e., Hct < 50%).

3.5. Contribution of Blood Medium (Dextran Concentration)

According to previous studies, the autologous plasma (i.e., plasma proteins) strongly affects RBCs aggregation and blood viscosity[62,95,114,115]. Instead of diluting autologous plasma, diluted dextran solutions have been widely used as standard aggregating medium and can increase blood viscosity[109,116–118]. In this subsection, to quantify the effect of blood medium, test blood (Hct = 50%) was prepared by suspending normal RBCs into dextran solution (C_{dex} = 0, 5, 10, 15, and 20 mg/mL). The C_{dex} = 0 denoted pure 1 \times PBS. Blood (200 μ L) was loaded into a driving syringe.

First, to quantify RBCs aggregation under different blood medium, as shown in **Figure 6A-i**, time-lapse I_{mc} , I_{ac} , and Q_{ac} were obtained with respect to C_{dex} = 5, 10, and 15 mg/mL. According to the results, the intensity difference (i.e., $\Delta I = I_{mc} - I_{ac}$) increased substantially when concentrations of

dextran solution increased from 5 mg/mL to 15 mg/mL. Based on regression model of the AI, three parameters (i.e., AI_0 , a , and b) were obtained by conducting non-linear regression analysis. **Figure 6A-ii** depicted variations of three parameters with respect to C_{dex} . The number of control blood was set to $S_n = 4 \sim 9$. Since the AI variation at $C_{dex} = 5$ was not well fitted, the corresponding parameters (a , b) were excluded from the scatter plot. According to statistical test (i.e., one-way ANOVA), the corresponding p -value of each parameter was obtained as p -value < 0.0001 for parameter AI_0 , p -value = 0.001 for parameter a , and p -value = 0.0003 for parameter b . From the results, three parameters exhibited substantial differences with respect to C_{dex} . The previous studies also reported that the conventional aggregation index exhibited substantial difference with respect to the specific concentration of dextran solution[95,109,117,119]. From the experimental investigation, three parameters obtained by the proposed method could be used effectively as promising indices for quantifying RBCs aggregation.

Second, the present method was employed to measure blood viscosity with respect to C_{dex} . As shown in **Figure 6B-i**, time-dependent Q_{mc} and ΔP were obtained with respect to $C_{dex} = 5$ and 15 mg/mL. The rising time of Q_{mc} and the plateau value of the ΔP were increased significantly when dextran concentration was increased from 5 mg/mL to 15 mg/mL. As shown in **Figure 6B-ii**, by changing concentration of dextran solution ranging from $C_{dex} = 0$ to $C_{dex} = 15$ mg/mL, the μ_b was plotted as a function of $\dot{\gamma}$. From the results, blood viscosity tended to decrease slightly with respect to shear rate. A pronounced increase in blood viscosity was observed at higher concentrations. Instead of conducting a best-fitted curve, blood viscosity values were summarized as mean \pm standard deviation (n : number of data points). The corresponding viscosity of each C_{dex} was estimated as $\mu_b = 1.65 \pm 0.09$ cP ($n = 218$) for $1 \times$ PBS, $\mu_b = 2.1 \pm 0.07$ cP ($n = 221$) for $C_{dex} = 5$ mg/mL, and $\mu_b = 2.35 \pm 0.1$ cP ($n = 221$) for $C_{dex} = 15$ mg/mL. **Figure 6B-iii** showed variations of μ_b and ΔP_{max} with respect to C_{dex} . The number of test blood was set to $S_n = 4 \sim 9$. According to statistical test (i.e., one-way ANOVA), the corresponding p -value of both parameters was less than 0.0001. The results indicated that dextran solution contributed to increasing μ_b and ΔP_{max} markedly. To quantitatively compare with blood viscosity values obtained by the proposed method, as shown in **Figure 6B-iv**, the previous method was applied to measure blood viscosity of the same test bloods. Herein, as the previous method was only aimed at measuring blood viscosity, it did exclude RBC aggregation quantification.

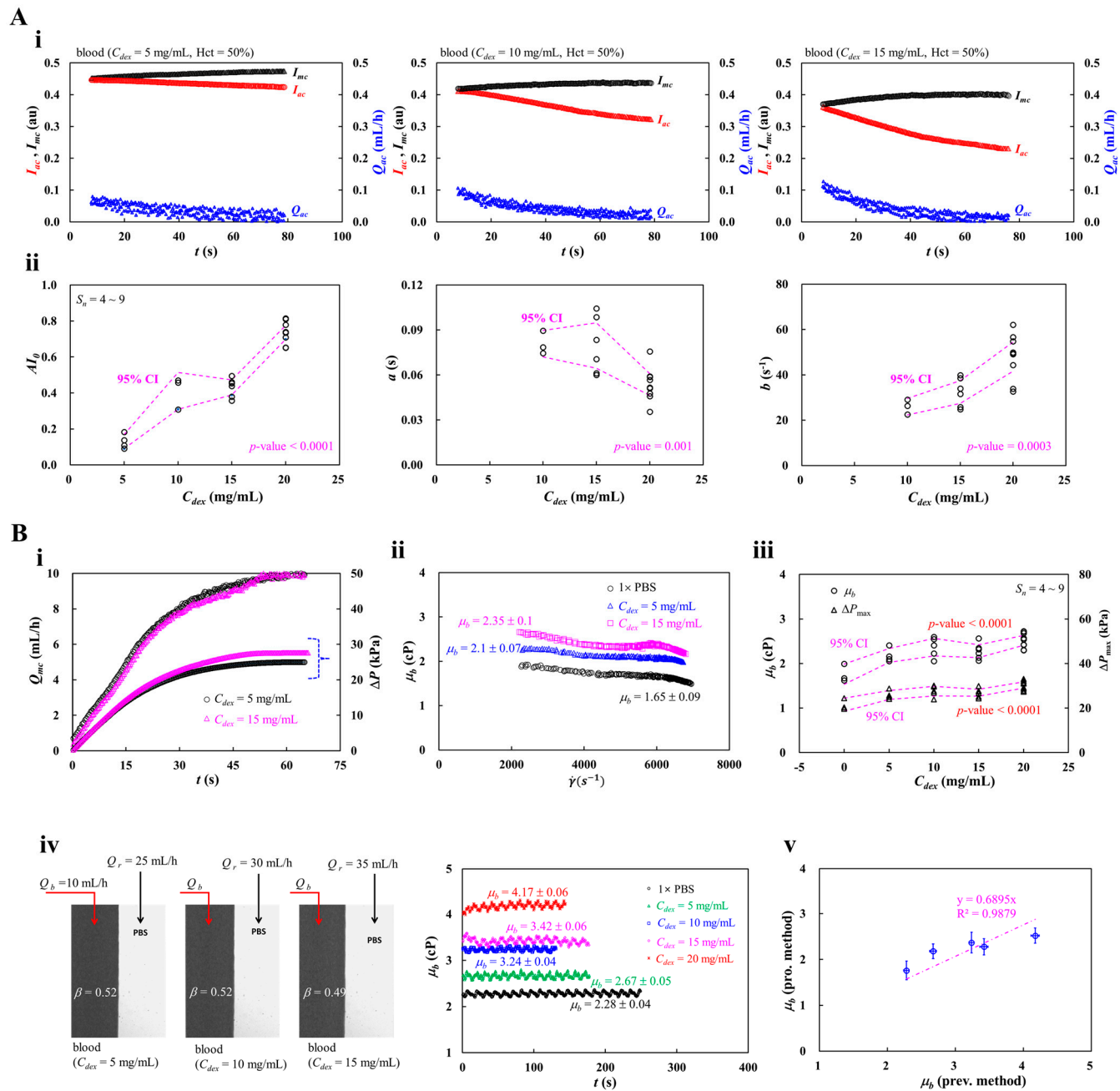


Figure 6. Contribution of blood medium (i.e., dextran solution) to RBCs aggregation and blood viscosity. To quantify the effect of blood medium, test blood (Hct = 50%) was prepared by adding normal RBCs into dextran solution ($C_{dex} = 0, 5, 10, 15,$ and 20 mg/mL). **(A)** Contribution of dextran solution to RBCs aggregation. **(i)** Time-lapse I_{mc} , I_{ac} , and Q_{ac} with respect to $C_{dex} = 5, 10,$ and 15 mg/mL. **(ii)** Variations of three parameters obtained by regression analysis with respect to C_{dex} . **(B)** Contribution of dextran solution to blood viscosity. **(i)** Time-dependent Q_{mc} and ΔP with respect to $C_{dex} = 5,$ and 15 mg/mL. **(ii)** Variations of μ_b with respect to shear rate ($\dot{\gamma}$). **(iii)** Variations of μ_b and ΔP_{max} with respect to C_{dex} . **(iv)** Blood viscosity obtained by the previous method (i.e., coflowing streams method). The left-side panel showed microscopic images for quantifying blood viscosity. The right-side panel showed temporal variations of μ_b with respect to $C_{dex} = 0 \sim 20$ mg/mL. **(v)** Quantitative comparison between blood viscosity obtained by both methods. According to linear regression analysis, regression formula was obtained as μ_b (pro. m.) = $0.6895\mu_b$ (prev. m.) ($R^2 = 0.9879$).

In particular, from the perspective of the proposed method, the effect of RBC sedimentation during the blood-delivery step used for aggregation quantification was eliminated. The left-side panel showed microscopic images for quantifying blood viscosity. Herein, flow rate of test blood set

to $Q_b = 10$ mL/h. To maintain interface between test blood and reference fluid (1× PBS) near the channel center, flow rate of reference fluid was adjusted as $Q_r = 25$ mL/h for $C_{dex} = 5$ mg/mL, $Q_r = 30$ mL/h for $C_{dex} = 10$ mg/mL, and $Q_r = 35$ mL/h for $C_{dex} = 15$ mg/mL. Herein, the corresponding interface of each test blood was calculated as $\beta = 0.52$ for $C_{dex} = 5$ mg/mL, $\beta = 0.52$ for $C_{dex} = 10$ mg/mL, and $\beta = 0.49$ for $C_{dex} = 15$ mg/mL. The right-side panel showed temporal variations of μ_b with respect to $C_{dex} = 0 \sim 20$ mg/mL. As expected, blood viscosity increased markedly when the dextran concentration increased from $C_{dex} = 0$ to $C_{dex} = 20$ mg/mL. The corresponding viscosity of each concentration of dextran solution was obtained as $\mu_b = 2.28 \pm 0.04$ cP ($n = 494$) for 1× PBS, $\mu_b = 2.67 \pm 0.05$ cP ($n = 355$) for $C_{dex} = 5$ mg/mL, $\mu_b = 3.24 \pm 0.04$ cP ($n = 261$) for $C_{dex} = 10$ mg/mL, $\mu_b = 3.42 \pm 0.06$ cP ($n = 354$) for $C_{dex} = 15$ mg/mL, and $\mu_b = 4.17 \pm 0.06$ cP ($n = 288$) for $C_{dex} = 20$ mg/mL. To quantitatively compare with viscosity values obtained by both methods, as shown in **Figure 6B-v**, a scatter plot was created by plotting μ_b (prev. m.) along the horizontal axis and μ_b (pro. m.) along the vertical axis. A linear regression analysis was performed to probe the correlation between both methods. According to linear regression analysis, regression formula was obtained as μ_b (pro. m.) = $0.6895\mu_b$ (prev. m.) ($R^2 = 0.9879$). As the regression coefficient was calculated as higher value of $R^2 = 0.9879$, viscosity values obtained by the both methods could be regarded as comparable, and exhibited strong linearity.

From the experimental investigation, the proposed method was successfully employed to prove the contribution of blood medium (i.e., dextran solution) to RBCs aggregation and blood viscosity. Specifically, the proposed method had the ability to provide consistent results compared with previous method.

3.6. Contribution of Blood-Loading Volume (V_b) into a Driving Syringe

For all experiments, 200 μ L blood was loaded into a driving syringe. As shown in **Figure 7A-i**, air cavity of 250 μ L was secured in the syringe, after which the blood volume (V_b) was suctioned. In the two-step delivery procedure, the air cavity was first compressed by approximately 50 μ L, which drove blood from the syringe into the microfluidic channels. This initial air-driven step also removed pre-existing air bubbles in the fluidic path, resulting in complete blood-filling of the channels. Once 50 μ L blood was discharged, delivery was stopped immediately. Subsequently, the remaining blood (~ 150 μ L) was infused into the microfluidic channels using a syringe pump. Notably, about 150 μ L blood was still considered as a sufficiently large volume for blood viscosity measurements. In this study, the blood flow rate was calibrated using the steady-state blood velocity. Due to air compliance effect in the syringe, blood velocity did not reach its plateau immediately after the syringe pump was activated. Therefore, blood had to be delivered continuously until the velocity stabilized at the plateau. Accordingly, this subsection aimed to determine the minimum blood-loading volume required to ensure reliable blood viscosity measurements. Test blood (Hct = 50%) was prepared by suspending normal RBCs into dextran solution (20 mg/mL). As shown in **Figure 7A-i**, blood-loading volume set to $V_b = 100, 150,$ and 200 μ L.

Figure 7A-ii showed time-lapse I_{mc} and I_{ac} with respect to V_b . As expected, I_{mc} and I_{ac} did not exhibit notable changes with respect to V_b during air-compression delivery. However, during syringe-pump delivery, the plateau periods of I_{mc} and I_{ac} increased as the V_b increased. As shown in **Figure 7A-iii**, variations of three parameters (i.e., AI_o , a , and b) were obtained with respect to V_b . The number of test blood was set to $S_n = 2 \sim 3$. According to statistical test (i.e., one-way ANOVA), the corresponding p -value of each parameter was obtained as p -value = 0.379 for parameter AI_o , p -value = 0.347 for parameter a , and p -value = 0.731 for parameter b . The results indicated that the specified ranges of blood-loading volume did not significantly affect RBCs aggregation.

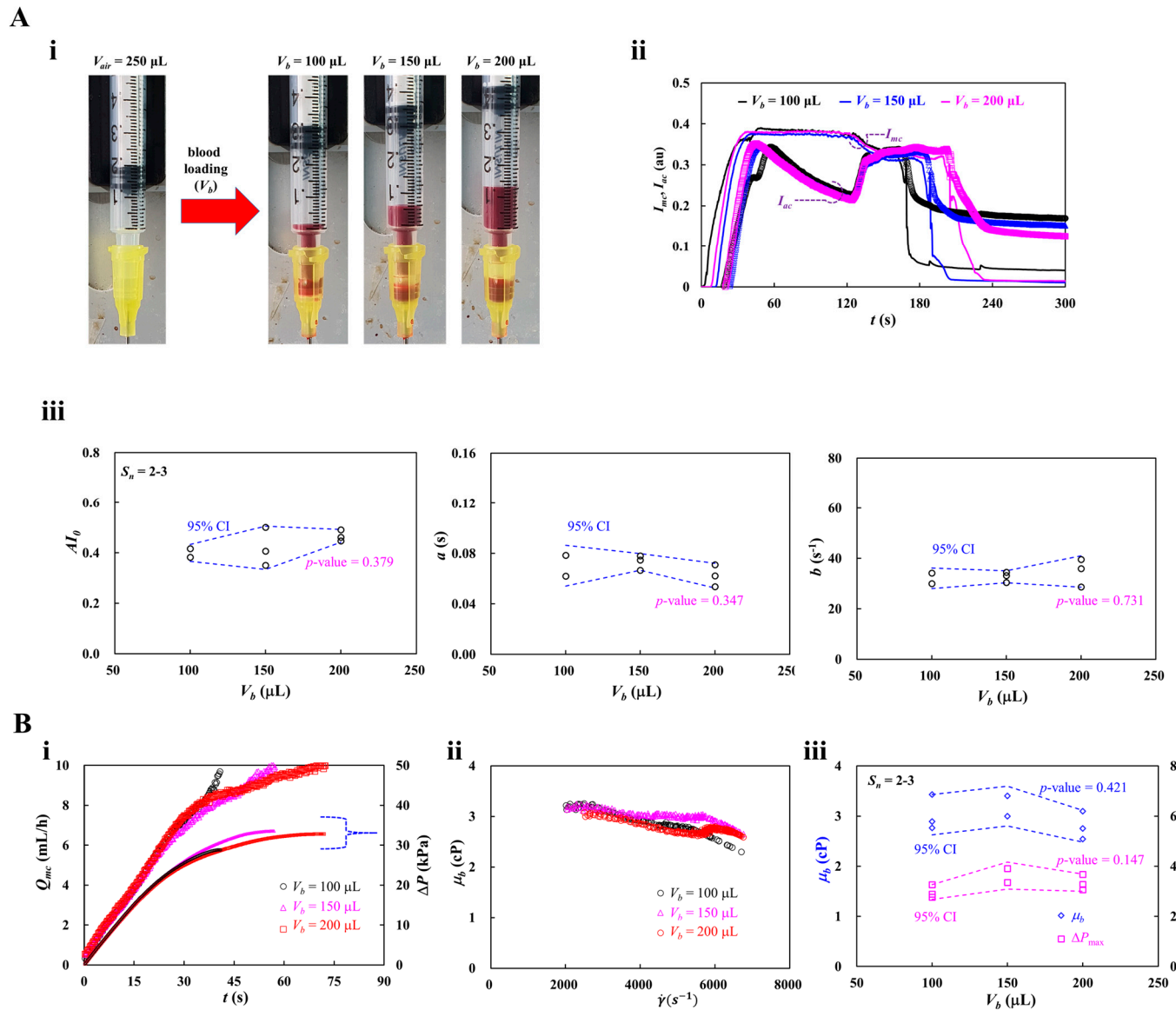


Figure 7. Contribution of blood-loading volume to RBCs aggregation and blood viscosity. Test blood (Hct = 50%) was prepared by suspending normal RBCs into dextran solution (20 mg/mL). **(A)** Contribution of blood-loading volume ($V_b = 100, 150,$ and $200 \mu\text{L}$) to RBCs aggregation. **(i)** Snapshot for showing blood volume (V_b) supplied into a driving syringe. **(ii)** Time-lapse I_{mc} and I_{ac} with respect to V_b . **(iii)** Variations of three parameters (i.e., A_{I_0} , a , and b) with respect to V_b . **(B)** Contribution of blood-loading volume (V_b) to blood viscosity. **(i)** Time-lapse Q_{mc} and ΔP with respect to V_b . **(ii)** Variations of μ_b with respect to $\dot{\gamma}$. **(iii)** Variations of μ_b and ΔP_{max} with respect to V_b .

As shown in **Fig 7B-i**, time-lapse Q_{mc} and ΔP were obtained with respect to V_b . Increasing V_b led to a longer rising time of Q_{mc} . When V_b was set to $100 \mu\text{L}$, the steady-state ΔP was reduced compared with the other conditions. However, the steady plateau of ΔP remained unchanged as V_b increased from $150 \mu\text{L}$ to $200 \mu\text{L}$. **Figure 7B-ii** depicted variations of μ_b with respect to $\dot{\gamma}$. The correspond viscosity of each V_b was obtained as $\mu_b = 2.89 \pm 0.22 \text{ cP}$ ($n = 119$) for $V_b = 100 \mu\text{L}$, $\mu_b = 3.00 \pm 0.12 \text{ cP}$ ($n = 182$) for $V_b = 150 \mu\text{L}$, and $\mu_b = 2.75 \pm 0.11 \text{ cP}$ ($n = 232$) for $V_b = 200 \mu\text{L}$. As shown in **Figure 7B-iii**, variations of μ_b and ΔP_{max} were obtained with respect to V_b . According to statistical test (i.e., one-way ANOVA), the corresponding p -value of each parameter was obtained as p -value = 0.421 for μ_b , and p -value = 0.147 for ΔP_{max} . The results indicated that consistent blood viscosity measurement was achievable with blood-loading volume from $100 \mu\text{L}$ to $200 \mu\text{L}$.

From the experimental measurements, it was confirmed that at least 100 μL blood was required to ensure consistent results.

3.7. Detection of Heat-Shocked RBCs

According to earlier studies[91,114,120–122], when normal RBCs are subjected to elevated temperatures exceeding 40 °C, both blood viscosity and RBC aggregation differ substantially from those under normal physiological temperature of 37 °C. In this subsection, the proposed method was employed to probe contribution of heat-shocked RBCs to blood viscosity and RBCs aggregation. Herein, exposure time of each temperature set to 40 min for 45°C and 20 min for 50 °C. Test blood (Hct = 50%) was prepared by suspending heat-shocked RBCs into dextran solution (20 mg/mL). Blood ($V_b = 200 \mu\text{L}$) was loaded into a driving syringe.

First, variations of RBC aggregation index (AI) were quantitatively assessed as a function of thermal exposure conditions. As shown in **Figure 8A-i**, RBC aggregation was quantified for RBCs exposed to 45 °C for up to 40 min. The first panel showed variations of AI with respect to $\dot{\gamma}$. As the thermal expose duration increased, the variation of AI decreased significantly. Herein, as variations of AI was not well represented by a sigmoidal function, the regression formula of AI was replaced by $\text{AI} = \text{AI}_0 \exp(-a \dot{\gamma})$. Two unknown parameters (i.e., AI_0 , and a) were then obtained by conducting non-linear regression analysis. The second panel showed variations of parameter AI_0 with respect to thermal expose time (t_{exp}). Number of test blood was set to $S_n = 2 \sim 3$. The statistical test (i.e., one-way ANOVA) indicated a p -value of 0.051. Except $t_{\text{exp}} = 10$ min, the AI_0 did not exhibit statistical significance with respect to t_{exp} . The last panel showed variations of parameter a with respect to t_{exp} . According to statistical test (i.e., one-way ANOVA), the p -value of parameter a was obtained as 0.088. As exposure time became longer, the overall magnitude of parameter a decreased progressively. As depicted in **Figure 8A-ii**, RBC aggregation was quantified for RBCs exposed to 50 °C for up to 20 min. The first panel showed variations of AI with respect to $\dot{\gamma}$. A significant reduction in AI variation was observed with longer exposure times. The second panel showed variations of parameter AI_0 with respect to t_{exp} . The one-way ANOVA gave a p -value of 0.007. The number of test blood was set to $S_n = 2 \sim 4$. In comparison with AI_0 obtained at 45 °C (**Figure 8A-i**), the AI_0 exhibited large fluctuations. The last panel showed variations of parameter a with respect to t_{exp} . According to statistical test (i.e., one-way ANOVA-test), the p -value was obtained as less than 0.0001. The parameter a decreased significantly as exposure time increased longer. From the results, the parameter a changed substantially when normal RBCs were exposed to higher temperatures and for longer durations.

Second, blood viscosity was assessed for RBCs exposed to specific temperatures and durations. **Figure 8B-i** showed quantification of blood viscosity for RBCs exposed to 45 °C for up to 40 min. The first panel showed time-lapse Q_{mc} and ΔP with respect exposure time. The second panel showed variations of μ_b with respect to t_{exp} . According to statistical test (i.e., one-way ANOVA), p -value was obtained as 0.983. From the results, no significant change in blood viscosity was observed after exposing RBCs to 45 °C for up to 40 minutes. The last panel showed variations of ΔP_{max} with respect to t_{exp} . According to the statistical test (i.e., one-way ANOVA), p -value was obtained as 0.915. The ΔP_{max} did not exhibit a statistically meaningful difference under 45 °C exposure for as long as 40 minutes.

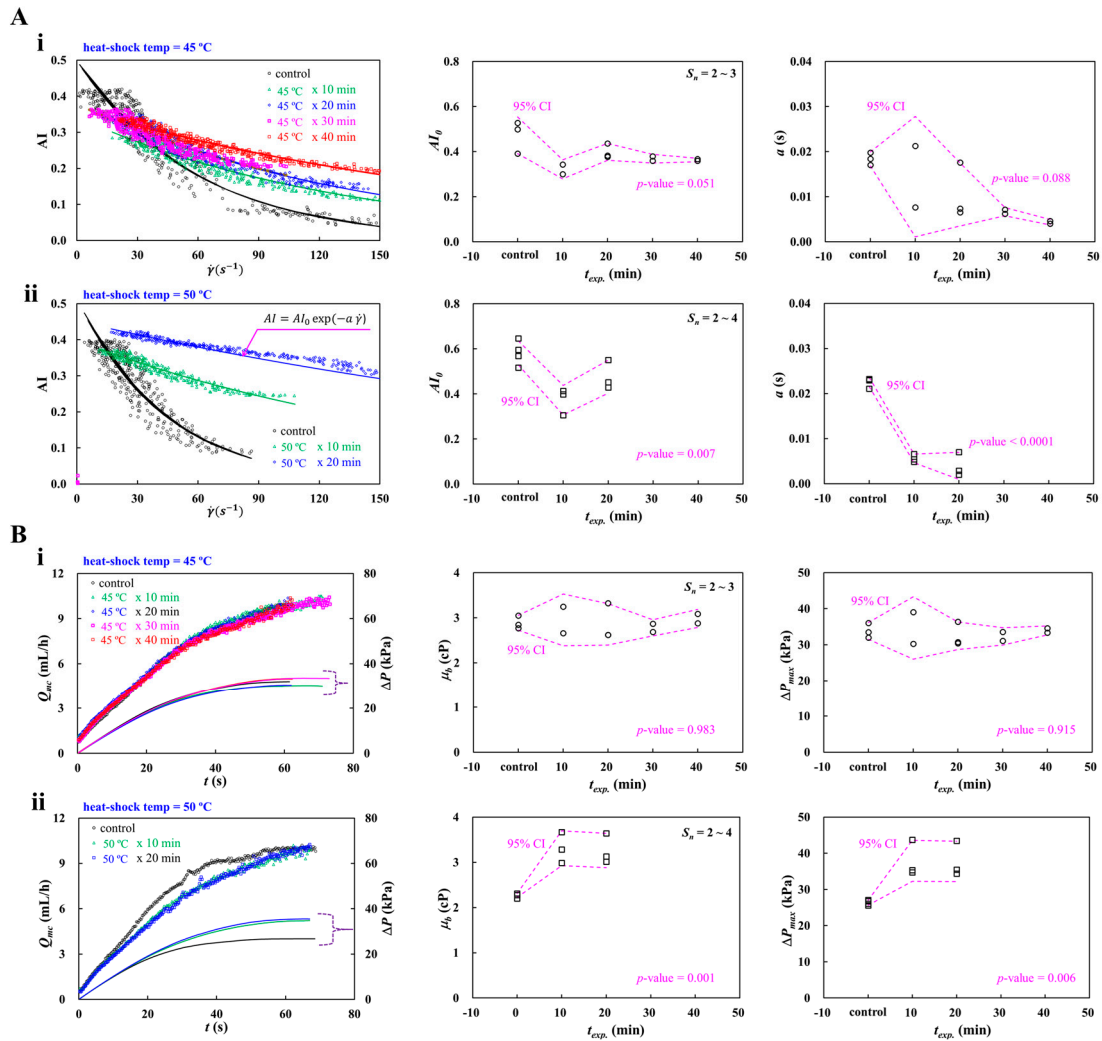


Figure 8. Contribution of heat-shocked RBCs to RBCs aggregation and blood viscosity. Herein, exposure time of each temperature set to 40 min for 45 °C and 20 min for 50 °C. Test blood (Hct = 50%) was prepared by suspending heat-shocked RBCs into dextran solution (20 mg/mL). **(A)** Contribution of heat-exposed RBCs to RBCs aggregation. **(i)** Quantification of RBCs aggregation using RBCs exposed to 45 °C for up to 40 min. The first panel showed variations of AI with respect to $\dot{\gamma}$. The AI was best fitted as $AI = AI_0 \exp(-a \dot{\gamma})$. The second panel showed variations of parameter AI_0 with respect to exposed time (t_{exp}). The last panel showed variations of parameter a with respect to t_{exp} . **(ii)** Quantification of RBCs aggregation using RBCs exposed to 50 °C for up to 20 min. The first panel showed variations of AI with respect to $\dot{\gamma}$. The second panel showed variations of parameter AI_0 with respect to exposed time (t_{exp}). The last panel showed variations of parameter a with respect to t_{exp} . **(B)** Contribution of heat-shocked RBCs to blood viscosity. **(i)** Quantification of blood viscosity for RBCs exposed to 45 °C for up to 40 min. The first panel showed time-lapse Q_{mc} and ΔP . The second panel showed variations of μ_b with respect to t_{exp} . The last panel showed ΔP_{max} with respect to t_{exp} . **(ii)** Quantification of blood viscosity for RBCs exposed to 50 °C for up to 20 min. The first panel showed time-lapse Q_{mc} and ΔP . The second panel showed variations of μ_b with respect to t_{exp} . The last panel showed ΔP_{max} with respect to t_{exp} .

Figure 8B-ii depicted quantification of blood viscosity for RBCs exposed to 50 °C for up to 20 min. The first panel showed time-lapse Q_{mc} and ΔP with respect to exposure time. When RBCs were exposed to 50 °C for 10 min, the rising time of Q_{mc} increased and the steady plateau of ΔP became higher. No additional substantial changes were observed when the exposure duration was extended from 10 to 20 minutes. The second panel showed variations of μ_b with respect to t_{exp} . The statistical test (i.e., one-way ANOVA) gave p -value = 0.001. A marked difference in blood viscosity was observed for RBCs exposed to 50 °C for 10 minutes, whereas no statistically significant change

occurred when the exposure duration was increased from 10 min to 20 min. The last panel showed ΔP_{max} with respect to t_{exp} . The pattern of ΔP_{max} was very similar to that of blood viscosity. The statistical test (i.e., one-way ANOVA) resulted in statistical significance (p - value = 0.006). Experimental results indicated that RBC structural integrity was preserved after exposure to 45 °C for up to 40 minutes[123,124]. In contrast, exposure to 50 °C for 10 minutes may have induced structural damage[123,125,126], which was accompanied by increase in blood viscosity (μ_b) and maximum pressure difference (ΔP_{max})[96,127].

From the experimental investigation, with regard to RBCs exposed to 45 °C, RBC aggregation exhibited substantial difference. However, no significant difference of blood viscosity was observed. Thus, it was confirmed that RBC aggregation index could be used effectively for monitoring thermal-induced damages of RBCs.

As a limitation, the proposed method could not measure RBC aggregation and blood viscosity simultaneously. During the time interval (~120 s) required for RBC aggregation quantification, RBC sedimentation occurred, which impeded the subsequent viscosity determination. Further methodological improvements are therefore needed to allow both parameters to be measured concurrently.

4. Conclusions

In this study, a novel method was demonstrated to resolve several issues (i.e., dead volume loss in fluid path, hematocrit-sensitive blood velocity calibration, RBC sedimentation in a driving syringe, and flow-dependent hemorheological properties) raised by the previous methods. First, to reduce dead volume loss in the fluidic path (i.e., syringe needle, inlet tubing, and channels), air cavity ($V_{air} = 250 \mu\text{L}$) was secured above blood column (at least 100 μL) loaded into a driving syringe. Second, to calibrate hematocrit-sensitive blood velocity fields and minimize RBC sedimentation in a driving syringe, single syringe pump set to higher value of flow rate ($Q_{sp} = 10 \text{ mL/h}$). Third, to probe flow-dependent RBCs aggregation and blood viscosity sequentially, a microfluidic channel was carefully designed to have a main channel (i.e., high shear rate: $\dot{\gamma} > 1000 \text{ s}^{-1}$) and an aggregation channel (i.e., low shear rate: $\dot{\gamma} < 50 \text{ s}^{-1}$). RBCs aggregation index (AI) was then assessed by comparing image intensity of blood flow in both channels, especially under air-compression delivery. Shear rate-dependent AI was quantitatively analyzed by conducting non-linear regression fitting. A micro-PIV technique was used to obtain blood flow-rate in each channel (i.e., Q_{mc} for main channel and Q_{ac} for aggregation channel), where blood flow-rate was maintained constant. Both flow rates were obtained accurately by calibrating velocity fields in terms of Q_{sp} and plateau value of blood velocity. Next, viscosity formula was derived by constructing fluidic circuit model. Air pressure difference in a driving syringe was estimated using ideal-gas law (i.e., pressure difference = fluidic resistance \times flow rate) and time-lapse Q_{mc} . Blood viscosity was then obtained by substituting air pressure difference (ΔP), Q_{mc} , and Q_{ac} into blood viscosity formula. To validate performance of the proposed method, first, measurement accuracy of fluid viscosity was validated with glycerin solution ($C_{gl} = 20\% \sim 50\%$). The proposed method gave comparable results when compared with reference data. Second, using two kinds of blood medium (i.e., 1 \times PBS, and dextran solution [20 mg/ml]), the effect of RBC sedimentation in driving syringe was quantified with respect to blood flow-rate (Q_{sp}). RBCs sedimentation had a strong impact on blood viscosity rather than RBC aggregation. To minimize the contribution of RBC sedimentation, the blood flow-rate set to higher value of flow rate ($Q_{sp} = 10 \text{ mL/h}$). Third, to probe the effect of RBCs volume (i.e., hematocrit) and blood medium (i.e., dextran solution) on RBCs aggregation and blood viscosity, test blood was prepared by suspending normal RBCs into dextran solution (i.e., Hct = 30% ~ 50%, $C_{dex} = 0 \sim 20 \text{ mg/mL}$). RBCs aggregation exhibited substantial difference with respect to hematocrit and dextran concentration. Interestingly, blood viscosity did not show substantial difference in ranges of hematocrit (Hct = 30% ~ 50%) and higher concentration of dextran (above 10 mg/mL), which was resulted from RBCs sedimentation in a driving syringe. Fourth, at least 100 μL blood was required to ensure consistent results of RBCs aggregation and blood viscosity. At last, the proposed method was applied to investigate

biomechanical difference in heat-shocked RBCs (i.e., 45 °C for 40 min, and 50 °C for 20 min). RBC aggregation index (AI) was superior to blood viscosity for monitoring thermal-induced damages of RBCs. In conclusion, the suggested method can accurately measure flow-dependent hemorheological properties, where air cavity ($V_{air} = 250 \mu\text{L}$) was secured above blood column (at least 100 μL) loaded into a driving syringe and syringe pump set to constant flow rate. Flow-dependent RBCs aggregation and blood viscosity could be used to detect substantial changes in RBCs or blood medium.

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