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Article

# In an Eggshell: Baryonic Black Hole Universe with CMB Cycle for Gravity and $\Lambda$

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Abstract: A persistent idea in cosmology is that the universe originated and then continued to evolve as a black hole. While the notion of a black hole universe has generally been framed within the standard cosmological model, the latter has had numerous problems related to dark matter, dark energy and other issues. To avoid such problems an alternative is proposed which omits cosmic expansion, dark matter and dark energy. The observable universe is cast instead as primarily a thin spherical shell of cold (~29 K) baryonic matter situated near the Hubble radius. This shell of plasma holds 95% of the observable universe's mass, the remaining 5% existing in the interior galaxies and gas clouds. A key premise of the model is that spacetime is fundamentally photonic in nature. This allows photon energy to be transferred to spacetime in the Hubble redshift and to be transferred back to photons in a novel blueshift. These exchanges together drive a cosmic energy cycle for gravity and the cosmological constant,  $\Lambda$ . Photons of the cosmic microwave background originating in the plasma shell lose energy to 'cooler' regions of spacetime in interior zones via the Hubble redshift. This gives rise to gravity through the optical gravity approach. The depleted photons moving back towards the shell are then reenergized in 'hotter' spacetime regions via the Hubble blueshift. These photons eventually exert outward pressures on the shell which perfectly balance the inward forces of gravity, in this manner functioning as Einstein's cosmological constant. The observable universe behaves as a closed system in thermodynamic equilibrium with constant energy and entropy and indeterminate age. Black holes are suggested to have analogous plasma shell structures and gravity/ $\Lambda$  cycles.

**Keywords:** cosmic microwave background; Hubble redshift; black hole; black hole universe; gravastar; optical gravity

### 1. Introduction

Recently there has been renewed interest in the idea that the observable universe arose and continues to exist as some form of black hole [1–8]. Proposals for a black hole universe have generally been premised on the Lambda cold dark matter ( $\Lambda$ CDM) consensus model of cosmology (expansion + dark matter + dark energy). The inclusion of dark matter and dark energy is necessary to allow a black hole universe with its Schwarzschild radius near the Hubble radius to attain the critical density needed to form a black hole. This density is the same as the  $\Lambda$ CDM critical density  $\varrho_c$ , which requires just the same contributions from dark matter and dark energy [5].

Black hole universe models nonetheless face many problems. Due to the black hole mass-radius relationship, the radius of a black hole cannot increase without its mass increasing proportionately. It is unclear how mass growth through accretion could precisely balance the supposed radial increase of cosmic expansion. In addition, as initially described by Pathria [1], a black hole universe typically has a hybrid structure, with an external Schwarzschild metric enclosing an expanding Friedmann–Lemaître–Robertson–Walker internal metric. These two metrics may not match up in the way Pathria supposed [9,10]. While the interior metric might conceivably be replaced with a Schwarzschild metric, there is no consensus solution for such a metric [11].

Some mechanism is also needed to prevent a black hole universe from collapsing into a singularity. While various mechanisms have been suggested for achieving this in ordinary black holes [12–24], none of these seem immediately applicable to a black hole universe. Dark energy has been linked to possible expansion of black holes [25] and might similarly prevent cosmic collapse. Yet there has been negligible progress in identifying realistic candidates for either dark energy or dark matter over many decades. In addition, if cosmological expansion *were* abandoned in a black hole universe, the conceptual underpinnings for both dark matter and dark energy would also largely disappear.

A non-expanding black hole universe without dark matter and dark energy would be the very antithesis of the  $\Lambda$ CDM model. Such a universe at first seems impossible. Not only would there be no apparent mechanism to avoid singularity, but without dark matter and dark energy the observable universe would no longer have the mass density needed to enclose itself in a black hole [5].

Yet some black hole models do afford a clue as to where the additional baryonic mass required for a black hole universe could conceivably reside. Adapting Susskind's 2D holographic representation of a black hole, these models include thin spherical shells [18–20]; black shells [21]; dark energy stars [22] and gravastars [23,24]. These thin-shell models collectively suggest that the missing mass for a black hole universe could reside in a thin shell of plasma located near the Hubble radius.

Pursuing this theme, we now propose a thin-shell black hole universe which is not expanding and possesses neither dark matter nor dark energy. Its mass is instead entirely baryonic, with 95% of it residing in a shell of cold ( $\sim$  29 K) plasma positioned near the Schwarzschild radius (also the Hubble radius,  $c/H_0$ ) and the remaining 5% in interior galaxies, gas and dust. The plasma shell is undetectable except through its influence on the cosmic microwave background (CMB). The CMB originates at the shell and also terminates there, its outward pressure holding the shell in place against gravity. The interactions between the CMB and the plasma shell dominate the model.

The absence of cosmic expansion will greatly simplify our model. The universe in this case need not have originated in an ultra-compact state, as in the ΛCDM model, but conceivably with galactic or even cosmic dimensions. Moreover, as the long-range gravitational forces between remote shell baryons would be extremely weak, it becomes permissible to use Newtonian gravity initially and thus avoid the many mathematical complexities of relativistic black hole, gravastar and black hole universe models. In this connection it should be recalled that the concept of 'dark stars' – large stars from which nothing can escape – predated general relativity by centuries.

The plasma shell design furthermore allows for strict energy conservation to be built into the model. The Hubble redshift removes enormous quantities of energy from the universe each second, primarily from the cosmic microwave background (CMB). Unlike the  $\Lambda$ CDM model, which allows for non-conservation of energy in this process, the present model can account for both the Hubble redshift *and* the fate of the lost photon energy. In cosmological models which omit expansion the Hubble redshift is typically ascribed to some 'tired light' mechanism, whereby photon energy is transformed to some other form. Tired light mechanisms, however, encounter two basic problems: the temperature-redshift relation in the CMB and the time dilation seen in Type 1a supernovae. They otherwise afford explanations for cosmological observations that match or improve upon those of the  $\Lambda$ CDM model [26,27].

The solutions to these problems in our model lie in a different conceptualization of spacetime: as being essentially photonic in nature. In previous work on gravitation and astro/geophysics spacetime was modeled as a network of graviton filaments interconnecting all particles, with the gravitons themselves having photonic structure. This arrangement allows masses to be pushed together by photons in a classic gravity mechanism [28,29]. The photonic model of spacetime will now be augmented using the paired-photon vacuum (PPV) scheme of Annila and coworkers, in which the gravitons within these filaments consist of overlapping photon pairs [30–32]. Such a photonic spacetime would be able to exchange energy with photons, such that CMB radiation undergoing the Hubble redshift still has the characteristics of blackbody radiation.

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A key point that will be emphasized throughout is that the CMB temperatures measured at high redshifts record not only the temperatures at those distances as they existed long ago, but also the temperatures likely existing there *today*. The CMB closest to the plasma shell thus always has  $T_{\text{CMB}} \sim 29 \text{ K}$  in our model. This CMB has an energy density of  $u = 5.3 \times 10^{-9} \text{ erg cm}^{-3}$ , similar to that of the cosmological constant  $\Lambda$ . This supports the notion that CMB photons rather than dark energy prevent singularity in the universe.

The Hubble constant  $H_0$  will also be reinterpreted as the fundamental recycling parameter describing the universe's central functions. The Hubble time  $H_1 = H_0^{-1}$  thus no longer describes an 'age of the universe' but rather the basic cycle period of the universe. It corresponds roughly to the time required for a photon to travel from the shell to the centre of the observable universe, at which point the photon energy has been almost entirely degraded. This allows the Hubble radius to be defined as  $R_U = cH_1 = c/H_0$ , as it is in the  $\Lambda$ CDM model

From wave-particle duality it can be inferred that particles should also transfer energy and momentum to photonic spacetime via the Hubble redshift. While space does not permit development of this aspect here, in future work it will be connected to quantum physics and Modified Newtonian Dynamics (MOND). Of significance for the present discussion is that establishing a firm basis for the latter model would remove one of principal reasons for supposing the existence of dark matter.

The paper will be organized as follows. An overview of the model is given in Section 2. In Section 3 the problem of the  $T_{\text{CMB}}$ -redshift relationship in tired light models is then reviewed. Our proposed solution is then given that spacetime is photonic in nature and that the Hubble redshift is actually a multiphotonic process, in which the CMB attempts to reach thermal equilibrium with spacetime. In Section 4 the Hubble blueshift of CMB photons will be examined in relation to shell stability and to the origin of the CMB and the cosmological constant  $\Lambda$ . The general CMB cycle for gravity and  $\Lambda$  is then presented in Section 5. In this section some CMB tests of the model are discussed, as well as some general implications for energy and entropy conservation in the model. Brief discussions of gravity and black holes are then given in Sections 6 and 7, with some general conclusions lastly made in Section 8.

### 2. The Eggshell Universe

The basic model is shown in Figure 1. Superficially, the graphic resembles familiar depictions of the  $\Lambda$ CDM model, where the 'shell' corresponds to the surface of the primordial cosmic object. The universe in the  $\Lambda$ CDM model evolves inwardly from that surface, first with formation of particles of matter and radiation and later with stars and galaxies. The present model is entirely different from this. The density of baryons and CMB photons at various positions remains nearly constant over time, with only slow changes arising due to mass accretion. In the figure the network of graviton filaments, equated with spacetime, has its highest density nearest the shell and its lowest density near the centre, which is assumed to be close to our position in the Milky Way. The CMB energy density has this same distribution, its highest value found near the shell.

From the black hole mass-radius relationship, the observable universe has a mass  $M = Rsc^2/2G$ , where Rs is the Schwarzschild radius. Since  $Rs = Ru = c/H_0$ , we then have  $M = c^3/2GH_0 \approx 9 \times 10^{55}$  gm. Since almost all the mass is in the shell, the shell surface density is then  $QA \approx cH_0/8\pi G \approx 4 \times 10^{-2}$  gm cm<sup>-2</sup>. Remarkably, this value is only about half that of the eggshell of a domestic chicken. To highlight this unusual cosmic feature, the plasma shell universe is termed the 'eggshell universe' (EU).

The thin-shell configuration affords a simple description of the metric in the interior space. From Birkhoff's theorem the metric generated by the shell baryons alone would be flat and Minkowski. The gravitational potentials at different positions within the interior would be constant, such that the shell exerts no gravitational effects there. The interior galaxies, gas and dust comprising only 5% of the total mass would not significantly distort this flat interior metric. Unlike the gravitational potentials, however, the density of gravitational potential energy – or equivalently of spacetime in our model – would *not* be uniform at each point in the interior space. The density of

photonic spacetime would be at its maximum value near the shell and at its minimum at the cosmic centre.

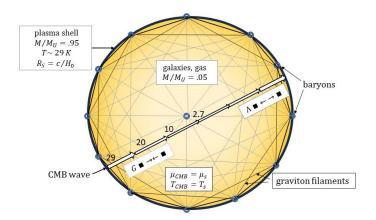


Figure 1. Eggshell universe with CMB cycle for gravity and  $\Lambda$ . Representative shell baryons and one interior baryon are small blue circles. Graviton filaments of spacetime connecting baryons are shown as dark lines, with line thickness representing filament energy ( $\propto |U|$ ). Concentric zones of uniform  $T_{\text{CMB}}$  are shown with yellow shading, with darker shades indicating higher values. A CMB wave moving inwardly from the shell is redshifted by energy loss to spacetime filaments, causing masses to be attracted in gravity ( $\blacksquare \to \leftarrow \blacksquare$ ). The weakened photons are then blueshifted by return transfer of energy from spacetime filaments as they head back towards the shell. This causes masses to be pushed apart, generating  $\Lambda$  ( $\blacksquare \leftarrow \to \blacksquare$ ). At all positions the CMB temperature and energy density equals the spacetime temperature and density (indicated by 's' subscripts). See text for full description.

This density gradient is the key to cosmic operation in the model. It enables energy exchanges between spacetime and CMB photons which drive gravity and a CMB-based cosmological constant. In a vast cosmic cycle CMB photons originating at the shell are redshifted as they move towards the interior space. The lost photon momentum is transferred to the graviton filaments connecting masses and then to the masses themselves, pushing them together. Since the observable universe in our model has essentially fixed energy, mass and volume, however, increasing spacetime curvature at one position through gravitation of masses is necessarily balanced by spacetime relaxation (and thus mass separation) elsewhere. By symmetry, the energy released by spacetime in this way would be transferred back to photons. As will be discussed in Section 4, abundant evidence already exists for such an energy release in a variety of masses and mass systems [28,29,33–35]. In the model CMB photons that have been blueshifted in this manner eventually exert outward pressure on the shell, thereby preventing its gravitational collapse and performing the role of  $\Lambda$  in the Einsteinian sense of a cosmological constant.

### 3. Photonic Spacetime

The eggshell universe has at its centre a fundamentally different view of spacetime, one based on physicality rather than geometry. This photonic spacetime allows for a new interpretation of the Hubble redshift that can be grouped with tired light (TL) mechanisms. As noted above, TL models have had difficulty in accounting for two problems that are well addressed in the  $\Lambda$ CDM model: the linear  $T_{\text{CMB}}$ -redshift relation and the time dilation seen in supernovae. In other respects, however, they perform just as well as the  $\Lambda$ CDM model or better [26].

Let us first consider the  $T_{\text{CMB}}$  problem in TL models (for a general discussion of the historical roles of the CMB in cosmology see [36]). In the  $\Lambda$ CDM model the CMB temperature  $T_z$  at a redshift z increases according to the relationship

$$T_z = T_0(1+z), (1)$$

where  $T_0$  = 2.726 K is the average CMB temperature today [37]. Here the CMB photons originate from the surface of last scattering at the time of recombination, with  $T_z \approx 3,000$  K and redshift  $z \approx 1100$ . Evidence in favour of Equation (1) is found with the presumed CMB heating of atoms and molecules in remote gas clouds [38,39]; in the Sunyaev–Zeldovich (SZ) effect [40]; and with water molecules at the very high redshift of 6.34 [41].

The temperature-redshift relationship for the CMB follows from some basic relations for a photon gas:

$$u = \frac{U}{V} = \frac{4\sigma}{c} T^4,\tag{2}$$

$$P = \frac{1}{3} \frac{U}{V} = \frac{4\sigma}{3c} T^4, \tag{3}$$

$$n = rT^3. (4)$$

Here U is the total energy, V the volume, u the energy density, P the pressure, T the temperature, t the photon number density, t a constant and t the Stefan-Boltzmann constant. In a laboratory system a photon gas is in constant contact with matter, such that equilibration between photons and baryons maintains the blackbody spectrum appropriate for the system. In the t CDM model, however, the CMB photons after leaving the surface of last scattering are only able to retain their blackbody spectrum by virtue of cosmological expansion. This allows the energy density and photon number of the CMB to diminish in the correct manner.

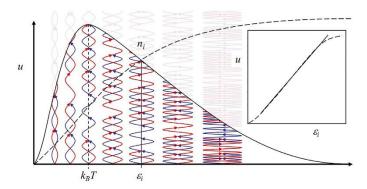
Significant deviations from Equation (1) would be possible indications of other processes at work, such as a decaying vacuum energy density [42]. A net photon production or destruction over time would give  $T_{\text{CMB}(z)} \propto (1+z)^{(1-\beta)}$ , with  $\beta \neq 0$ . A positive  $\beta$  would be consistent with net photon production until today, while  $\beta < 0$  would imply photon destruction. With no clear evidence thus far for a non-zero  $\beta$ , however, a basic challenge for TL models lacking cosmic expansion is thus how to retain the CMB blackbody signature over time. The CMB photon energy would vary as  $(1+z)^{-1}$ , but the photon number density would remain constant.

### 3.1. Spacetime as a Photon Gas

As in our earlier work on gravity, we model spacetime as a network of graviton filaments linking all the particles of the observable universe, with the graviton subunits themselves being photonic in nature [28,29,33,34]. The photonic energy in the graviton filaments connecting any two masses is assumed to be equal in magnitude to the mutual gravitational potential energy of those masses. This arrangement allows spacetime to be continuously updated at each point in space by the masses embedded within it, as required in general relativity. Information concerning a particle's velocity or spin, for example, would be continuously encoded and carried away from it by gravitons. Particles act essentially as reprocessing centres for gravitons, converting gravitons with older, outdated information originating from remote masses into newer ones carrying updated information about local particles.

The paired photon vacuum (PPV) model of Annila and coworkers can be integrated with this scheme (Figure 2) [30–32]. In the PPV model the vacuum likewise consists of filaments of spin-2 gravitons, but with the latter occurring as overlapping pairs of in-phase and antiphase spin-1 photons. In their overlapping, double-stranded state, the photons do not exert electromagnetic forces but still have energy density. When pushed into hotter states, the photon pairs unwind and the now single-stranded, non-overlapping photons (*e.g.*, CMB photons) do exert electromagnetic forces. The spectral density of the paired-photon vacuum in their model has the same form as blackbody radiation (Figure 2).





**Figure 2.** The paired-photon vacuum. Vacuum spectral density, u, sums up from numerous rays of photons (blue-red waves) with a spectrum of energies,  $\varepsilon_i$ , about the average energy,  $k_BT$ . The paired photons cannot be seen as light but are sensed as inertia and gravitation through their coupling to matter. In contrast, the odd quanta (blue or red), distributed in-phase or antiphase among the paired rays, are seen as light and manifest as electromagnetism. *Inset*: The cumulative spectral density vs. energy (dashed line) (from Annila and Wikström [31]).

From these considerations it is evident that such a photonic spacetime might be treated as a quasi-photon gas similar to the CMB. Like the CMB, it would have analogous values for energy density  $u_s$ , pressure  $p_s$ , temperature  $T_s$  and photon number  $n_s$  (where the subscripts 's' denote spacetime). Since the CMB contributes the largest energy component to electromagnetic radiation fields, even in the local universe, the CMB and spacetime pools at all locations would thus exchange energy primarily with each other. This would tend to bring these two photon gases into thermal equilibrium at each point in space, such that everywhere  $T_s = T_{\text{CMB}}$ . A laboratory model for such a spacetime could even exist in recent work showing that light pulses propagating in optical fibers organize themselves in the manner of ordinary gases [43].

A spacetime with variable photon content can account for the Hubble redshift, as well as the  $T_{\text{CMB}}$  problem and supernova time dilation in TL models. This is because spacetime would at points in space be capable of exchanging energy with the CMB or other electromagnetic waves directly, mediating their photon number in the process.

### 3.2. Hubble Redshift of CMB versus Stellar Photons

In our model the Hubble redshift is viewed as a multiphotonic process operating on wave trains of photons. Stellar surfaces have effective temperatures thousands of degrees higher than that of the CMB at any point in the EU. This gives rise to a critical difference in how the Hubble redshift would operate on CMB photons versus ordinary starlight.

Consider first the CMB photons. At their hottest positions near the shell, we have  $T_{\text{CMB}} = T_{\text{Shell}} \sim 29 \text{ K}$  and  $u \sim 5 \times 10^{-9} \text{ erg cm}^{-3}$  (Figure 1). At their weakest position, possibly near our location, the respective values could be 2.7 K and  $4 \times 10^{-13} \text{ erg cm}^{-3}$ . As it moves towards the interior, an array of CMB photons would transfer energy to spacetime packets it encounters along the way. The photon wavelengths in the array would thus increase, while its values for u and n would decrease: the Hubble redshift. As discussed in Sections 5 and 6, the energy and momentum lost from the wave trains would be transferred to graviton filaments, setting them in motion and pushing masses together in gravitation.

Conversely, an array of 'cooler' CMB photons moving from the interior back towards the shell encounters regions of progressively 'hotter' and denser spacetime, with higher  $T_{\text{CMB}}$  and  $T_{\text{s}}$ . With equipartition of energy the CMB photon wavelengths would accordingly diminish, while its values for u and n would increase: the Hubble blueshift (Figure 1). This blueshift comes at the expense of graviton energies within spacetime filaments, with masses now being pushed apart and |U| thereby diminished. In this picture, inwardly moving waves of CMB radiation would lose most of their energy in the outermost regions of the EU, since graviton filaments are densest there. This would be consistent with Equation (1).

In the case of starlight, however, there would only be a Hubble redshift. A sunlike star has  $T_{\rm Eff}$  ~ 6,000 K. Its photon energies thus vastly exceed those of CMB photons at any point within the EU. With the assumption that  $T_{\rm s} = T_{\rm CMB}$  at each point in space, equipartition of energy between starlight, spacetime and the CMB thus results in a one-way Hubble redshift for starlight photons.

As will be discussed below, mechanisms for gravity and  $\Lambda$  can then exploit the difference between the energies of CMB photons entering or leaving a specific zone of space with those of CMB photons that are characteristic of that zone. In each specific zone of space the decrease in  $T_{\text{CMB}}$  due to the Hubble redshift is balanced by an increase arising from an analogous Hubble blueshift. In a sense there would be two equal and opposite  $\beta$  terms in operation, such that overall  $\beta$  = 0.

## 3.3. Supernova Time Dilation and Gravitational Time Dilation

The other main piece of evidence considered to support the  $\Lambda$ CDM model rather than TL models is the observed time dilation in supernovae [27]. In the  $\Lambda$ CDM model this time dilation arises due to expansion of spacetime since the time of the stellar explosion. The light curve of the distant supernova is stretched in the observer's frame by a factor (1 + z) compared to the supernova's rest frame [44].

A similar effect can be produced in the present model. Consider a wave of radiation leaving the supernova. As with stellar radiation generally, photon energy would flow unidirectionally in the Hubble redshift from these photons to spacetime photons due to the large energy gap between them. The photon number in the wave would again diminish in this process, while the average photon wavelength would increase. The wave as a whole would thus expand by a factor (1 + z), producing the same time dilation effect as in  $\Lambda$ CDM model.

Gravitational time dilation in our model could have an additional interpretation not available in general relativity. In the latter theory the gravitational redshift and gravitational time dilation are observed in a light source positioned relatively nearer to a mass than the observer. Both effects arise because the observer's clock runs faster than the clock at the source's position. Since only clocks are involved, photon energy is conserved throughout its trajectory. In the photonic spacetime model the light wave leaving the vicinity of a mass encounters regions with progressively reduced spacetime density, since the array of graviton filaments attached to the mass thins out with increasing separation from it. The energy gap with these spacetime photons consequently increases and there is a progressively greater flow of photon energy to spacetime. The photon number in the wave consequently diminishes and the average photon wavelength again increases, again producing time dilation in the wave.

This mechanism is also consistent with a simpler Newtonian explanation. Observationally, it is hard to distinguish between the explanation of the gravitational redshift in general relativity and the classic Newtonian one, in which a photon loses energy climbing out of a gravitational well. A theoretical problem exists in general relativity with the latter interpretation, as there is no obvious candidate sink for the lost photon energy. In the present model, however, there is such a sink: the graviton filaments of spacetime. As discussed in Section 6, these energy losses are what give rise to gravity.

### 4. Origin of $\Lambda$ , the CMB and Eggshell Structure

With spacetime modeled in this way we next consider how the basic cosmic structure – a plasma shell enclosing a CMB – could have arisen in the first place and thereafter have remained stable. As was noted in Section 2, the plasma shell in the EU is stabilized against gravitational collapse by the Hubble blueshift of CMB photons. The energy density of the CMB thus constitutes a cosmological constant  $\Lambda$  in the Einsteinian sense. It does not have a uniform value at each point in space, as Einstein's constant does, but instead increases from its minimum at the centre of the EU to its maximum value at the shell, tracking the CMB energy density (Figure 1).

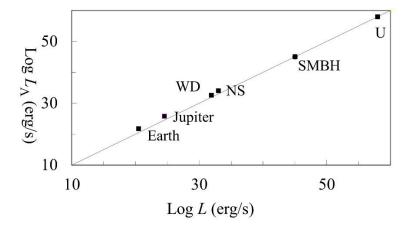
 $\Lambda$  is a direct result of gravitation in our model. Since the energy of the graviton filaments of spacetime consists of real energy quanta, the sum of their total energies within an EU of essentially fixed mass and radius must have a finite value. This implies that the total quantity |U| is

approximately fixed also. When two particles approach each other in gravitation, increasing their share of the total |U|, other spacetime filaments must diminish in energy by amounts which offset this energy increase. For symmetry with the Hubble redshift, wherein photon energy is absorbed into spacetime filaments, the reverse process would be a transfer of photon energy from spacetime to other photons, leading to a blueshift of the latter.

The Hubble blueshift of graviton filaments in each mass or system of masses would give rise to an effective ' $\Lambda$  luminosity', described by

$$L_{\Lambda} = -UH_{0},\tag{5}$$

where U is the internal gravitational potential energy (conventionally negative). The term  $\Lambda$  luminosity replaces the 'Hubble luminosity' previously used to describe this process, in recognition of its essential cosmic function. In those accounts it was suggested that the energy released through Equation (5) could account for the excess energy releases seen in planets, white dwarfs, neutron stars and supermassive black holes (SMBHs) (Figure 3) [33,34]. In geophysics it also forms the basis for a different model of plate tectonics, in which the release of core energy drives a slow expansion of the mantle [35]. Since the  $\Lambda$  luminosity of SMBHs would be mostly internally directed and thus not observable externally, the observed luminosity may arise from that portion of the mass residing outside the Schwarzschild radius [34].



**Figure 3.**  $\Lambda$  luminosity at many scales. On the horizontal axis are plotted the bolometric luminosities of representative white dwarfs (WD); neutron stars (NS); supermassive black holes (SMBH); the observable universe (U); and the excess heat emissions of Earth and Jupiter. Their respective  $\Lambda$  luminosities are on the vertical axis. The solid line is the 1:1 correspondence. The range of luminosities covers 35 orders of magnitude. Adapted from [34].

The Hubble blueshift would give rise to repulsive  $\Lambda$  forces between masses. For local systems, where the separation r is much less than  $R_U$ , these forces would be negligible in comparison to the gravitational force. Supposing that the radiation released with the  $\Lambda$  luminosity is transported along the graviton filaments connecting masses, the force arising in two masses separated by a distance r would be

$$F_{\Lambda} = \frac{Gm_1m_2H_0}{rc}.$$
 (6)

The factor c appears in the denominator since a quantum of radiation with energy E has momentum E/c.

The gravitational and  $\Lambda$  forces come into balance, however, when  $r \approx R_S = R_U = c/H_0$ , the radius of the baryon shell. As a spherical shell of plasma, the internal gravitational potential energy of the EU is

$$U_{EU} = -\frac{GM^2}{R_U}. (7)$$

Since  $H_0 = c/R_U$ , the  $\Lambda$  luminosity from Equation (5) is then

$$L_{\Lambda} = \frac{GM^2H_0}{R_U} = \frac{GM^2c}{R_U^2}.$$
 (8)

From the black hole mass-radius relationship we have  $R_S = R_U = 2GM/c^2$ . Substituting for  $R_U$  in Equation (8), we have

$$L_{\Lambda} = \frac{c^5}{4G} = 9.1 \times 10^{58} \ erg \ s^{-1}.$$
 (9)

Since a photon with energy E has momentum E/c, the sum of the forces associated with this power is

$$F_{\Lambda} = \frac{c^4}{4G} = 3.0 \times 10^{48} \, dynes.$$
 (10)

By comparison, the sum of all the inwardly acting Newtonian forces on the particles of the shell is

$$F_g = -\frac{GM^2}{R_{II}^2}. (11)$$

Once again making the substitution for  $R_U$ , the magnitude in Equation (11) becomes equal to that of Equation (10). The inward forces of attraction thus precisely balance the outward forces of repulsion at the shell. It is the  $\Lambda$  luminosity which thus ensures stability of the plasma shell against gravitation. Any material entering the shell would tend to remain there indefinitely. In Section 7 it is suggested that similar values for total power and total force occur in all objects of the black hole class.

The power  $c^5/4G$  and force  $c^4/4G$  have long attracted interest as a possible maximum power and maximum force in the universe, possibly even reflected in the field equations of general relativity [20,45–48]. The essentially Newtonian model for gravity and  $\Lambda$  presented here may thus nonetheless connect with general relativity through the EU  $\Lambda$  luminosity. The so-called 'Dyson luminosity' would be just the  $\Lambda$  luminosity of the observable universe.

### 4.1. Cosmic Microwave Background

We next consider the nature and origin of the CMB and its role in stabilizing the plasma shell. As the EU is a black hole, the radiation emitted from the shell would be entirely directed inwards. Under equilibrium conditions the redirected bolometric luminosity must be equal to the rate at which radiation returns to the shell as blueshifted CMB photons. The effective shell temperature in this case can then be estimated as

$$T_{\text{shell}} = \left(\frac{L_{\Lambda}}{4\pi R_U^2 \sigma}\right)^{\frac{1}{4}},\tag{12}$$

where  $\sigma$  is the Stefan-Boltzmann constant = 5.67 × 10<sup>-5</sup> erg cm<sup>-2</sup> s<sup>-1</sup> K<sup>-4</sup>. With  $L_{\Lambda} = c^5/4G$  from Equation (5) and  $R_{\rm U} = c/H_0$ , we find  $T_{\rm shell} = 29$  K.

Near the shell the CMB would thus have  $T_{\text{CMB}} = 29 \text{ K}$  and a corresponding energy density  $u = 5.3 \times 10^{-9} \text{ erg cm}^{-3}$ . By comparison, recent measurements from the Planck Collaboration for the  $\Lambda$ CDM model give a strikingly similar vacuum energy density  $\rho_{\text{Vac}} = 5.36 \times 10^{-9} \text{ erg cm}^{-3}$ . Despite the different assumptions used, this is consistent with the CMB energy functioning as the cosmological constant  $\Lambda$  in the static Einsteinian sense.

Concerning the origin of the proto-CMB in an EU, it might be supposed that it arose from gravitational energy released by a collapsing baryon cloud, with this energy subsequently captured as photons within the Schwarzschild radius (see [49] for a similar scenario in the  $\Lambda$ CDM model). It is unclear, however, whether enough energy could have been captured before enclosure to generate the proto-CMB in this way.

It is suggested instead that the proto-CMB arose through the action of the EU  $\Lambda$  luminosity. With its thin-shell structure, the total gravitational potential energy of the EU is given by Equation (7). The density of this gravitational energy would then be  $u_g = -U/V = GM^2/(4/3\pi R_U^4)$ . From the

black hole mass-radius relationship  $R_S = 2GM/c^2$  and with  $R_S = R_U$  we then obtain a gravitational energy density in the EU of

$$u_g = \frac{3c^2H_0^2}{16\pi G}. (13)$$

This density, expressed in terms of mass, corresponds to half the cosmic critical density of the  $\Lambda$ CDM model,  $\varrho_c = 3H_0^2/8\pi G$ . For  $H_0 = 67$  km s<sup>-1</sup> Mpc<sup>-1</sup> =  $2.2 \times 10^{-18}$  s<sup>-1</sup> gm<sup>-1</sup>, we find  $u_g = 3.9 \times 10^{-9}$  erg cm<sup>-3</sup>.

We next apply the  $\Lambda$  luminosity to this gravitational energy. From Equation (5) electromagnetic radiation would be produced inside the EU per unit volume at the rate  $u_{\rm g} \times H_0$ . Over one EU cycle period of  $H_{\rm t}$  the quantity of radiation generated per unit volume would then be  $u_{\rm g} \times H_0 \times H_0^{-1} = u_{\rm g}$ . Assuming that this radiation is ultimately converted to CMB radiation with density u, we would then have  $u = u_{\rm g} = 3.9 \times 10^{-9}$  erg cm<sup>-3</sup>. This would match the density of a uniform CMB throughout the proto-EU with  $T_{\rm CMB} = 27$  K. If  $T_{\rm CMB}$  values in the EU range from ~ 0 at the centre to ~ 29 at the shell, as discussed below, then this value for u would not be unreasonable. Its similarity to the value for u in the u-CDM model is again suggestive of a link between the CMB and u-A. After many cycles of duration u-A luminosity would eventually chiefly operate by reenergizing CMB photons, thereby generating u-A.

As a further check on our general approach, the rate of energy loss by spacetime via the  $\Lambda$  luminosity in the EU should equal the rate at which energy is absorbed by it from CMB photons in the Hubble redshift. For the EU this equality can be written as  $uVH_0 = c^5/4G$ . This condition is once again satisfied for  $u = 3.9 \times 10^{-9}$  erg cm<sup>-3</sup> and for a uniform  $T_{\text{CMB}} \sim 27$  K, consistent with the other estimates given above.

While the hypothesis of cosmic acceleration supported by dark energy is enshrined in the  $\Lambda$ CDM model, a number of outstanding difficulties remain with it. For example, its energy density is far below the amount predicted to exist from quantum field theory. There is also a problem of timing, since the ratio  $\Omega$ <sub> $\Lambda$ </sub>/ $\Omega$ , while adequate to explain the supposed acceleration at this particular epoch, would be ever changing in an expanding universe. Even within the  $\Lambda$ CDM model the requirement for dark energy to account for cosmic acceleration can be removed if gravitational time dilation were assumed to proceed in parallel with spacetime expansion [50]. As shown here, however, there is no need for dark energy at all if the universe is not expanding and reenergized CMB photons play the role of cosmological constant.

### 4.2. Evolutionary Processes

Due to the mass-radius relationship of black holes, a proto-EU of fixed mass could not have increased in size through cosmological expansion while at the same time remaining a thin-shell black hole. Just as in ordinary black holes, however, it could have grown by accretion, capturing dust and gas at the rim until reaching its current size. Inside the proto-EU smaller black holes could at all times also have formed and likewise have grown through accretion. The oldest and largest of these would presumably be at the very centre of the EU, perhaps near our position, while the youngest ones would presumably be out at the rim. Some evidence already exists for such a pattern of black hole growth over time [25]. In this case observations of star and galaxy formation out at the Hubble radius could match predictions of the  $\Lambda$ CDM model, with these new galaxies and stars having a 'younger' look. The general pattern would be one of successive waves of black hole-like structures emanating from the centre of the observable universe, engulfing extant structures encountered. Voids would arise with the counterbalancing of the  $\Lambda$  luminosity and gravity, in a manner perhaps akin to the forces operating in soap bubbles.

### 5. CMB Cycle for Gravity and $\Lambda$

In the EU model gravity arises from absorption of photon energy by spacetime, while  $\Lambda$  results from the reverse process of release of photon energy from spacetime. We now link these two processes more formally to CMB photons in a cosmic cycle. In this context it is noteworthy that

Carnot cycles for the CMB have previously been discussed within the  $\Lambda$ CDM model framework [51–53].

In Figure 1 the EU is shown as having concentric zones of space each having a uniform CMB temperature. Let us take the outermost zone near the shell to have  $T_{\rm CMB} \sim 29~{\rm K}$  and thus  $u \sim 5.3 \times 10^{-9}~{\rm erg~cm^{-3}}$ . This is  $10^4$  times that of the zone nearest our position, where  $T_{\rm CMB} = 2.73~{\rm K}$  and  $u = 4.2 \times 10^{-13}~{\rm erg~cm^{-3}}$ . As the CMB photons move inwards from the shell they lose energy and momentum to spacetime filaments, leading to gravitational work being done. Gravitational work here also refers unconventionally to masses being pushed together rather than exclusively to them being forced apart. During this cooling phase the CMB photon number and energy density in these inwardly moving waves diminish.

When the CMB photons reach the innermost points along their trajectories, they have completed their gravitational work. The photons then continue along on routes which ultimately take them back towards the shell, passing through regions of higher spacetime density. Having already been maximally 'cooled', these photons can now only gain energy back from spacetime. As discussed above, the rate of energy gain here on the cosmic level yields the  $\Lambda$  luminosity output,  $c^5/4G$ . With the release of energy spacetime curvature is relaxed and masses are pushed apart.

The validity of the temperature-distance relationship for the CMB is only well established for redshifts less than  $z \sim 3$ . The present model thus requires verification out to the Hubble distance  $R_{\rm U}$ . Recent observations from the JSWT have up to this point not found galaxies with redshifts larger than  $z \sim 17$  [54]. If these were the galaxies closest to the EU baryon shell, then applying the relationship from Equation (1) would yield  $T_{\rm CMB} \sim 50$  K near the shell. As discussed above, however, other considerations favour a cooler shell with  $T_{\rm shell} \sim 29$  K.

### 5.1. Conservation of Energy and Entropy

The EU model has major implications regarding energy and entropy conservation in the observable universe. Energy would not be endlessly dissipated in the EU, as it is in the  $\Lambda$ CDM model. At each point in space the energy density of CMB radiation u would be equal to that of the photonic spacetime and thus also to the gravitational energy density there, *i.e.*,  $u = u_s \equiv u_g$ . These equalities would also hold for the EU as a whole. Energy would be conserved under the Hubble redshift and gravitation, since the lost photon energy is converted to spacetime energy, *i.e.*,  $du/dt = -du_s/dt$ . With the action of the  $\Lambda$  luminosity spacetime energy reenergizes CMB photons, such that on the cosmic scale the two pools of energy are always equal.

It is generally supposed, as originally by Kelvin, that a gradual conversion of all the universe's mechanical energy to thermal energy would steadily increase the universe's entropy, ultimately culminating in a 'heat death' of the universe. If the universe's temperature were to become the same everywhere, there would be no temperature difference that could be exploited to perform useful work. That concept is clearly negated in the EU model. While kinetic and electromagnetic energy are steadily lost to photonic spacetime, the lost energy goes into gravitation and thence to processes such as star formation, which inject new photon energy into space. Nor would matter fall into one heap as a singularity, since the energy stored in spacetime is returned to CMB photons, in the process restoring  $\Lambda$ .

Unlike a Carnot cycle, there would be no net work done and no increase in system entropy. The system, if it were acting in complete isolation, would instead operate endlessly. The universe in this case would more aptly be viewed as a *perpetuum mobile*, with all its energy forms being interconvertible at rates proportional to  $H_0$ . This consideration potentially has significant philosophical and even political ramifications, as a society no longer believing that the universe is doomed may be more motivated to invest time and energy in securing long-term survival of humans and Earth life [55].

### 5.2. CMB Tests of the Model

Measuring  $T_{\text{CMB}}$  at different points in space potentially affords a method of testing between the EU and  $\Lambda$ CDM models. Such measurements may not be feasible in the regions that would be closest

to the shell but could well be in the central regions closer to us. If the Milky Way is not at the very centre of the EU, for example,  $T_{\text{CMB}}$  might drop further than 2.7 K, conceivably reaching 0 K at the centre. In this connection, other asymmetries in the CMB and in galaxy/quasar counts already lend support for such an offset and to the notion that the cosmological principle may no longer be valid [56]. At the same time, searching for nearby anisotropies in  $T_{\text{CMB}}$  could be problematic. A CMB with  $T_{\text{CMB}} = 1$  K, for example, would have an energy density only 2% that of the 2.7 K CMB. Its peak wavelength could thus be obscured by other radiation known to exist in that range.

A further possibility is that  $T_{\text{CMB}}$  cools to a minimal but non-zero temperature in the central region incorporating our position. This could arise, for example, through the  $\Lambda$  luminosity that is specific to galaxies and galaxy filaments, which we have not considered here. Possessing only 5% of the EU mass, the  $\Lambda$  luminosity of this component from Equation (5) would be lower than the EU total by a factor ~  $2.5 \times 10^{-3}$ . Yet this small luminosity could still be enough to generate a temperature of a few degrees K at the centre. This energy output could have a role in preventing bulk aggregation of galactic matter, analogous to the role of the CMB in generating  $\Lambda$ .

Further tests of the EU model would involve reinterpretation of data from *Planck* and other CMB studies to search for signatures of a cold plasma shell. Just as this data had previously been used to characterize the dimensions of the primordial mass configuration in the  $\Lambda$ CDM model, it might likewise allow structural details of the EU shell to be revealed, such as its thickness and whether or not it has a dual or composite structure. The observed baryon structure inferred from CMB observations already demonstrates that the shell would have to be formed of gas and dust.

In an EU the many problems connected to inflation in the  $\Lambda$ CDM model are notably avoided, as the cool glow of a spherical baryonic shell alone suffices to account for the extreme smoothness of the CMB. The concentration of the universe's mass in the shell also eliminates the need for dark matter to explain the CMB data.

### 6. Gravity from CMB Photons

The model of optical gravity is based on the treatment of relativistic light deflection as a quasirefraction of light in an optical medium with a varying density gradient [57–64]. This optical analogy has been used in numerous studies of gravitational lensing and simulation of black holes [65–67] and in gravity models featuring spacetime as a material medium [68–71]. Within this context the possibility that gravity arises from absorption of CMB photon energy in a photonic spacetime was considered by the author [28]. The local CMB of 2.7 K was found, however, to have insufficient energy to drive gravity and in a later proposal gravity was powered instead by photons released in the  $\Lambda$  luminosity [29].

The two approaches can be unified, however, with the provision that the  $\Lambda$  luminosity reenergizes redshifted CMB photons and the recognition that the hotter CMB in remote regions closer to the shell has enough energy to drive gravity. In this case energy is essentially transferred from inwardly moving, hotter CMB photons to cooler regions of spacetime due to the Hubble redshift. That same energy is later returned to outwardly moving, cooler CMB photons with the Hubble blueshift and  $\Lambda$ . Where the graviton filaments around masses are evenly balanced no force from absorption of photon energy occurs. Gravity only arises when the graviton filaments about masses are unbalanced.

This can easily be shown as follows. With the Hubble redshift photon energy and momentum are lost to filaments at the rates:

$$\frac{\dot{p}}{p} = -H_0; \ \frac{\dot{E}}{E} = -H_0.$$
 (14)

The linear absorption coefficient of light with the Hubble redshift in TL models is given by  $\alpha = 1/R_U = H_0/c$  [29]. From this the mass absorption coefficient h is obtained as

$$h = \frac{1}{\rho R_U} = \frac{H_0}{\rho c'} \tag{15}$$

with units of cm<sup>2</sup> gm<sup>-1</sup>. For  $H_0$  = 67 km s<sup>-1</sup> Mpc<sup>-1</sup> = 2.2 × 10<sup>-18</sup> s<sup>-1</sup> gm<sup>-1</sup> and  $Q = \rho_c = 3H_0^2/8\pi G = 8.7 \times 10^{-30}$  gm cm<sup>-3</sup>, we have h = 8.5 cm<sup>2</sup> gm<sup>-1</sup>. This large value reflects that absorption occurs mainly in

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the extended filaments of spacetime connecting each particle to other masses rather than in the particle centres. It is also consistent with gravity being driven by CMB photons in the remotest and hottest parts of the EU, rather than the weak local CMB [29]. The remote CMB energy is vastly greater due to the higher CMB energy densities and volumes of space.

The CMB radiation pressure conventionally is p = u/3, which includes terms for the incident and emitted radiation. Since the CMB photon energy absorbed by graviton filaments is only reradiated later, where it generates  $\Lambda$ , the effective pressure on graviton filaments is just one half this, *i.e.*, p = u/6. Due to this remote CMB pressure, a uniform force would be exerted isotropically on all bodies. The force on an isolated mass  $M_1$  from any direction would be

$$F = \frac{uhM_1}{6}. (16)$$

Since the impulses from CMB photons are symmetrical from all parts of the sky, they cancel out and for  $M_1$  no velocity boosts would occur.

Let us now introduce a second mass  $M_2$  at a distance d from  $M_1$ , where  $d \ll R_U$ . Ordinarily, in a Le Sage-type mechanism, the inverse square relationship with distance results from mutual flux shielding by the subatomic components of matter. In optical gravity the shielding arises instead from mutual shielding of the spacetime envelopes about masses, which can likewise be shown to have an inverse square relationship. We then find that the solid angle that  $M_2$  effectively subtends at  $M_1$  is  $hM_2/d^2$ . The force generated on  $M_1$  due to this missing momentum flux is then

$$F = \frac{uh^2 M_1 M_2}{6d^2}. (17)$$

Accordance with Newton's law is gained if we write

$$G = \frac{uh^2}{6}. (18)$$

With the value obtained above for h, a suitable value for G is obtained if  $u = 5.5 \times 10^{-9}$  erg cm<sup>-3</sup>. This corresponds to a uniform CMB with  $T_{\text{CMB}} \sim 29$  K, which is once again consistent with other values given above for the outermost regions of the EU.

# 7. Black Holes

As emphasized at the outset, the semi-Newtonian method that we have used in the present analysis on the cosmic scale is not appropriate for the ultra-dense objects that have been termed black holes or gravastars. These objects typically require full relativistic treatment in general relativity. Relativistic models of black holes and gravastars have become so densely convoluted, however, that we nonetheless briefly consider whether the present approach can still yield any useful clues as to the structures and processes of these objects.

We first consider non-rotating black holes. Immediately it is seen that the Hubble constant is no longer a true constant in these objects. Drawing from the basic relationship in the EU that  $H_0 = c/R_U$ , we would have for black holes, by analogy,

$$H_{bh} = \frac{c}{R_S}. (19)$$

The Hubble constant in each black hole would thus be inversely proportional to Rs. Since  $\rho_{bh} = M_{bh}/(4/3\pi Rs^3)$  and  $Rs = 2GM_{bh}/c^2$ , we would then have

$$\rho_{bh} = \frac{3c^2}{8\pi G R_c^2},\tag{20}$$

and thus  $\rho_{bh} \propto 1/R_{s^2}$ . Inserting Equation (19) in Equation (20), we find that the expression for the black hole density then becomes precisely analogous to that of the cosmic critical density, *i.e.*,

$$\rho_{bh} = \frac{3H_{bh}^2}{8\pi G} \,. \tag{21}$$

Would *G* have a constant value in all non-rotating black holes? Using the gravity model from Section (6) we have from Equation (18) that  $G \propto uh^2$ . From Section (4) we also have a general

equality  $u = u_g$ , with the expression for  $u_g$  given in Equation (13). Assuming that all non-rotating black holes have a thin-shell structure, we then have  $u \propto 1/Rs^2$ . Since by analogy from Equation (15) we have h = 1/(QbhRs) and from Equation (20) that  $Qbh \propto 1/Rs^2$ , we then have  $h \propto Rs$ . From this we find that the expression for G in Equation (18) is invariant in black holes, even though Hbh varies significantly.

With these relationships, we can also follow the same sequence of steps that was used in Section (4) to determine the cosmic  $\Lambda$  luminosity to find the respective values for black holes. Remarkably, it is found for each black hole that  $L_{\Lambda}$  has the same maximal value,  $c^5/4G$ , regardless of the black hole mass. Black holes would thus all feature the 'maximum luminosity' or 'Dyson luminosity' discussed in Section 4 [20,45–48]. The larger Hubble constant of a black hole would here reflect the greater rate of photon recycling needed to prevent gravitational collapse into a singularity.

The eggshell model can again be roughly applied to estimate the characteristics of the internal radiation of black holes. The equivalent blackbody radiation inside a non-rotating, thin-shell SMBH, for example, would have a much higher energy density than the CMB at any point in the EU, since  $u \propto 1/Rs^2$ . Using the same sequence of steps as in the EU model for Sagittarius A\*, where  $Rs \approx 10^{12}$  cm, we would find  $T_{\rm shell} \approx 10^9$  K. Its peak blackbody wavelength would therefore be ~ 1 pm, in the gamma ray band. This radiation would ordinarily be confined within the shell, but in certain situations could conceivably give rise to the GRB-type phenomena that have been observed.

The situation would be quite different in rapidly rotating SMBHs, however, where photographic evidence and theoretical considerations related to the Kerr metric suggest that the spherical shell collapses to a torus.

On a larger scale, supposing that the EU itself resides in a still larger thin-shell black hole, the Hubble constant of the latter would be much smaller than  $H_0$  and its internal blackbody radiation much cooler than the CMB. Yet from the above considerations it can be inferred that G would once again remain unchanged.

### 8. Concluding Remarks

In this paper we have used some key concepts of black holes to construct a model of the observable universe termed the eggshell universe. Almost all the mass in this universe is concentrated in a thin membrane of cold plasma situated near the Hubble radius. This plasma shell anchors a CMB energy cycle linking gravity and  $\Lambda$ . The cycle requires a novel premise concerning spacetime: that it is photonic in nature and thus has the capacity to absorb and release photon energy and exchange it with the CMB. This permits the CMB to maintain its characteristic blackbody spectrum at all times, locations and temperatures. While patterned on thin-shell black hole and gravastar models, the EU model can potentially be used to reverse engineer these dense objects and assist in finding relativistic solutions for them.

A general consistency in our approach can be seen with two estimates for a shell temperature and outermost  $T_{\text{CMB}}$  of ~ 29 K, one based on the  $\Lambda$  luminosity and one from the density of gravitational energy. There is also a requirement for an average energy of a 29 K CMB in the EU for gravity, a density which also remarkably matches the required value for  $\Lambda$  in the  $\Lambda$ CDM model. On the other hand, strict adherence to the observed temperature-redshift relationship in the CMB would seem to require a higher  $T_{\text{CMB}}$  ~ 50 K near the shell.

While the eggshell black hole universe accounts for numerous observations that are problematic in the  $\Lambda$ CDM model, the central premises of the model still require additional theoretical and experimental support. It needs to be verified that spacetime indeed has photonic characteristics that enable it to exchange energy with photons, in such a way that the CMB retains its blackbody spectrum at all times and locations. The pathway to this verification is unclear.

The situation is more promising, however, with respect to the  $\Lambda$  luminosity. In this paper we have now linked the  $\Lambda$  luminosity to gravity,  $\Lambda$  and the basic structure of the cosmos. There is thus a pressing need to study and confirm the  $\Lambda$  luminosity in objects and mass systems on all scales. In this effort promising candidates for study might include such objects as brown dwarfs, planetary moons and icy asteroids – objects which might in some cases be free of other sources of internal

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heating. Theoretical support for a fundamental gravitational decay process might come from further geophysical evidence of expansion-related tectonic processes [35] or astrophysical evidence of a general secular increase in the orbits of moons and planets, as highlighted in some recent studies [72,73].

In addition to confirming the  $\Lambda$  luminosity, future work will focus on the analogous deceleration of particles in the EU frame that would arise from the Hubble redshift mechanism and linking this to MOND and to quantum physics generally. Photonic spacetime would after all be particularly well-suited to incorporate quantum entanglement, as all particles within the observable universe would be physically interconnected by filaments of photon-like gravitons.

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